

PARAMETER DERIVATION FOR INTRA PREDICTION

CROSS REFERENCE TO RELATED APPLICATIONS

[0001] Under the applicable patent law and/or rules pursuant to the Paris Convention, this application is made to timely claim the priority to and benefits of International Patent
5 Application No. PCT/CN2019/075993, filed on February 24, 2019, International Patent
Application No. PCT/CN2019/076195, filed on February 26, 2019, International Patent
Application No. PCT/CN2019/079396, filed on March 24, 2019, International Patent Application
No. PCT/CN2019/079431, filed on March 25, 2019, and International Patent Application No.
PCT/CN2019/079769, filed on March 26, 2019. For all purposes under the U.S. law, the entire
10 disclosures of the aforementioned applications are incorporated by reference as part of the
disclosure of this application.

TECHNICAL FIELD

[0002] This patent document relates to video processing techniques, devices and systems.

BACKGROUND

15 [0003] In spite of the advances in video compression, digital video still accounts for the
largest bandwidth use on the internet and other digital communication networks. As the number
of connected user devices capable of receiving and displaying video increases, it is expected that
the bandwidth demand for digital video usage will continue to grow.

SUMMARY

20 [0004] Devices, systems and methods related to digital video processing, and for example,
simplified linear model derivations for the cross-component linear model (CCLM) prediction
mode in video coding are described. The described methods may be applied to both the existing
video coding standards (e.g., High Efficiency Video Coding (HEVC)) and future video coding
standards (e.g., Versatile Video Coding (VVC)) or codecs.
25 [0005] In one representative aspect, the disclosed technology may be used to provide a method
for video processing. The method comprises: determining, for a conversion between a current
video block of a video that is a chroma block and a coded representation of the video, parameters

of cross-component linear model (CCLM) prediction mode based on chroma samples that are selected based on W available above-neighboring samples, W being an integer; and performing the conversion based on the determining.

5 [0006] In another representative aspect, the disclosed technology may be used to provide a method for video processing. The method comprises: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, parameters of cross-component linear model (CCLM) prediction mode based on chroma samples that are selected based on H available left-neighboring samples of the current video block; and performing the conversion based on the determining.

10 [0007] In another representative aspect, the disclosed technology may be used to provide a method for video processing. The method comprises: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, parameters of a cross-component linear model (CCLM) based on two or four chroma samples and/or corresponding luma samples; and performing the conversion based on the determining.

15 [0008] In another representative aspect, the disclosed technology may be used to provide a method for video processing. The method comprises: selecting, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, chroma samples based on a position rule, the chroma samples used to derive parameters of a cross-component linear model (CCLM); and performing the conversion based on the determining,
20 wherein the position rule specifies to select the chroma samples that are located within an above row and/or a left column of the current video block.

[0009] In another representative aspect, the disclosed technology may be used to provide a method for video processing. The method comprises: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video,
25 positions at which luma samples are downsampled, wherein the downsampled luma samples are used to determine parameters of a cross-component linear model (CCLM) based on chroma samples and downsampled luma samples, wherein the downsampled luma samples are at positions corresponding to positions of the chroma samples that are used to derive the parameters of the CCLM; and performing the conversion based on the determining.

30 [0010] In another representative aspect, the disclosed technology may be used to provide a method for video processing. The method comprises: determining, for a conversion between a

current video block of a video that is a chroma block and a coded representation of the video, a method to derive parameters of a cross-component linear model (CCLM) using chroma samples and luma samples based on a coding condition associated with the current video block; and performing the conversion based on the determining.

5 [0011] In another representative aspect, the disclosed technology may be used to provide a method for video processing. The method comprises: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, whether to derive maximum values and/or minimum values of a luma component and a chroma component that are used to derive parameters of a cross-component linear model (CCLM) based
10 on availability of a left-neighboring block and an above-neighboring block of the current video block; and performing the conversion based on the determining.

[0012] In yet another representative aspect, the above-described method is embodied in the form of processor-executable code and stored in a computer-readable program medium.

[0013] In yet another representative aspect, a device that is configured or operable to perform
15 the above-described method is disclosed. The device may include a processor that is programmed to implement this method.

[0014] In yet another representative aspect, a video decoder apparatus may implement a method as described herein.

[0015] The above and other aspects and features of the disclosed technology are described in
20 greater detail in the drawings, the description and the claims.

BRIEF DESCRIPTION OF THE DRAWINGS

[0016] FIG. 1 shows an example of locations of samples used for the derivation of the weights of the linear model used for cross-component prediction.

[0017] FIG. 2 shows an example of classifying neighboring samples into two groups.

25 [0018] FIG. 3A shows an example of a chroma sample and its corresponding luma samples.

[0019] FIG. 3B shows an example of down filtering for the cross-component linear model (CCLM) in the Joint Exploration Model (JEM).

[0020] FIGS. 4A and 4B show examples of only top-neighboring and only left-neighboring samples used for prediction based on a linear model, respectively.

30 [0021] FIG. 5 shows an example of a straight line between minimum and maximum luma

values as a function of the corresponding chroma samples.

[0022] FIG. 6 shows an example of a current chroma block and its neighboring samples.

[0023] FIG. 7 shows an example of different parts of a chroma block predicted by a linear model using only left-neighboring samples (LM-L) and a linear model using only above-

5 neighboring samples (LM-A).

[0024] FIG. 8 shows an example of a top-left neighboring block.

[0025] FIG. 9 shows an example of samples to be used to derive a linear model.

[0026] FIG. 10 shows an example of left and below-left columns and above and above-right rows relative to a current block.

10 [0027] FIG. 11 shows an example of a current block and its reference samples.

[0028] FIG. 12 shows examples of two neighboring samples when both left and above neighboring reference samples are available.

[0029] FIG. 13 shows examples of two neighboring samples when only above neighboring reference samples are available.

15 [0030] FIG. 14 shows examples of two neighboring samples when only left neighboring reference samples are available.

[0031] FIG. 15 shows examples of four neighboring samples when both left and above neighboring reference samples are available.

[0032] FIG. 16 shows an example of lookup tables used in LM derivations.

20 [0033] FIG. 17 shows an example of an LM parameter derivation process with 64 entries.

[0034] FIGS. 18A and 18B show flowcharts of example methods for video processing based on some implementations of the disclosed technology.

[0035] FIGS. 19A and 19B show flowcharts of example methods for video processing based on some implementations of the disclosed technology.

25 [0036] FIGS. 20A to 20C show flowcharts of another example methods for video processing based on some implementations of the disclosed technology.

[0037] FIGS. 21A and 21B are block diagrams of examples of hardware platforms for implementing a visual media decoding or a visual media encoding technique described in the present document.

30 [0038] FIGS. 22A and 22B show examples of LM parameter derivation process with four entries. FIG. 31A shows an example when both above and left neighboring samples are available

and FIG. 31B shows an example when only above neighboring samples are available and top-right is not available.

[0039] FIG. 23 shows examples of neighboring samples to derive LIC parameters.

DETAILED DESCRIPTION

5 [0040] Due to the increasing demand of higher resolution video, video coding methods and techniques are ubiquitous in modern technology. Video codecs typically include an electronic circuit or software that compresses or decompresses digital video, and are continually being improved to provide higher coding efficiency. A video codec converts uncompressed video to a compressed format or vice versa. There are complex relationships between the video quality, the
10 amount of data used to represent the video (determined by the bit rate), the complexity of the encoding and decoding algorithms, sensitivity to data losses and errors, ease of editing, random access, and end-to-end delay (latency). The compressed format usually conforms to a standard video compression specification, e.g., the High Efficiency Video Coding (HEVC) standard (also known as H.265 or MPEG-H Part 2), the Versatile Video Coding (VVC) standard to be finalized,
15 or other current and/or future video coding standards.

[0041] Embodiments of the disclosed technology may be applied to existing video coding standards (e.g., HEVC, H.265) and future standards to improve runtime performance. Section headings are used in the present document to improve readability of the description and do not in any way limit the discussion or the embodiments (and/or implementations) to the respective
20 sections only.

1 Embodiments of cross-component prediction

[0042] Cross-component prediction is a form of the chroma-to-luma prediction approach that has a well-balanced trade-off between complexity and compression efficiency improvement.

1.1 Examples of the cross-component linear model (CCLM)

25 [0043] In some embodiments, and to reduce the cross-component redundancy, a cross-component linear model (CCLM) prediction mode (also referred to as LM), is used in the JEM, for which the chroma samples are predicted based on the reconstructed luma samples of the same CU by using a linear model as follows:

$$[0044] \quad pred_C(i, j) = \alpha \cdot rec_L'(i, j) + \beta \quad (1)$$

30 [0045] Here, $pred_C(i, j)$ represents the predicted chroma samples in a CU and $rec_L'(i, j)$

represents the downsampled reconstructed luma samples of the same CU for color formats 4:2:0 or 4:2:2 while $rec_L'(i, j)$ represents the reconstructed luma samples of the same CU for color format 4:4:4. CCLM parameters α and β are derived by minimizing the regression error between the neighboring reconstructed luma and chroma samples around the current block as follows:

$$5 \quad [0046] \quad \alpha = \frac{N \cdot \sum(L(n) \cdot C(n)) - \sum L(n) \cdot \sum C(n)}{N \cdot \sum(L(n) \cdot L(n)) - \sum L(n) \cdot \sum L(n)} \quad (2)$$

$$[0047] \quad \text{and} \quad \beta = \frac{\sum C(n) - \alpha \cdot \sum L(n)}{N}. \quad (3)$$

[0048] Here, $L(n)$ represents the down-sampled (for color formats 4:2:0 or 4:2:2) or original (for color format 4:4:4) top and left neighboring reconstructed luma samples, $C(n)$ represents the top and left neighboring reconstructed chroma samples, and value of N is equal to twice of the minimum of width and height of the current chroma coding block.

[0049] In some embodiments, and for a coding block with a square shape, the above two equations are applied directly. In other embodiments, and for a non-square coding block, the neighboring samples of the longer boundary are first subsampled to have the same number of samples as for the shorter boundary. FIG. 1 shows the location of the left and above reconstructed samples and the sample of the current block involved in the CCLM mode.

[0050] In some embodiments, this regression error minimization computation is performed as part of the decoding process, not just as an encoder search operation, so no syntax is used to convey the α and β values.

[0051] In some embodiments, the CCLM prediction mode also includes prediction between the two chroma components, e.g., the Cr (red-difference) component is predicted from the Cb (blue-difference) component. Instead of using the reconstructed sample signal, the CCLM Cb-to-Cr prediction is applied in residual domain. This is implemented by adding a weighted reconstructed Cb residual to the original Cr intra prediction to form the final Cr prediction:

$$[0052] \quad pred_{Cr}^*(i, j) = pred_{Cr}(i, j) + \alpha \cdot resi_{Cb}'(i, j) \quad (4)$$

25 [0053] Here, $resi_{Cb}'(i, j)$ presents the reconstructed Cb residue sample at position (i, j) .

[0054] In some embodiments, the scaling factor α may be derived in a similar way as in the CCLM luma-to-chroma prediction. The only difference is an addition of a regression cost relative to a default α value in the error function so that the derived scaling factor is biased towards a default value of -0.5 as follows:

$$[0055] \quad \alpha = \frac{N \cdot \sum(Cb(n) \cdot Cr(n)) - \sum Cb(n) \cdot \sum Cr(n) + \lambda \cdot (-0.5)}{N \cdot \sum(Cb(n) \cdot Cb(n)) - \sum Cb(n) \cdot \sum Cb(n) + \lambda} \quad (5)$$

[0056] Here, $Cb(n)$ represents the neighboring reconstructed Cb samples, $Cr(n)$ represents the neighboring reconstructed Cr samples, and λ is equal to $\sum(Cb(n) \cdot Cb(n)) \gg 9$.

[0057] In some embodiments, the CCLM luma-to-chroma prediction mode is added as one additional chroma intra prediction mode. At the encoder side, one more RD cost check for the chroma components is added for selecting the chroma intra prediction mode. When intra prediction modes other than the CCLM luma-to-chroma prediction mode is used for the chroma components of a CU, CCLM Cb-to-Cr prediction is used for Cr component prediction.

1.2 Examples of multiple model CCLM

10 [0058] In the JEM, there are two CCLM modes: the single model CCLM mode and the multiple model CCLM mode (MMLM). As indicated by the name, the single model CCLM mode employs one linear model for predicting the chroma samples from the luma samples for the whole CU, while in MMLM, there can be two models.

[0059] In MMLM, neighboring luma samples and neighboring chroma samples of the current block are classified into two groups, each group is used as a training set to derive a linear model (i.e., a particular α and β are derived for a particular group). Furthermore, the samples of the current luma block are also classified based on the same rule for the classification of neighboring luma samples.

[0060] FIG. 2 shows an example of classifying the neighboring samples into two groups. *Threshold* is calculated as the average value of the neighboring reconstructed luma samples. A neighboring sample with $Rec'_L[x,y] \leq Threshold$ is classified into group 1; while a neighboring sample with $Rec'_L[x,y] > Threshold$ is classified into group 2.

$$[0061] \quad \begin{cases} Pred_c[x,y] = \alpha_1 \times Rec'_L[x,y] + \beta_1 & \text{if } Rec'_L[x,y] \leq Threshold \\ Pred_c[x,y] = \alpha_2 \times Rec'_L[x,y] + \beta_2 & \text{if } Rec'_L[x,y] > Threshold \end{cases} \quad (6)$$

1.3 Examples of downsampling filters in CCLM

25 [0062] In some embodiments, and to perform cross-component prediction, for the 4:2:0 chroma format, where 4 luma samples corresponds to 1 chroma samples, the reconstructed luma block needs to be downsampled to match the size of the chroma signal. The default downsampling filter used in CCLM mode is as follows:

$$\begin{aligned}
& Rec'_L[x, y] = \{2 \times Rec_L[2x, 2y] + 2 \times Rec_L[2x, 2y+1] + \\
[0063] \quad & Rec_L[2x-1, 2y] + Rec_L[2x+1, 2y] + \\
& Rec_L[2x-1, 2y+1] + Rec_L[2x+1, 2y+1] + 4\} \gg 3
\end{aligned} \tag{7}$$

[0064] Here, the downsampling assumes the “type 0” phase relationship as shown in FIG. 3A for the positions of the chroma samples relative to the positions of the luma samples, e.g., collocated sampling horizontally and interstitial sampling vertically.

5 [0065] The exemplary 6-tap downsampling filter defined in (6) is used as the default filter for both the single model CCLM mode and the multiple model CCLM mode.

[0066] In some embodiments, and for the MMLM mode, the encoder can alternatively select one of four additional luma downsampling filters to be applied for prediction in a CU, and send a filter index to indicate which of these is used. The four selectable luma downsampling filters for
10 the MMLM mode, as shown in FIG. 3B, are as follows:

$$[0067] \quad Rec'_L[x, y] = (Rec_L[2x, 2y] + Rec_L[2x+1, 2y] + 1) \gg 1 \tag{8}$$

$$[0068] \quad Rec'_L[x, y] = (Rec_L[2x+1, 2y] + Rec_L[2x+1, 2y+1] + 1) \gg 1 \tag{9}$$

$$[0069] \quad Rec'_L[x, y] = (Rec_L[2x, 2y+1] + Rec_L[2x+1, 2y+1] + 1) \gg 1 \tag{10}$$

$$[0070] \quad Rec'_L[x, y] = (Rec_L[2x, 2y] + Rec_L[2x, 2y+1] + Rec_L[2x+1, 2y] + Rec_L[2x+1, 2y+1] + 2) \gg 2 \tag{11}$$

15 1.4 Multi-directional LM (MDLM)

[0071] This existing implementation proposes multi-directional LM (MDLM). In MDLM, two additional CCLM modes are proposed: LM-A, where the linear model parameters are derived only based on the top-neighboring (or above-neighboring) samples as shown in FIG. 4A, and LM-L, where the linear model parameters are derived only based on the left-neighboring
20 samples as shown in FIG. 4B.

1.5 Cross-component linear model simplification

[0072] This existing implementation proposes to replace the LMS algorithm of the linear model parameters α and β by a straight line equation, so called two-point method. The 2 points (couple of Luma and Chroma) (A, B) are the minimum and maximum values inside the set of
25 neighboring Luma samples as depicted in FIG. 5.

[0073] Herein, the linear model parameters α and β are obtained according to the following equation:

$$\alpha = \frac{y_B - y_A}{x_B - x_A} \text{ and } \beta = y_A - \alpha x_A.$$

[0074] In some embodiments, the division operation needed in the derivation of α is avoided and replaced by multiplications and shifts as below:

```

5      a = 0;
      iShift = 16;
      int shift = (uiInternalBitDepth > 8) ? uiInternalBitDepth - 9 : 0;
      int add = shift ? 1 << (shift - 1) : 0;
      int diff = (MaxLuma - MinLuma + add) >> shift;
      if (diff > 0)
10     {
        int div = ((MaxChroma - MinChroma) * g_aiLMDivTableLow[diff - 1] + 32768) >> 16;
        a = (((MaxChroma - MinChroma) * g_aiLMDivTableHigh[diff - 1] + div + add) >> shift);
      }
      b = MinLuma[1] - ((a * MinLuma[0]) >> iShift);

```

15 [0075] Herein, S is set equal to $iShift$, α is set equal to a and β is set equal to b . Furthermore, $g_aiLMDivTableLow$ and $g_aiLMDivTableHigh$ are two tables each with 512 entries, wherein each entry stores a 16-bit integer.

[0076] To derive the chroma predictor, as for the current VTM implementation, the multiplication is replaced by an integer operation as the following:

$$20 \quad pred_c(i, j) = (\alpha \cdot rec_L^{(i, j)}) \gg S + \beta$$

[0077] This implementation is also simpler than the current VTM implementation because shift S always has the same value.

1.6 Examples of CCLM in VVC

[0078] CCLM as in JEM is adopted in VTM-2.0, but MM-CCLM in JEM is not adopted in
25 VTM-2.0. MDLM and simplified CCLM have been adopted into VTM-3.0.

1.7 Examples of Local Illumination Compensation in JEM

[0079] Local Illumination Compensation (LIC) is based on a linear model for illumination changes, using a scaling factor a and an offset b . And it is enabled or disabled adaptively for each inter-mode coded coding unit (CU).

30 [0080] When LIC applies for a CU, a least square error method is employed to derive the parameters a and b by using the neighbouring samples of the current CU and their corresponding reference samples. More specifically, as illustrated in FIG. 23, the subsampled (2:1 subsampling) neighbouring samples of the CU and the corresponding pixels (identified by motion information

of the current CU or sub-CU) in the reference picture are used. The IC parameters are derived and applied for each prediction direction separately.

[0081] When a CU is coded with $2N \times 2N$ merge mode, the LIC flag is copied from neighbouring blocks, in a way similar to motion information copy in merge mode; otherwise, an
5 LIC flag is signalled for the CU to indicate whether LIC applies or not.

[0082] When LIC is enabled for a picture, additional CU level RD check is needed to determine whether LIC is applied or not for a CU. When LIC is enabled for a CU, mean-removed sum of absolute difference (MR-SAD) and mean-removed sum of absolute Hadamard-transformed difference (MR-SATD) are used, instead of SAD and SATD, for integer pel motion search and
10 fractional pel motion search, respectively.

[0083] To reduce the encoding complexity, the following encoding scheme is applied in JEM: LIC is disabled for the entire picture when there is no obvious illumination change between a current picture and its reference pictures. To identify this situation, histograms of a current picture and every reference picture of the current picture are calculated at the encoder. If the histogram
15 difference between the current picture and every reference picture of the current picture is smaller than a given threshold, LIC is disabled for the current picture; otherwise, LIC is enabled for the current picture.

2 Examples of drawbacks in existing implementations

[0084] Current implementations introduce a two-point method to replace the LMS approach
20 of LM mode in JEM. Although the new method decreases the number of additions and multiplications in CCLM, it introduces the following problems:

[0085] 1) Comparisons are introduced to find the minimum and maximum luma values, which are not friendly to a single instruction, multiple data (SIMD) software design.

[0086] 2) Two lookup-tables with 1024 entries in total storing 16-bit numbers are
25 introduced, with a 2K ROM memory requirement that is not desirable in a hardware design.

3 Exemplary methods for cross-component prediction in video coding

[0087] Embodiments of the presently disclosed technology overcome drawbacks of existing implementations, thereby providing video coding with higher coding efficiencies and lower computational complexity. Simplified linear model derivations for cross-component prediction,
30 based on the disclosed technology, may enhance both existing and future video coding standards, is elucidated in the following examples described for various implementations. The examples of

the disclosed technology provided below explain general concepts, and are not meant to be interpreted as limiting. In an example, unless explicitly indicated to the contrary, the various features described in these examples may be combined.

[0088] In the following examples and methods, the term “LM method” includes, but is not limited to, the LM mode in JEM or VTM, and MMLM mode in JEM, left-LM mode which only uses left neighboring samples to derive the linear model, the above-LM mode which only uses above neighboring samples to derive the linear model or other kinds of methods which utilize luma reconstruction samples to derive chroma prediction blocks. All LM modes which are not the LM-L nor the LM-A are called normal LM modes.

10 [0089] In the following examples and methods, $\text{Shift}(x, s)$ is defined as $\text{Shift}(x, s) = (x + \text{off}) \gg s$, and $\text{SignShift}(x, s)$ is defined as

$$\text{SignShift}(x, s) = \begin{cases} (x + \text{off}) \gg s & x \geq 0 \\ -((-x + \text{off}) \gg s) & x < 0 \end{cases}$$

[0090] Herein, off is an integer such as 0 or 2^{s-1} .

[0091] The height and width of a current chroma block are denoted H and W , respectively.

15 [0092] FIG. 6 shows an example of neighboring samples of the current chroma block. Let the coordinate of the top-left sample of the current chroma block be denoted as (x, y) . Then, the neighboring chroma samples (as shown in FIG. 6) are denoted as:

[0093] A: Top sample at left: $[x-1, y]$,

[0094] B: Top middle sample at left: $[x-1, y+H/2-1]$,

20 [0095] C: Bottom middle sample at left: $[x-1, y+H/2]$,

[0096] D: Bottom sample at left: $[x-1, y+H-1]$,

[0097] E: Extended-bottom top sample at left: $[x-1, y+H]$,

[0098] F: Extended-bottom top middle sample at left: $[x-1, y+H+H/2-1]$,

[0099] G: Extended-bottom bottom middle sample at left: $[x-1, y+H+H/2]$,

25 [0100] I: Extended-bottom bottom sample at left: $[x-1, y+H+H-1]$,

[0101] J: Left sample at above: $[x, y-1]$,

[0102] K: Left middle sample at above: $[x+W/2-1, y-1]$,

[0103] L: Right middle sample at above: $[x+W/2, y-1]$,

[0104] M: Right sample at above: $[x+W-1, y-1]$,

30 [0105] N: Extended-above left sample at above: $[x+W, y-1]$,

[00106] O: Extended-above left middle sample at above: $[x+W+W/2-1, y-1]$,

[00107] P: Extended-above right middle sample at above: $[x+W+W/2, y-1]$, and

[00108] Q: Extended-above right sample at above: $[x+W+W-1, y-1]$.

[00109] Example 1. The parameters α and β in LM methods are derived from chroma samples
5 at two or more specific positions.

a. The derivation is also dependent on the corresponding down-sampled luma samples of selected chroma samples. Alternatively, the derivation is also dependent on the corresponding luma samples of selected chroma samples such as when it is 4:4:4 color format.

10 b. For example, the parameters α and β in CCLM are derived from chroma samples at 2^S (e.g. $S=2$ or 3) positions, such as:

i. Position $\{A, D, J, M\}$;

ii. Position $\{A, B, C, D, J, K, L, M\}$;

iii. Position $\{A, I, J, Q\}$;

15 iv. Position $\{A, B, D, I, J, K, M, Q\}$;

v. Position $\{A, B, D, F, J, K, M, O\}$;

vi. Position $\{A, B, F, I, J, K, O, Q\}$;

vii. Position $\{A, C, E, I, J, L, N, Q\}$;

viii. Position $\{A, C, G, I, J, L, P, Q\}$;

20 ix. Position $\{A, C, E, G, J, L, N, P\}$;

x. Position $\{A, B, C, D\}$;

xi. Position $\{A, B, D, I\}$;

xii. Position $\{A, B, D, F\}$;

xiii. Position $\{A, C, E, I\}$;

25 xiv. Position $\{A, C, G, I\}$;

xv. Position $\{A, C, E, G\}$;

xvi. Position $\{J, K, L, M\}$;

xvii. Position $\{J, K, M, Q\}$;

xviii. Position $\{J, K, M, O\}$;

30 xix. Position $\{J, K, O, Q\}$;

xx. Position $\{J, L, N, Q\}$;

- xxi. Position {J, L, P, Q};
- xxii. Position {J, L, N, P};
- xxiii. Position {A, B, C, E, E, F, G, I};
- xxiv. Position {J, K, L, M, N, O, P, Q};

- 5 c. For example, the parameters α and β in CCLM are derived from chroma samples at:
- i. Any combination between {A, B, C, D, E, F, G, I} and {J, K, L, M, N, O, P, Q} such as
 - (a) Position A and J;
 - 10 (b) Position B and K;
 - (c) Position C and L;
 - (d) Position D and M;
 - (e) Position E and N;
 - (f) Position F and O;
 - 15 (g) Position G and P;
 - (h) Position I and Q;
 - ii. Any two different positions fetched from {A, B, C, D, E, F, G, }
 - (a) Position A and B;
 - (b) Position A and C;
 - 20 (c) Position A and D;
 - (d) Position A and E;
 - (e) Position A and F;
 - (f) Position A and G;
 - (g) Position A and I;
 - 25 (h) Position D and B;
 - (i) Position D and C;
 - (j) Position E and B;
 - (k) Position E and C;
 - (l) Position I and B;
 - 30 (m) Position I and C;
 - (n) Position I and D;

- (o) Position I and E;
 - (p) Position I and F;
 - (q) Position I and G;
 - iii. Any two different positions fetched from {J, K, L, M, N, O, P, Q}
 - 5
 - (a) Position J and K;
 - (b) Position J and L;
 - (c) Position J and M;
 - (d) Position J and N;
 - (e) Position J and O;
 - 10
 - (f) Position J and P;
 - (g) Position J and Q;
 - (h) Position M and K;
 - (i) Position M and L;
 - (j) Position N and K;
 - 15
 - (k) Position N and L;
 - (l) Position Q and K;
 - (m) Position Q and L;
 - (n) Position Q and M;
 - (o) Position Q and N;
 - 20
 - (p) Position Q and O;
 - (q) Position Q and P;
 - (r) Position Q and Q;
 - iv. In one example, if the two selected positions have identical luma value, more positions may be further checked.
 - 25
 - d. For example, not all available chroma samples are searched to find the minimum and maximum luma values to derive the parameters α and β in CCLM with the two-point method.
 - i. One chroma sample out of K chroma samples (and their corresponding down-sampled luma samples) are included in the searching set. K may be
 - 30
 - 2, 4, 6 or 8.

- (a) For example, if $\text{Rec}[x,y]$ is an above neighboring sample, it is included in the searching set only if $x\%K=0$. If $\text{Rec}[x,y]$ is a left neighboring sample, it is included in the searching set only if $y\%K=0$.
- 5 ii. Only Chroma samples at specific positions such as defined in 1.a.i~1.a.xxiv are included in the searching set.
- e. For mode LM-L, all selected samples must be left-neighboring samples.
- f. For mode LM-A, all selected samples must be above-neighboring samples.
- g. The selected positions can be fixed, or they can be adaptive.
- 10 i. In one example, which positions are selected may depend on the width and height of the current chroma block;
- ii. In one example, which positions are selected may be signaled from the encoder to the decoder, such as in VPS/SPS/PPS/slice header/tile group header/tile/CTU/CU/PU.
- 15 h. The selected chroma samples are used to derive the parameters α and β with the least mean square method as shown in Eq(2) and Eq(3). In Eq(2) and Eq(3), N is set to be the number of the selected samples.
- i. A pair of selected chroma samples are used to derive the parameters α and β with the two-point method.
- 20 j. In one example, how to select samples may depend on the availability of the neighboring blocks.
- i. For example, positions A, D, J and M are selected if both the left and the above neighboring blocks are available; position A and D are selected if only the left neighboring block is available; and position J and M are
- 25 selected if only the above neighboring block is available.
- [00110] Example 2. Sets of parameters in CCLM mode can be firstly derived and then combined to form the final linear model parameter used for coding one block. Suppose α_1 and β_1 are derived from a group of chroma samples at specific positions denoted as Group 1, α_2 and β_2 are derived from a group of chroma samples at specific positions denoted as Group 2, ..., α_N and β_N are derived from a group of chroma samples at specific positions denoted as Group N, then
- 30 the final α and β can be derived from $(\alpha_1, \beta_1), \dots, (\alpha_N, \beta_N)$.

- a. In one example, α is calculated as the average of $\alpha_1, \dots, \alpha_N$ and β is calculated as the average of $\beta_1, \dots, \beta_N$.
- i. In one example, $\alpha = \text{SignShift}(\alpha_1 + \alpha_2, 1)$, $\beta = \text{SignShift}(\beta_1 + \beta_2, 1)$.
 - ii. In one example, $\alpha = \text{Shift}(\alpha_1 + \alpha_2, 1)$, $\beta = \text{Shift}(\beta_1 + \beta_2, 1)$.
 - iii. If (α_1, β_1) and (α_2, β_2) are with different precision, for example, To get a chroma prediction CP from its corresponding down-sampled luma sample LR, it is calculated as

$$CP = \text{SignShift}(\alpha_1 \times LR + \beta_1, Sh_1)$$
 with (α_1, β_1) , but

$$CP = \text{SignShift}(\alpha_2 \times LR + \beta_2, Sh_2)$$
 with (α_2, β_2) Sh_1 is not equal to Sh_2 , then the parameters need to be shifted before being combined. Suppose $Sh_1 > Sh_2$, then before combining, the parameters should be shifted as:
 - (a) $\alpha_1 = \text{SignShift}(\alpha_1, Sh_1 - Sh_2)$, $\beta_1 = \text{SignShift}(\beta_1, Sh_1 - Sh_2)$. Then the final precision is as (α_2, β_2) .
 - (b) $\alpha_1 = \text{Shift}(\alpha_1, Sh_1 - Sh_2)$, $\beta_1 = \text{Shift}(\beta_1, Sh_1 - Sh_2)$. Then the final precision is as (α_2, β_2) .
 - (c) $\alpha_2 = \alpha_2 \ll (Sh_1 - Sh_2)$, $\beta_2 = \beta_2 \ll (Sh_1 - Sh_2)$. Then the final precision is as (α_1, β_1) .
- b. Some examples of positions in Group 1 and Group 2:
- i. Group 1: Position A and D, Group 2: Position J and M.
 - ii. Group 1: Position A and I, Group 2: Position J and Q.
 - iii. Group 1: Position A and D, Group 2: Position E and I, where there are two groups are used for mode LM-L.
 - iv. Group 1: Position J and M, Group 2: Position N and Q, where there are two groups are used for mode LM-A.
 - v. Group 1: Position A and B, Group 2: Position C and D, where there are two groups are used for mode LM-L.
 - vi. Group 1: Position J and K, Group 2: Position L and M, where there are two groups are used for mode LM-A.

[00111] Example 3. Suppose two chroma sample values denoted as C0 and C1, and their

corresponding luma sample values denoted as $L0$ and $L1$ ($L0 < L1$) are inputs. The two-point method can derive α and β with the input as

$$\alpha = \frac{C1 - C0}{L1 - L0} \text{ and } \beta = C0 - \alpha L0.$$

[00112] The bit depths of luma samples and chroma samples are denoted BL and BC. One or more simplifications for this implementation include:

- a. α is output as 0 if $L1$ is equal to $L0$. Alternatively, when $L1$ is equal to $L0$, a certain intra prediction mode (e.g., DM mode, DC or planar) is used instead of using CCLM mode to derive the prediction block.
- b. The division operation is replaced by other operations with no lookup table. $\log_2$ operation may be implemented by checking position of the most significant digit.
 - i. $\alpha = \text{Shift}(C1 - C0, \text{Floor}(\log_2(L1 - L0)))$ or
 $\alpha = \text{SignShift}(C1 - C0, \text{Floor}(\log_2(L1 - L0)))$
 - ii. $\alpha = \text{Shift}(C1 - C0, \text{Ceiling}(\log_2(L1 - L0)))$ or
 $\alpha = \text{SignShift}(C1 - C0, \text{Ceiling}(\log_2(L1 - L0)))$
 - iii. Example i or Example ii may be selected based on the value of $L1 - L0$.
 - (a) For example, Example i is used if $L1 - L0 < T$, otherwise Example ii is used. For example, T can be
 $(\text{Floor}(\log_2(L1 - L0)) + \text{Ceiling}(\log_2(L1 - L0))) / 2$
 - (b) For example, Example i is used if $3 \times (L1 - L0) < 2^{\text{Floor}(\log_2(L1 - L0)) + 2}$, otherwise Example ii is used.
 - (c) For example, Example i is used if $(L1 - L0)^2 < 2^{2 \times \text{Floor}(\log_2(L1 - L0)) + 1}$, otherwise Example ii is used.
- c. The division operation is replaced by one lookup table denoted as $M[k]$.
 - i. The size of the lookup table denoted as V is less than 2^P , where P is an integer number such as 5, 6, or 7.
 - ii. Each entry of the lookup table stores an F -bit integer number, e.g., $F = 8$ or 16.

- (a) In one example, $M[k-Z]=((1 \ll S)+\text{Off})/k$, where S is an integer defining the precision, e.g., $S=F$. Off is an offset, e.g., $\text{Off}=(k+Z) \gg 1$. Z defines the beginning value of the table, e.g., $Z=1$, or $Z=8$, or $Z=32$. A valid key k inquiring the table must satisfy $k \geq Z$.
- 5
- iii. $k=\text{Shift}(L1-L0, W)$ is used as the key to inquire the lookup table.
- (a) In one example, W depends on BL, V and Z.
- (b) In one example, W also depends on the value of $L1-L0$.
- iv. If k is not a valid key to inquire the lookup table ($k-Z < 0$ or $k-Z \geq V$), α is output as 0.
- 10
- v. For example,
- $$\alpha = \text{Shift}((C1-C0) \times M[k-Z], D), \text{ or}$$
- $$\alpha = \text{SignShift}((C1-C0) \times M[k-Z], D)$$
- vi. To get a chroma prediction CP from its corresponding (e.g., down-sampled for 4:2:0) luma sample LR, it is calculated as
- 15
- $$CP = \text{SignShift}(\alpha \times LR + \beta, Sh), \text{ or}$$
- $$CP = \text{Shift}(\alpha \times LR + \beta, Sh)$$
- vii. Sh can be a fixed number, or it may depend on the values of $C0, C1, L0, L1$ used to calculate α and β .
- 20
- (a) Sh may depend on BL, BC, V, S and D.
- (b) D may depend on Sh.
- viii. The size of the lookup table denoted as V is equal to 2^P , where P is an integer number such as 5, 6, 7 or 8. Alternatively, V is set to $2^P - M$ (e.g., M is equal to 0).
- 25
- ix. Suppose $\alpha = P/Q$ (e.g. $Q = L1-L0, P = C1-C0$, or they are derived in other ways), then α is calculated with the lookup table as
- $$\alpha = \text{Shift}(P \times M[k-Z], D) \text{ or } \alpha = \text{SignShift}(P \times M[k-Z], D), \text{ where } k \text{ is the key (index) to inquire an entry in the lookup table.}$$
- (a) In one example, k is derived from Q with a function: $k=f(Q)$.

- (b) In one example, k is derived from Q and P , with a function: $k = f(Q, P)$.
- (c) In one example, k is valid in a specific range $[kMin, kMax]$. For example, $kMin = Z$ and $kMax = V + Z$.
- 5 (d) In one example, $k = Shift(Q, W)$,
- W may depend on BL, V and Z .
 - W may depend on the value of Q .
 - In one example, when k is calculated as $Shift(Q, W)$, then α is calculated with the lookup table as
- 10
$$\alpha = (Shift(P \times M[k - Z], D)) \ll W \text{ or}$$
- $$\alpha = (SignShift(P \times M[k - Z], D)) \ll W$$
- (e) In one example, k is derived in different ways with different values of Q .
- For example, $k = Q$ when $Q \leq kMax$, and $k = Shift(Q, W)$ when $Q > kMax$. For example, W is chosen as the smallest positive integer that makes $Shift(Q, W)$ no greater than $kMax$.
 - For example, $k = Min(kMax, Q)$.
 - For example, $k = Max(kMin, Min(kMax, Q))$.
- 15 (f) In one example, when $Q < 0$, $-Q$ is used to replace Q in the calculation. Then $-\alpha$ is output.
- (g) In one example, when Q is equal to 0, then α is set to be a default value such as 0 or 1.
- (h) In one example, when Q is equal to 2^E $E \geq 0$, then $\alpha = Shift(P, E)$
- 25 or $\alpha = SignShift(P, E)$.
- d. All operations to derive the LM parameters must be within K bits, K can be 8, 10, 12, 16, 24 or 32.
- If an intermedia variable may exceed the range represented by the constrained bits, it should be clipped or right shifted to be within the constrained bits.
- 30

[00113] Example 4. One single chroma block may use multiple linear models and the

selection of multiple linear model is dependent on the position of chroma samples within the chroma block.

- a. In one example, LM-L and LM-A mode can be combined in a single chroma block.
- 5 b. In one example, some samples are predicted by LM-L mode and other samples are predicted by LM-A mode.
 - i. Fig. 7 shows an example. Suppose the top-left sample is at position (0,0). Samples at position (x,y) with $x > y$ (or $x = y$) are predicted by LM-A, and other samples are predicted by LM-L.
- 10 c. Suppose the prediction with LM-L and LM-A for a sample at position (x,y) are denoted as $P1(x,y)$ and $P2(x,y)$, respectively, then the final prediction $P(x,y)$ is calculated as a weighted sum of $P1(x,y)$ and $P2(x,y)$.
 - i. $P(x,y) = w1 * P1(x,y) + w2 * P2(x,y)$
 - (a) $w1 + w2 = 1$.
 - 15 ii. $P(x,y) = (w1 * P1(x,y) + w2 * P2(x,y) + \text{Offset}) \gg \text{shift}$, where offset may be 0 or $1 \ll (\text{shift} - 1)$, and shift is an integer such as 1, 2, 3....
 - (a) $w1 + w2 = 1 \ll \text{shift}$.
 - iii. $P(x,y) = (w1 * P1(x,y) + ((1 \ll \text{shift}) - w1) * P2(x,y) + \text{Offset}) \gg \text{shift}$, where offset may be 0 or $1 \ll (\text{shift} - 1)$, and shift is an integer such as 1, 2, 3....
 - 20 iv. $w1$ and $w2$ may depend on the position (x,y)
 - (a) For example, $w1 > w2$ (e.g. $w1=3, w2=1$) if $x < y$,
 - (b) For example, $w1 < w2$ (e.g. $w1=1, w2=3$) if $x > y$,
 - (c) For example, $w1 = w2$ (e.g. $w1=2, w2=2$) if $x = y$,
 - (d) For example, $w1 - w2$ increases if $y - x$ increases when $x < y$,
 - 25 (e) For example, $w2 - w1$ increases if $x - y$ increases when $x > y$.

[00114] Example 5. It is proposed that the neighboring samples (including chroma samples and their corresponding luma samples, which may be down-sampled) are divided into N groups. The maximum luma value and minimum luma value for the k-th group (with $k = 0, 1, \dots, N-1$) is denoted as MaxL_k and MinL_k , and their corresponding chroma values are denoted as MaxC_k and

30 MinC_k , respectively.

[00115] a. In one example, MaxL is calculated as $\text{MaxL} = f1(\text{MaxL}_{S0}, \text{MaxL}_{S1}, \dots, \text{MaxL}_{S_m})$;

MaxC is calculated as $\text{MaxC} = f2(\text{MaxC}_{S0}, \text{MaxC}_{S1}, \dots, \text{MaxC}_{S_m})$; MinL is calculated as $\text{MinL} = f3(\text{MinL}_{S0}, \text{MinL}_{S1}, \dots, \text{MinL}_{S_m})$. MinC is calculated as $\text{MinC} = f3(\text{MinC}_{S0}, \text{MinC}_{S1}, \dots, \text{MinC}_{S_m})$. f1, f2, f3 and f4 are functions. The two-point method derives α and β with the input as:

$$\alpha = \frac{\text{MaxC} - \text{MinC}}{\text{MaxL} - \text{MinL}}$$

$$\beta = \text{MinC} - \alpha \text{MinL}$$

5

[00116] i. In one example, f1, f2, f3, f4 all represent the averaging function.

[00117] ii. S0, S1, ..., Sm are indices of selected groups which are used to calculate α and β .

[00118] (1) For example, all groups are used, e.g., S0=0, S1=1, ..., Sm=N-1.

10 [00119] (2) For example, two groups are used, e.g., m=1, S0=0, S1 = N-1.

[00120] (3) For example, not all groups are used, e.g. m < N-1, S0=0, S1=2, S3= 4, ...

[00121] b. In one example, samples (or down-sampled samples) located at above rows may be classified to one group and samples (or down-sampled samples) located at left columns of a block may be classified to another group.

15

[00122] c. In one example, samples (or down-sampled samples) are classified based on their locations or coordinates.

[00123] i. For examples, samples may be classified into two groups.

[00124] (1) For a sample with coordinate (x,y) located at above rows, it is classified into group S0 if $x \% P = Q$, where P and Q are integers, e.g. P = 2, Q =1, P=2, Q = 0 or P = 4, Q = 0; Otherwise, it is classified into group S1.

20

[00125] (2) For a sample with coordinate (x,y) located at left columns, it is classified into group S0 if $y \% P = Q$, where P and Q are integers, e.g. P = 2, Q =1, P=2, Q = 0 or P = 4, Q = 0; Otherwise, it is classified into group S1.

25

[00126] (3) Only samples in one group, such as S0, are used to find MaxC and MaxL. For example, $\text{MaxL} = \text{MaxL}_{S0}$ and $\text{MaxC} = \text{MaxC}_{S0}$.

[00127] d. In one example, only partial of neighboring samples (or down-sampled samples) are used for divided to N groups.

[00128] e. The number of groups (e.g., N) and/or the selected group indices and/or functions

(f1/f2/f3/f4) may be pre-defined or signaled in SPS/VPS/PPS/picture header/slice header/tile group header/LCUs/LCU/CUs.

- [00129] f. In one example, how to select the samples for each group may depend the availability of neighboring blocks.
- 5 [00130] i. For example, $\text{MaxL}_0 / \text{MaxC}_0$ and $\text{MinL}_0 / \text{MinC}_0$ are found from position A and D; $\text{MaxL}_1 / \text{MaxC}_1$ and $\text{MinL}_1 / \text{MinC}_1$ are found from position J and M, then $\text{MaxL} = (\text{MaxL}_0 + \text{MaxL}_1) / 2$, $\text{MaxC} = (\text{MaxC}_0 + \text{MaxC}_1) / 2$, $\text{MinL} = (\text{MinL}_0 + \text{MinL}_1) / 2$, $\text{MinC} = (\text{MinC}_0 + \text{MinC}_1) / 2$, when both the left and the above neighboring blocks are available.
- [00131] ii. For example, $\text{MaxL} / \text{MaxC}$ and $\text{MinL} / \text{MinC}$ are directly found from
10 position A and D when only the left neighboring block is available.
- [00132] (1) Alternatively, α and β are set equal to some default values if the above neighboring block is not available. For example, $\alpha = 0$ and $\beta = 1 \ll (\text{bitDepth} - 1)$, where bitDepth is the bit depth of the chroma samples.
- [00133] iii. For example, $\text{MaxL} / \text{MaxC}$ and $\text{MinL} / \text{MinC}$ are directly found from
15 position J and M when only the above neighboring block is available.
- [00134] (1) Alternatively, α and β are set equal to some default values if the left neighboring block is not available. For example, $\alpha = 0$ and $\beta = 1 \ll (\text{bitDepth} - 1)$, where bitDepth is the bit depth of the chroma samples.
- [00135] g. In one example, how to select the samples for each group may depend the width
20 and height of the block.
- [00136] h. In one example, how to select the samples for each group may depend on the values of samples.
- [00137] i. In one example, the two samples with the largest luma value and minimum luma value are picked out to be in a first group. And all other samples are in a second
25 group.
- [00138] Example 6. It is proposed that whether and how to apply LM-L and LM-A mode may depend on the width (W) and height (H) of the current block.
- [00139] (a) For example, LM-L cannot be applied if $W > K \times H$. e.g., $K = 2$.
- [00140] (b) For example, LM-A cannot be applied if $H > K \times W$. e.g., $K = 2$.
- 30 [00141] (c) If one of LM-L and LM-A cannot be applied, the flag to indicate whether LM-L or LM-A is used should not be signaled.

[00142] Example 7. A flag is signaled to indicate whether CCLM mode is applied. The context used in arithmetic coding to code the flag may depend on whether the top-left neighboring block as shown in FIG. 8 applies CCLM mode or not.

[00143] (a) In one example, a first context is used if the top-left neighboring block applies CCLM mode; and a second context is used if the top-left neighboring block does not apply CCLM mode.

[00144] (b) In one example, if the top-left neighboring block is not available, it is considered as not applying CCLM mode.

[00145] (c) In one example, if the top-left neighboring block is not available, it is considered as applying CCLM mode.

[00146] (d) In one example, if the top-left neighboring block is not intra-coded, it is considered as not applying CCLM mode.

[00147] (e) In one example, if the top-left neighboring block is not intra-coded, it is considered as applying CCLM mode.

[00148] Example 8. Indications or codewords of DM and LM modes may be coded in different orders from sequence to sequence/picture to picture/tile to tile/block to block.

[00149] (a) The coding order of indications of LM and DM (e.g., firstly code whether it is LM mode, if not, then code whether it is DM mode; or firstly code whether it is DM mode, if not, then code whether it is LM mode) may be depend on the mode information of one or multiple neighboring blocks.

[00150] (b) In one example, when the top-left block of the current block is available and coded with LM mode, then the indication of LM mode is firstly coded.

[00151] (c) Alternatively, when the top-left block of the current block is available and coded with DM mode, then the indication of DM mode is firstly coded.

[00152] (d) Alternatively, when the top-left block of the current block is available and coded with non-LM (e.g., DM mode or other intra prediction modes excluding LM), then the indication of DM mode is firstly coded.

[00153] (e) In one example, indications of the order may be signaled in in SPS/VPS/PPS/picture header/slice header/tile group header/LCUs/LCU/CUs.

[00154] Example 9. In above examples, samples (or down-sampled samples) may be located beyond the range of $2 \times W$ above neighboring samples or $2 \times H$ left neighboring samples as shown

in FIG. 6.

[00155] (a) With LM mode or LM-L mode, it may use a neighboring sample $\text{RecC}[x-1, y+d]$, where d is in the range of $[T, S]$. T may be smaller than 0, and S may be larger than $2H-1$. For example, $T = -4$ and $S = 3H$. In another example, $T = 0$, $S = \max(2H, W+H)$. In still another example, $T = 0$ and $S = 4H$.

[00156] (b) With LM mode or LM-A mode, it may use a neighboring sample $\text{RecC}[x+d, y]$, where d is in the range of $[T, S]$. T may be smaller than 0, and S may be larger than $2W-1$. For example, $T = -4$ and $S = 3W$. In another example, $T = 0$, $S = \max(2W, W+H)$. In still another example, $T = 0$ and $S = 4W$.

10 [00157] Example 10. In one example, the chroma neighboring samples and their corresponding luma samples (may be down-sampled) are down-sampled before deriving the linear model parameters α and β as disclosed in Examples 1-7. Suppose the width and height of the current chroma block is W and H .

[00158] (a) In one example, whether and how to conduct down-sampling may depend on
15 W and H .

[00159] (b) In one example, the number of neighboring samples used to derive the parameters left to the current block, and the number of neighboring samples used to derive the parameters above to the current block should be the same after the down-sampling process.

[00160] (c) In one example, the chroma neighboring samples and their corresponding
20 luma samples (may be down-sampled) are not down-sampled if W is equal to H .

[00161] (d) In one example, the chroma neighboring samples and their corresponding luma samples (may be down-sampled) left to the current block are down-sampled if $W < H$.

[00162] (i) In one example, one chroma sample in each H/W chroma samples are picked to be used for deriving α and β . Other chroma samples are discarded. For example,
25 suppose $R[0, 0]$ represents the top-left sample of the current block, then $R[-1, K*H/W]$, K from 0 to $W-1$, are picked to be used for deriving α and β .

[00163] (e) In one example, the chroma neighboring samples and their corresponding luma samples (may be down-sampled) above to the current block are down-sampled if $W > H$.

[00164] (ii) In one example, one chroma sample in each W/H chroma samples are
30 picked to be used for deriving α and β . Other chroma samples are discarded. For example, suppose $R[0, 0]$ represents the top-left sample of the current block, then $R[K*W/H, -1]$, K from

0 to H-1, are picked to be used for deriving α and β .

[00165] (ii) FIG. 9 shows examples of samples to be picked up when position D and position M in FIG. 6 are used to derive α and β , and down-sampling performed when $W>H$.

[00166] Example 11. Neighboring downsampled/originally reconstructed samples and/or
5 downsampled/originally reconstructed samples may be further refined before being used in the linear model prediction process or cross-color component prediction process.

[00167] (a) "To be refined" may refer to a filtering processing.

[00168] (b) "To be refined" may refer to any non-linear processing

[00169] (c) It is proposed that several neighbouring samples (including chroma samples

10 and their corresponding luma samples, which may be down-sampled) are picked up to calculate C1, C0, L1 and L0, in order to derive α and β , such as $\alpha = (C1 - C0) / (L1 - L0)$ and $\beta = C0 - \alpha L0$.

[00170] (d) In one example, S neighboring luma samples (maybe down-sampled) denoted as Lx1, Lx2,..., LxS, and their corresponding chroma samples denoted as Cx1, Cx2, ... CxS are
15 used to derive C0 and L0, and T neighboring luma samples (maybe down-sampled) denoted as Ly1, Ly2,..., LyT, and their corresponding chroma samples denoted as Cy1, Cy2, ... CyT are used to derive C1 and L1 as:

[00171] (i) $C0=f0(Cx1, Cx2, \dots CxS)$, $L0=f1(Lx1, Lx2, \dots LxS)$, $C1=f2(Cy1, Cy2, \dots CyT)$, $L1=f4(Ly1, Ly2, \dots LyT)$. f0, f1, f2 and f3 are any functions.

20 [00172] (ii) In one example, f0 is identical to f1.

[00173] (iii) In one example, f2 is identical to f3.

[00174] (iv) In one example, f0 f1 f2 f3 are identical.

[00175] 1. For example, they are all the averaging function.

[00176] (v) In one example, S is equal to T.

25 [00177] 1. In one example, the set $\{x1, x2, \dots xS\}$ is identical to the set $\{y1, y2, \dots, yT\}$.

[00178] (vi) In one example, Lx1, Lx2,..., LxS are chosen as the smallest S luma samples of a group of luma samples.

[00179] 1. For example, the group of luma samples includes all

30 neighboring samples used in VTM-3.0 to derive CCLM linear parameters.

[00180] 2. For example, the group of luma samples includes partial

neighboring samples used in VTM-3.0 to derive CCLM linear parameters.

[00181] a. For example, the group of luma samples includes four samples as shown in Fig. 2-5.

[00182] (vii) In one example, $Ly_1, Ly_2, \dots, Ly_S$ are chosen as the largest S luma samples of a group of luma samples.

[00183] 1. For example, the group of luma samples includes all neighboring samples used in VTM-3.0 to derive CCLM linear parameters.

[00184] 2. For example, the group of luma samples includes partial neighboring samples used in VTM-3.0 to derive CCLM linear parameters.

10 [00185] a. For example, the group of luma samples includes four samples as shown in FIGS. 2-5.

[00186] Example 12. It is proposed to select other neighboring or downsampled neighboring samples based on the largest neighboring or downsampled neighboring sample in a given set of neighboring or downsampled neighboring samples.

15 [00187] (a) In one example, denote the largest neighboring or downsampled neighboring sample is located at position (x_0, y_0) . Then samples in the region $(x_0-d_1, y_0), (x_0, y_0-d_2), (x_0+d_3, y_0), (x_0, y_0+d_4)$ may be utilized to select other samples. Integers $\{d_1, d_2, d_3, d_4\}$ may depend on the position (x_0, y_0) . For example, if (x_0, y_0) is left to the current block, then $d_1 = d_3 = 1$ and $d_2=d_4=0$. If (x_0, y_0) is above to the current block, then $d_1 = d_3=0$ and $d_2=d_4 = 1$.

20 [00188] (b) In one example, denote the smallest neighboring or downsampled neighboring sample is located at position (x_1, y_1) . Then samples in the region $(x_1-d_1, y_1), (x_1, y_1-d_2), (x_1+d_3, y_1), (x_1, y_1+d_4)$ may be utilized to select other samples. Integers $\{d_1, d_2, d_3, d_4\}$ may depend on the position (x_1, y_1) . For example, if (x_1, y_1) is left to the current block, then $d_1 = d_3 = 1$ and $d_2=d_4=0$. If (x_1, y_1) is above to the current block, then $d_1 = d_3=0$ and $d_2=d_4 = 1$.

25 [00189] (c) In one example, the above samples are representing samples of one color component (e.g., luma color component). Samples used in CCLM/cross-color component process may be derived by corresponding coordinates of a second color component.

[00190] (d) Similar way can be used to derive smallest samples.

[00191] Example 13: In above examples, luma and chroma may be switched. Alternatively, luma color component may be replaced by the main color component (e.g., G), and chroma color component may be replaced by dependent color component (e.g., B or R).

30

[00192] Example 14. Selection of locations of chroma samples (and/or corresponding luma samples) may depend on the coded mode information.

[00193] (a) Alternatively, furthermore, it may depend on the availability of neighboring samples, such as whether left column or above row or above-right row or below-left column is available. FIG. 10 depicts the concepts of left column/above row/above-right row/below-left column relative to a block.

[00194] (b) Alternatively, furthermore, it may depend on the availability of samples located at certain positions, such as whether the 1st top-right sample and/or 1st below-left sample is available.

10 [00195] (c) Alternatively, furthermore, it may depend on block dimensions.

[00196] (i) Alternatively, furthermore, it may depend on the ratio between width and height of current chroma (and/or luma) block.

[00197] (ii) Alternatively, furthermore, it may depend on whether the width and/or height is equal to K (e.g., $K = 2$).

15 [00198] (d) In one example, when the current mode is a normal LM mode, the following ways may be applied to select chroma samples (and/or luma samples downsampled or non-downsampled):

[00199] (i) If both left column and above row are available, two samples of left column and two of above row may be selected. They may be located at (suppose the top-left coordinate of the current block is (x, y)):

[00200] 1. $(x-1, y)$, $(x, y-1)$, $(x-1, y+H-1)$ and $(x + W-1, y-1)$

[00201] 2. $(x-1, y)$, $(x, y-1)$, $(x-1, y + H - H/W - 1)$ and $(x + W-1, y-1)$. For example, when H is larger than W.

[00202] 3. $(x-1, y)$, $(x, y-1)$, $(x-1, y + H - 1)$ and $(x + W - W/H-1, y-1)$. For example, when H is smaller than W.

[00203] 4. $(x-1, y)$, $(x, y-1)$, $(x-1, y + H - \max(1, H/W))$ and $(x + W - \max(1, W/H), y-1)$.

[00204] (ii) If only above row is available, samples are only selected from the above row.

30 [00205] 1. For example, four samples of above row may be selected.

[00206] 2. For example, two samples may be selected.

- [00207] 3. How to select the samples may depend on the width/height. For example, four samples are selected when $W > 2$ and two samples are selected when $W = 2$.
- [00208] 4. The selected samples may be located at (suppose the top-left coordinate of the current block is (x, y)):
- 5 [00209] a. $(x, y-1), (x + W/4, y-1), (x + 2*W/4, y-1), (x + 3*W/4, y - 1)$
- [00210] b. $(x, y-1), (x + W/4, y-1), (x + 3*W/4, y - 1), (x + W-1, y -1)$
- [00211] c. $(x, y-1), (x + (2W)/4, y-1), (x + 2*(2W)/4, y-1), (x + 3*(2W)/4, y - 1)$.
- [00212] For example, when top-right row is available, or when 1st top-right sample is available.
- 10 [00213] d. $(x, y-1), (x + (2W)/4, y-1), (x + 3*(2W)/4, y - 1), (x + (2W)-1, y -1)$.
- [00214] For example, when top-right row is available, or when 1st top-right sample is available.
- [00215] (iii) If only left column is available, samples are only selected from the left column.
- 15 [00216] 1. For example, four samples of left column may be selected;
- [00217] 2. For example, two samples of left column may be selected;
- [00218] 3. How to select the samples may depend on the width/height. For example, four samples are selected when $H > 2$ and two samples are selected when $H = 2$.
- [00219] 4. The selected samples may be located at:
- 20 [00220] a. $(x-1, y), (x -1, y + H/4), (x -1, y + 2*H/4), (x -1, y + 3*H/4)$
- [00221] b. $(x-1, y), (x - 1, y+ 2*H/4), (x -1, y + 3*H/4) , (x -1, y + H-1)$
- [00222] c. $(x-1, y), (x -1, y + (2H)/4), (x -1, y + 2*(2H)/4), (x -1, y + 3*(2H)/4)$.
- [00223] For example, when below-left column is available, or when 1st below-left sample is available.
- 25 [00224] d. $(x-1, y), (x - 1, y+ 2*(2H)/4), (x -1, y + 3*(2H)/4) , (x -1, y + (2H)-1)$.
- [00225] For example, when below-left column is available, or when 1st below-left sample is available.
- [00226] (iv) For above examples, only two of the four samples may be selected.
- [00227] (e) In one example, when the current mode is the LM-A mode, it may choose
- 30 samples according to Example 11(d)(ii).
- [00228] (f) In one example, when the current mode is the LM-L mode, it may choose

samples according to Example 11(d)(iii).

[00229] (g) The luma selected samples (e.g., according to the selected chroma locations) may be grouped to 2 groups, one is with the largest value and smallest value of all selected samples, the other group is with all remaining samples.

5 [00230] (i) The two maximum values of 2 groups are averaged as the maximum value in the 2-point method; the two minimum values of 2 groups are averaged as the minimum value in the 2-point method to derive LM parameters.

[00231] (ii) When there are only 4 samples selected, two larger sample values are averaged, two smaller sample values are averaged, and averaged values are used as the input to
10 the 2-point method to derive LM parameters.

[00232] Example 15. In above examples, luma and chroma may be switched. Alternatively, luma color component may be replaced by the main color component (e.g., G), and chroma color component may be replaced by dependent color component (e.g., B or R).

[00233] Example 16. It is proposed to select the above neighbouring chroma samples (and/or
15 their corresponding luma samples which may be down-sampled) based on a first position offset value (denoted as F) and a step value (denoted as S). Suppose the width of available above neighbouring samples to be used is W.

- a. In one example, W may be set to the width of current block.
- b. In one example, W may be set to ($L \times$ width of current block) wherein L is an integer
20 value.
- c. In one example, when both above and left blocks are available, W may be set to the width of current block.
 - i. Alternatively, when the left block is NOT available, W may be set to ($L \times$ width of current block) wherein L is an integer value.
 - 25 ii. In one example, L may be dependent on the availability of top-right block. Alternatively, L may depend on the availability of one top-left sample.
- d. In one example, W may depend on the coded mode.
 - i. In one example, W may be set to the width of current block if the current block is coded as LM mode;
 - 30 ii. W may be set to ($L \times$ width of current block) wherein L is an integer value if the current block is coded as LM-A mode.

- (a) L may be dependent on the availability of top-right block.
Alternatively, L may depend on the availability of one top-left sample.
- 5 e. Suppose the top-left coordinate of the current block is (x_0, y_0) , then the above neighbouring samples at positions $(x_0 + F + K \times S, y_0 - 1)$ with $K = 0, 1, 2, \dots, k_{\text{Max}}$ are selected.
- f. In one example, $F = W/P$. P is an integer.
- i. For example, $P = 2^i$, where i is an integer such as 1 or 2.
- ii. Alternatively, $F = W/P + \text{offset}$.
- 10 g. In one example, $S = W/Q$. Q is an integer.
- i. For example, $Q = 2^j$, where j is an integer such as 1 or 2.
- h. In one example, $F = S/R$. R is an integer.
- i. For example, $R = 2^m$, where m is an integer such as 1 or 2.
- i. In one example, $S = F/Z$. Z is an integer.
- 15 i. For example, $Z = 2^n$, where n is an integer such as 1 or 2.
- j. k_{Max} and/or F and/or S and/or *offset* may depend on the prediction mode (such as LM, LM-A or LM-L) of the current block;
- k. k_{Max} and/or F and/or S and/or *offset* may depend on the width and/or height of the current block.
- 20 l. k_{Max} and/or F and/or S and/or *offset* may depend on availability of neighbouring samples.
- m. k_{Max} and/or F and/or S and/or *offset* may depend on W.
- n. For example, $k_{\text{Max}}=1$, $F = W/4$, $S = W/2$, *offset* = 0. Alternatively, furthermore, the settings are done if the current block is LM coded, both the left and above neighbouring samples are available, and $W \geq 4$.
- 25 o. For example, $k_{\text{Max}}=3$, $F = W/8$, $S = W/4$, *offset* = 0. Alternatively, furthermore, the settings are done if the current block is LM coded, only above neighbouring samples are available, and $W \geq 4$.
- p. For example, $k_{\text{Max}}=3$, $F = W/8$, $S = W/4$, *offset* = 0. Alternatively, furthermore, the settings are done if the current block is LM-A coded and $W \geq 4$.
- 30

- q. For example, $k_{\text{Max}}=1$, $F=0$, $S=1$, $\text{offset}=0$. Alternatively, furthermore, the settings are done if W is equal to 2.

- [00234] Example 17. It is proposed to select the left neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled) based on a first position offset value (denoted as F) and a step value (denoted as S). Suppose the height of available left neighbouring samples to be used is H .
- a. In one example, H may be set to the height of current block.
 - b. In one example, H may be set to $(L * \text{height of current block})$ wherein L is an integer value.
 - c. In one example, when both above and left blocks are available, H may be set to the height of current block.
 - i. Alternatively, when the above block is NOT available, H may be set to $(L * \text{height of current block})$ wherein L is an integer value.
 - ii. In one example, L may be dependent on the availability of below-left block. Alternatively, L may be dependent on the availability of one below-left sample.
 - iii. Alternatively, H may be set to $(\text{height of current block} + \text{width of the current block})$ if the required above-right neighbouring blocks are available.
 - (a) In one example, same H above neighbouring samples are picked for LM-A mode and LM mode when left neighbouring samples are unavailable.
 - d. In one example, H may depend on the coded mode.
 - i. In one example, H may be set to the height of current block if the current block is coded as LM mode;
 - ii. W may be set to $(L * \text{height of current block})$ wherein L is an integer value if the current block is coded as LM-L mode.
 - (a) L may be dependent on the availability of below-left block. Alternatively, L may depend on the availability of one top-left sample.

- (b) Alternatively, W may be set to (height of current block + width of the current block) if the required below-left neighbouring blocks are available.
- (c) In one example, same W left neighbouring samples are picked for LM-L mode and LM mode when above neighbouring samples are unavailable.
- 5 e. Suppose the top-left coordinate of the current block is (x_0, y_0) , then the left neighbouring samples at positions $(x_0-1, y_0+F+K \times S)$ with $K=0, 1, 2, \dots, k_{\text{Max}}$ are selected.
- 10 f. In one example, $F=H/P$. P is an integer.
- i. For example, $P=2^i$, where i is an integer such as 1 or 2.
- ii. Alternatively, $F=H/P+\text{offset}$.
- g. In one example, $S=H/Q$. Q is an integer.
- i. For example, $Q=2^j$, where j is an integer such as 1 or 2.
- 15 h. In one example, $F=S/R$. R is an integer.
- i. For example, $R=2^m$, where m is an integer such as 1 or 2.
- i. In one example, $S=F/Z$. Z is an integer.
- i. For example, $Z=2^n$, where n is an integer such as 1 or 2.
- j. k_{Max} and/or F and/or S and/or *offset* may depend on the prediction mode (such as LM, LM-A or LM-L) of the current block;
- 20 k. k_{Max} and/or F and/or S and/or *offset* may depend on the width and/or height of the current block.
- l. k_{Max} and/or F and/or S and/or *offset* may depend on H .
- m. k_{Max} and/or F and/or S and/or *offset* may depend on availability of neighbouring samples.
- 25 n. For example, $k_{\text{Max}}=1$, $F=H/4$, $S=H/2$, *offset* = 0. Alternatively, furthermore, the settings are done if the current block is LM coded, both the left and above neighbouring samples are available, and $H \geq 4$.
- o. For example, $k_{\text{Max}}=3$, $F=H/8$, $S=H/4$, *offset* = 0. Alternatively, furthermore, the settings are done if the current block is LM coded, only above neighbouring samples are available, and $H \geq 4$.
- 30

- p. For example, $k_{\text{Max}}=3$, $F=H/8$, $S=H/4$, $\text{offset}=0$. Alternatively, furthermore, the settings are done if the current block is LM-L coded and $H \geq 4$.
- q. For example, $k_{\text{Max}}=1$, $F=0$, $S=1$, $\text{offset}=0$ if H is equal to 2.

[00235] Example 18: It is proposed two or four neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled) are selected to derive the linear model parameters.

- a. In one example, maxY/maxC and minY/minC are derived from two or four neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled), and are then used to derive the linear model parameters with the 2-point approach.
- b. In one example, if there are two neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled) are selected to derive the maxY/maxC and minY/minC , minY is set to be the smaller luma sample value and minC is its corresponding chroma sample value; maxY is set to be the larger luma sample value and maxC is its corresponding chroma sample value.
- c. In one example, if there are four neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled) are selected to derive the maxY/maxC and minY/minC , the luma samples and their corresponding chroma samples are divided into two arrayes $G0$ and $G1$, each contains two luma samples and their corresponding chroma samples.
 - i. Suppose the four luma samples and their corresponding chroma samples are denoted as $S0, S1, S2, S3$, then they can be divided into two groups in any order. For example:
 - (a) $G0=\{S0, S1\}$, $G1=\{S2, S3\}$;
 - (b) $G0=\{S1, S0\}$, $G1=\{S3, S2\}$;
 - (c) $G0=\{S0, S2\}$, $G1=\{S1, S3\}$;
 - (d) $G0=\{S2, S0\}$, $G1=\{S3, S1\}$;
 - (e) $G0=\{S1, S2\}$, $G1=\{S0, S3\}$;
 - (f) $G0=\{S2, S1\}$, $G1=\{S3, S0\}$;
 - (g) $G0=\{S0, S3\}$, $G1=\{S1, S2\}$;

- 5
- (h) $G0=\{S3, S0\}$, $G1=\{S2, S1\}$;
 - (i) $G0=\{S1, S3\}$, $G1=\{S0, S2\}$;
 - (j) $G0=\{S3, S1\}$, $G1=\{S2, S0\}$;
 - (k) $G0=\{S3, S2\}$, $G1=\{S0, S1\}$;
 - (l) $G0=\{S2, S3\}$, $G1=\{S1, S0\}$;
 - (m) $G0$ and $G1$ may be swapped.
- 10
- ii. In one example, Luma sample value of $G0[0]$ and $G0[1]$ are compared, if luma sample value of $G0[0]$ is larger than luma sample value of $G0[1]$, the luma sample and its corresponding chroma sample of $G0[0]$ are swapped with those of $G0[1]$.
- 15
- (a) Alternatively, if luma sample value of $G0[0]$ is larger than or equal to luma sample value of $G0[1]$, the luma sample and its corresponding chroma sample of $G0[0]$ are swapped with those of $G0[1]$.
 - (b) Alternatively, if luma sample value of $G0[0]$ is smaller than luma sample value of $G0[1]$, the luma sample and its corresponding chroma sample of $G0[0]$ are swapped with those of $G0[1]$.
 - (c) Alternatively, if luma sample value of $G0[0]$ is smaller than or equal to luma sample value of $G0[1]$, the luma sample and its corresponding chroma sample of $G0[0]$ are swapped with those of $G0[1]$.
- 20
- iii. In one example, Luma sample value of $G1[0]$ and $G1[1]$ are compared, if luma sample value of $G1[0]$ is larger than luma sample value of $G1[1]$, the luma sample and its corresponding chroma sample of $G1[0]$ are swapped with those of $G1[1]$.
- 25
- (a) Alternatively, if luma sample value of $G1[0]$ is larger than or equal to luma sample value of $G1[1]$, the luma sample and its corresponding chroma sample of $G1[0]$ are swapped with those of $G1[1]$.

- (b) Alternatively, if luma sample value of $G1[0]$ is smaller than luma sample value of $G1[1]$, the luma sample and its corresponding chroma sample of $G1[0]$ are swapped with those of $G1[1]$.
- (c) Alternatively, if luma sample value of $G1[0]$ is smaller than or equal to luma sample value of $G1[1]$, the luma sample and its corresponding chroma sample of $G1[0]$ are swapped with those of $G1[1]$.
- iv. In one example, Luma sample value of $G0[0]$ and $G1[1]$ are compared, if luma sample value of $G0[0]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[1]$, then $G0$ and $G1$ are swapped.
- (a) In one example, Luma sample value of $G0[0]$ and $G1[0]$ are compared, if luma sample value of $G0[0]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[0]$, then $G0$ and $G1$ are swapped.
- (b) In one example, Luma sample value of $G0[1]$ and $G1[0]$ are compared, if luma sample value of $G0[1]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[0]$, then $G0$ and $G1$ are swapped.
- (c) In one example, Luma sample value of $G0[1]$ and $G1[1]$ are compared, if luma sample value of $G0[1]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[1]$, then $G0$ and $G1$ are swapped.
- v. In one example, Luma sample value of $G0[0]$ and $G1[1]$ are compared, if luma sample value of $G0[0]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[1]$, then $G0[0]$ and $G1[1]$ are swapped.
- (a) In one example, Luma sample value of $G0[0]$ and $G1[0]$ are compared, if luma sample value of $G0[0]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[0]$, then $G0[0]$ and $G1[0]$ are swapped.

- (b) In one example, Luma sample value of $G0[1]$ and $G1[0]$ are compared, if luma sample value of $G0[1]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[0]$, then $G0[1]$ and $G1[0]$ are swapped.
- 5 (c) In one example, Luma sample value of $G0[1]$ and $G1[1]$ are compared, if luma sample value of $G0[1]$ is larger than (or smaller than, or not larger than, or not smaller than) luma sample value of $G1[1]$, then $G0[1]$ and $G1[1]$ are swapped.
- 10 vi. In one example, $\max Y$ is calculated as the average of luma sample values of $G0[0]$ and $G0[1]$, $\max C$ is calculated as the average of chroma sample values of $G0[0]$ and $G0[1]$.
- (a) Alternatively, $\max Y$ is calculated as the average of luma sample values of $G1[0]$ and $G1[1]$, $\max C$ is calculated as the average of chroma sample values of $G1[0]$ and $G1[1]$.
- 15 vii. In one example, $\min Y$ is calculated as the average of luma sample values of $G0[0]$ and $G0[1]$, $\min C$ is calculated as the average of chroma sample values of $G0[0]$ and $G0[1]$.
- Alternatively, $\min Y$ is calculated as the average of luma sample values of $G1[0]$ and $G1[1]$, $\min C$ is calculated as the average of chroma sample values
- 20 of $G1[0]$ and $G1[1]$.
- d. In one example, if there are only two neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled) are available, they are first padded to be four chroma samples (and/or their corresponding luma samples), then the four chroma samples (and/or their corresponding luma samples) are used
- 25 to derive the CCLM parameters.
- i. In one example, two padding chroma samples (and/or their corresponding luma samples) are copied from the two available neighbouring chroma samples (and/or their corresponding luma samples which may be down-sampled)

30 [00236] Example 19: In all above examples, the selected chroma samples shall be located within

the above row (i.e., with W samples) as depicted in FIG. 10, and/or the left column (i.e., with H samples) wherein W and H are the width and height of the current block.

- a. Alternatively, above restriction may be applied when current block is coded with the normal LM mode.
- 5 b. Alternatively, the selected chroma samples shall be located within the above row (i.e., with W samples) and above-right row with H samples.
 - i. Alternatively, furthermore, the above restriction may be applied when the current block is coded with the LM-A mode.
 - 10 ii. Alternatively, furthermore, the above restriction may be applied when the current block is coded with the LM-A mode or the normal LM mode with above row available but left column is unavailable.
- c. Alternatively, the selected chroma samples shall be located within the left column (i.e., with H samples) and below-left column with W samples.
 - 15 i. Alternatively, furthermore, the above restriction may be applied when the current block is coded with the LM-L mode.
 - ii. Alternatively, furthermore, the above restriction may be applied when the current block is coded with the LM-L mode or the normal LM mode with above row unavailable but left column is available.

[00237] Example 20

- 20 **[00238]** In one example, only the neighbouring luma samples at the positions where corresponding chroma samples are required to derive the CCLM parameters, need to be down-sampled.

[00239] Example 21

- 25 **[00240]** How to conduct the methods disclosed in this document may depend on the color format (such as 4:2:0 or 4:4:4).

- a. Alternatively, how to conduct the methods disclosed in this document may depend on the bit-depth (such as 8-bit or 10-bit).
- b. Alternatively, how to conduct the methods disclosed in this document may depend on the color representation method (such as RGB or YCbCr).

- c. Alternatively, how to conduct the methods disclosed in this document may depend on the color representation method (such as RGB or YCbCr).
- d. Alternatively, how to conduct the methods disclosed in this document may depend on the chroma down-sampling location.

5 [00241] Example 22

[00242] Whether to derive the maximum/minimum values of luma and chroma components used to derive CCLM parameters may depend on the availability of left and above neighbours. For example, the maximum/minimum values for luma and chroma components used to derive CCLM parameters may not be derived if both the left and above neighbouring blocks are
10 unavailable.

- a. Whether to derive the maximum/minimum values of luma and chroma components used to derive CCLM parameters may depend on the number of available neighbor samples. For example, the maximum/minimum values for luma and chroma components used to derive CCLM parameters may not be derived if numSampL
15 $\equiv 0$ and numSampT $\equiv 0$. In another example, the maximum/minimum values for luma and chroma components used to derive CCLM parameters may not be derived if numSampL + numSampT $\equiv 0$. In the two examples, numSampL and numSampT are the number of available neighbouring samples from left and above neighbouring blocks.
- 20 b. Whether to derive the maximum/minimum values of luma and chroma components used to derive CCLM parameters may depend on the number of picked samples used to derive the parameters. For example, the maximum/minimum values for luma and chroma components used to derive CCLM parameters may not be derived if cntL $\equiv 0$ and cntT $\equiv 0$. In another example, the maximum/minimum values for
25 luma and chroma components used to derive CCLM parameters may not be derived if cntL + cntT $\equiv 0$. In the two examples, cntL and cntT are the number of picked samples from left and above neighbouring blocks.

[00243] Example 23

[00244] In one example, the proposed method to derive the parameters used in CCLM, may
30 be used to derive the parameters used in LIC or other coding tools that relies on linear model.

- a. The examples disclosed above may be applied to LIC, such as by replacing “chroma neighbouring samples” by “neighbouring samples of the current block” and replacing “corresponding luma samples” by “neighbouring samples of the reference block”.
- 5 b. In one example, the samples utilized for LIC parameter derivation may exclude samples certain positions in the above row and/or left column.
- i. In one example, the samples utilized for LIC parameter derivation may exclude the first one in the above row.
- (a) Suppose that the top-left sample’s coordinate is (x_0, y_0) , it is
10 proposed to exclude (x_0, y_0-1) for the usage of LIC parameters.
- ii. In one example, the samples utilized for LIC parameter derivation may exclude the first one in the left column.
- (a) Suppose that the top-left sample’s coordinate is (x_0, y_0) , it is
15 proposed to exclude (x_0-1, y_0) for the usage of LIC parameters.
- iii. Whether to apply above methods and/or how to define the certain positions may depend on the availability of left column/above row.
- iv. Whether to apply above methods and/or how to define the certain positions may depend on block dimension.
- c. In one example, N neighbouring samples (which may be down-sampled) of the
20 current block and N corresponding neighbouring samples (which may be down-sampled correspondingly) of the reference block may be used to derive the parameters used for LIC.
- i. For example, N is 4.
- ii. In one example, the N neighboring samples may be defined as N/2 samples
25 from above row; and N/2 samples from left column.
- (a) Alternatively, the N neighboring samples may be defined as N samples from above row or left column.
- iii. In another example, N is equal to $\min(L, T)$, where T is the total number of available neighbouring samples (which may be down-sampled) of the
30 current block.
- (a) In one example, L is set to 4

- iv. In one example, the selection of the coordinates of the N samples may follow the rule for selecting N samples in the CCLM process.
- v. In one example, the selection of the coordinates of the N samples may follow the rule for selecting N samples in the LM-A process.
- 5 vi. In one example, the selection of the coordinates of the N samples may follow the rule for selecting N samples in the LM-L process.
- vii. In one example, how to select the N samples may depend on the availability of above row/left column.
- d. In one example, the N neighbouring samples (which may be down-sampled) of the current block and the N corresponding neighbouring samples (which may be down-sampled correspondingly) of the reference block are used to derive the parameters used in LIC, may be picked up based on sample positions.
- 10 i. The picking up method may depend on width and height of the current block.
- 15 ii. The picking up method may depend on the availability of the neighbouring blocks.
- iii. For example, K1 neighbouring samples may be picked up from the left neighbouring samples and K2 neighbouring samples are picked up from the above neighbouring samples, if both above and left neighbouring samples are available. E.g. K1=K2=2.
- 20 iv. For example, K1 neighbouring samples may be picked up from the left neighbouring samples if only left neighbouring samples are available. E.g. K1 =4.
- v. For example, K2 neighbouring samples may be picked up from the above neighbouring samples if only above neighbouring samples are available. E.g. K2 =4.
- 25 vi. For example, the above samples may be picked up with a first position offset value (denoted as F) and a step value (denoted as S) which may depend on the dimension of the current block and the availability of the neighbouring blocks.
- 30

- (a) For example, methods disclosed in Example 16 can be applied to derive F and S.
- vii. For example, the left samples may be picked up with a first position offset value (denoted as F) and a step value (denoted as S) which may depend on the dimension of the current block and the availability of the neighboring blocks.
- (a) For example, methods disclosed in Example 17 can be applied to derive F and S.
- e. In one example, the proposed method to derive the parameters used in CCLM, may also be used to derive the parameters used in LIC, when the current block is affine-coded.
- f. The above methods may be used to derive the parameters used in other coding tools that relies on linear model.

[00245] In another example, cross-component prediction mode is proposed wherein the chroma samples are predicted with corresponding reconstructed luma samples according to the prediction model, as shown in Eq. 12. In Eq. 12, $Pred_C(x, y)$ denotes a prediction sample of chroma. α and β are two model parameters. $Rec'_L(x, y)$ is a down-sampled luma sample.

$$Pred_C(x, y) = \alpha \times Rec'_L(x, y) + \beta, \quad (12)$$

[00246] A six-tap filter is introduced for the luma down-sampled process for block A in FIG. 11, as shown in Eq. 13.

$$\begin{aligned} Rec'_L(x, y) = & (2 \times Rec_L(2x, 2y) + 2 \times Rec_L(2x, 2y + 1) \\ & + Rec_L(2x - 1, 2y) + Rec_L(2x + 1, 2y) \\ & + Rec_L(2x - 1, 2y + 1) \\ & + Rec_L(2x + 1, 2y + 1) + 4) >> 3. \end{aligned} \quad (13)$$

[00247] The above surrounding luma reference samples shaded in FIG. 11 are down-sampled with a 3-tap filter, as shown in Eq. 14. The left surrounding luma reference samples are down-sampled according to Eq. 15. If the left or above samples are not available, a 2-tap filter defined in Eq. 16 and Eq. 17 will be used.

$$Rec'_L(x, y) = (2 \times Rec_L(2x, 2y) + Rec_L(2x - 1, 2y) + Rec_L(2x + 1, 2y)) >> 2 \quad (14)$$

$$Rec'_L(x, y) = \{2 \times Rec_L(2x, 2y) + Rec_L(2x, 2y + 1) + Rec_L(2x, 2y - 1)\} \gg 2 \quad (15)$$

$$Rec'_L(x, y) = \{3 \times Rec_L(2x, 2y) + Rec_L(2x + 1, 2y) + 2\} \gg 2 \quad (16)$$

$$Rec'_L(x, y) = \{3 \times Rec_L(2x, 2y) + Rec_L(2x, 2y + 1) + 2\} \gg 2 \quad (17)$$

[00248] In particular, the surrounding luma reference samples are down sampled to the equal
 5 size to the chroma reference samples. The size is denoted as *width* and *height*. To derive α and β , only two or four neighboring samples are involved. A look-up table is applied to avoid the division operation when deriving α and β . The derivation methods is illustrated below.

3.1 Exemplary methods with up to two samples

[00249] (1) The ratio r of *width* and *height* is calculated as shown in Eq. 18.

$$r = \begin{cases} \frac{width}{height} & \text{if } width \geq height \\ \frac{height}{width} & \text{if } height < width \end{cases} \quad (18)$$

[00250] (2) If the above and the left blocks are both available, 2 samples locating at *posA*
 of the first above line, and *posL* of the first left line are selected. To simplify the description,
 width is assumed as the longer side. The derivation of *posA* and *posL* is shown in Eq. 19 (The
 position index starts from 0). FIG. 12 shows some examples of different width and height ratio
 15 (1, 2, 4 and 8, respectively). The selected samples are shaded.

$$\begin{aligned} posA &= width - r \\ posL &= height \end{aligned} \quad (19)$$

[00251] (3) If the above block is available while the left block is not available, the first
 and the *posA* points of the above line are selected, as shown in FIG. 13.

[00252] (4) If the left block is available while the above block is not available, the first
 20 and the *posL* points of the left line are selected, as shown in FIG. 14.

[00253] (5) A chroma prediction model is derived according to the luminance and
 chrominance values of selected samples.

[00254] (6) If neither of the left and above blocks are available, a default prediction model
 is used, with α equals 0, β equals to $1 \ll (\text{BitDepth} - 1)$, where BitDepth represents the bit-depth of
 25 chroma samples.

3.2 Exemplary methods with up to four samples

[00255] (1) The ratio r of *width* and *height* is calculated as Eq. 18.

[00256] (2) If the above and the left blocks are both available, 4 samples locating at the first and $posA$ of the first above line, the first and $posL$ of the first left line are selected. The derivation of $posA$ and $posL$ is illustrated in Eq. 19. FIG. 15 shows some examples of different width and height ratio (1, 2, 4 and 8, respectively). The selected samples are shaded.

5 [00257] (3) If the above block is available while the left block is not available, the first and the $posA$ points of the above line are selected, as shown in FIG. 13.

[00258] (4) If the left block is available while the above block is not available, the first and the $posL$ points of the left line are selected, as shown in FIG. 14.

10 [00259] (5) If neither of the left and above blocks are available, a default prediction model is used, with α equals 0, β equals to $1 \ll (\text{BitDepth}-1)$, where BitDepth represents the bit-depth of chroma samples.

3.3 Exemplary methods that use lookup tables in LM derivation

[00260] FIG. 16 shows an example of lookup tables with 128, 64 and 32 entries and each entry is represented by 16 bits. The 2-point LM derivation process is simplified as shown in Table 1 and FIG. 17 with 64 entries. It should be noted that the first entry may not be stored into the table.

[00261] It should also be noted that although each entry in the exemplary tables are designed to be with 16 bits, it can be easily transformed to a number with less bits (such as 8 bits or 12 bits). For example, a table of entries with 8 bits can be attained as:

20 [00262]
$$g_aiLMDivTableHighSimp_64_8[i] = (g_aiLMDivTableHighSimp_64[i] + 128) \gg 8.$$

[00263] For example, a table of entries with 12 bits can be attained as:

[00264]
$$g_aiLMDivTableHighSimp_64_12[i] = (g_aiLMDivTableHighSimp_64[i] + 8) \gg 4.$$

25 *Table 1: Simplified LM derivation process*

```
int iDeltaLuma = maxLuma - minLuma;
const int TABLE_PRECISION = 16; // It may be 8 or 12.
const int BIT_DEPTH = 10; // Bit depth for samples.
int shift = TABLE_PRECISION;
if( iDeltaLuma > 64) {
    int depthshift = BIT_DEPTH - 6; // 64 is equal to 2^6.
    iDeltaLuma = ( iDeltaLuma + (1<<(depthshift-1)))>> depthshift;
```

```

    shift -= depthshift;
}
a = (((maxChroma - minChroma)*g_aiLMDivTableHighSimp_64[iDeltaLuma-1] + (1<<(shift-1)))>>shift;

```

[00265] It should be noted that maxLuma and minLuma may indicate the maximum and minimum luma samples values of selected positions. Alternatively, they may indicate a function of maximum and minimum luma samples values of selected positions, such as averaging. When there are only 4 positions selected, they may also indicate the average of two larger luma values and average of two smaller luma values. Further note that in FIG. 17, maxChroma and minChroma represents the chroma values corresponding to maxLuma and minLuma.

[00266] 3.3 Method #4 with up to four samples

[00267] Suppose the block width and height of current chroma block is W and H, respectively.
 10 And the top-left coordinate of current chroma block is [0, 0].

[00268] If the above and the left blocks are both available and current mode is the normal LM mode (excluding LM-A, and LM-L), 2 chroma samples locating at above row, and 2 chroma samples located left column are selected.

[00269] The two above samples' coordinates are $\lfloor W/4 \rfloor, -1$ and $\lfloor 3*W/4 \rfloor, -1$.

15 [00270] The two left samples' coordinates are $-1, \lfloor H/4 \rfloor$ and $-1, \lfloor 3*H/4 \rfloor$.

[00271] The selected samples are painted in red as depicted in FIG. 22A.

[00272] Subsequently, the 4 samples are sorted according to luma sample intensity and classified into 2 group. The two larger samples and two smaller samples are respectively averaged. Cross component prediction model is derived with the 2 averaged points. Alternatively, the maximum and minimum value of the four samples are used to derive the LM parameters.
 20

[00273] If the above block is available while the left block is not available, four chroma samples from above block are selected when $W>2$ and 2 chroma samples are selected when $W=2$.

[00274] The four selected above samples' coordinates are $W/8, -1$, $W/8 + W/4, -1$, $W/8 + 2*W/4, -1$, and $W/8 + 3*W/4, -1$.

25 [00275] The selected samples are painted in red as depicted in FIG. 22B

[00276] If the left block is available while the above block is not available, four chroma samples from left block are selected when $H>2$ and 2 chroma samples are selected when $H=2$.

[00277] The four selected left samples' coordinates are $-1, H/8$, $-1, H/8 + H/4$, $-1, H/8 +$

$2*H/4, -1]$, and $[-1, H/8 + 3*H/4]$.

[00278] If neither of the left and above blocks are available, a default prediction is used. with α equals 0, β equals to $1 \ll (\text{BitDepth}-1)$, where BitDepth represents the bit-depth of chroma samples.

[00279] If the current mode is the LM-A mode, four chroma samples from above block are selected when $W' > 2$ and 2 chroma samples are selected when $W' = 2$. W' is the available number of above neighbouring samples, which can be $2*W$.

[00280] The four selected above samples' coordinates are $[W'/8, -1]$, $[W'/8 + W'/4, -1]$, $[W'/8 + 2*W'/4, -1]$, and $[W'/8 + 3*W'/4, -1]$.

[00281] If the current mode is the LM-L mode, four chroma samples from left block are selected when $H' > 2$ and 2 chroma samples are selected when $H' = 2$. H' is the available number of left neighbouring samples, which can be $2*H$.

[00282] The four selected left samples' coordinates are $[-1, H'/8]$, $[-1, H'/8 + H'/4]$, $[-1, H'/8 + 2*H'/4, -1]$, and $[-1, H'/8 + 3*H'/4]$.

[00283] **3.5 Example embodiment for modifying current VVC standard for use of CCLM prediction.**

[00284] **8.3.4.2.8 Specification of INTRA_LT_CCLM, INTRA_L_CCLM and INTRA_T_CCLM intra prediction mode**

[00285] The equations are described in this section using the equation numbers corresponding to those in the current draft of the VVC standard.

[00286] Inputs to this process are:

- the intra prediction mode predModeIntra ,
- a sample location (x_{TbC}, y_{TbC}) of the top-left sample of the current transform block relative to the top-left sample of the current picture,
- a variable $nTbW$ specifying the transform block width,
- a variable $nTbH$ specifying the transform block height,
- chroma neighbouring samples $p[x][y]$, with $x = -1, y = 0..2 * nTbH - 1$ and $x = 0..2 * nTbW - 1, y = -1$.

[00287] Output of this process are predicted samples $\text{predSamples}[x][y]$, with $x = 0..nTbW - 1, y = 0..nTbH - 1$.

[00288] The current luma location (x_{TbY}, y_{TbY}) is derived as follows:

$$(x_{TbY}, y_{TbY}) = (x_{TbC} \ll 1, y_{TbC} \ll 1) \quad (8-155)$$

[00289] The variables availL, availT and availTL are derived as follows:

...

- If predModeIntra is equal to INTRA_LT_CCLM, the following applies:

$$\text{numSampT} = \text{availT} ? \text{nTbW} : 0 \quad (8-156)$$

$$5 \quad \text{numSampL} = \text{availL} ? \text{nTbH} : 0 \quad (8-157)$$

- Otherwise, the following applies:

$$\text{numSampT} = (\text{availT} \ \&\& \ \text{predModeIntra} == \text{INTRA_T_CCLM}) ? (\text{nTbW} + \text{numTopRight}) : 0 \quad (8-158)$$

$$10 \quad \text{numSampL} = (\text{availL} \ \&\& \ \text{predModeIntra} == \text{INTRA_L_CCLM}) ? (\text{nTbH} + \text{numLeftBelow}) : 0 \quad (8-159)$$

[00290] The variable bCTUboundary is derived as follows:

$$\text{bCTUboundary} = (\text{yTbC} \ \& \ (1 \ll (\text{CtbLog2SizeY} - 1) - 1) == 0) ? \text{TRUE} : \text{FALSE}. \quad (8-160)$$

[00291] The prediction samples predSamples[x][y] with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:

- 15 – If both numSampL and numSampT are equal to 0, the following applies:

$$\text{predSamples}[x][y] = 1 \ll (\text{BitDepth}_c - 1) \quad (8-161)$$

- Otherwise, the following ordered steps apply:

1. ...[no changes to current specification]
2. ...
- 20 3. ...
4. ...
5. ...
6.[no changes to current specification]
7. The variables minY, maxY, minC and maxC are derived as follows:
 - 25 – The variable minY is set equal to $1 \ll (\text{BitDepth}_y) + 1$ and the variable maxY is set equal to -1.
 - If availL is equal to TRUE and predModeIntra is equal to INTRA_LT_CCLM, the variable aboveIs4 is set equal to 0; Otherwise, it is set equal to 1.
 - If availT is equal to TRUE and predModeIntra is equal to INTRA_LT_CCLM, the variable LeftIs4 is set equal to 0; Otherwise, it is set equal to 1.
 - 30 – The variable arrays startPos[] and pickStep[] are derived as follows:

- startPos[0] = actualTopTemplateSampNum >> (2 + aboveIs4);
- pickStep[0] = std::max(1, actualTopTemplateSampNum >> (1 + aboveIs4));
- startPos[1] = actualLeftTemplateSampNum >> (2 + leftIs4);
- pickStep[1] = std::max(1, actualLeftTemplateSampNum >> (1 + leftIs4));
- 5 – The variable cnt is set equal to 0.
- If predModeIntra is equal to INTRA_LT_CCLM, the variable nSX is set equal to nTbW, nSY is set equal to nTbH; Otherwise, nSX is set equal to numSampLT and nSY is set equal to numSampL.
- 10 – If availT is equal to TRUE and predModeIntra is not equal to INTRA_L_CCLM, the variables selectLumaPix, selectChromaPix are derived as follows:
 - While startPos[0]+cnt* pickStep[0] < nSX and cnt < 4, the following applies:
 - selectLumaPix[cnt] = pTopDsY[startPos[0]+cnt* pickStep[0]];
 - selectChromaPix[cnt]= p[startPos[0]+cnt* pickStep[0]][-1];
 - cnt++;
- 15 – If availL is equal to TRUE and predModeIntra is not equal to INTRA_T_CCLM, the variables selectLumaPix, selectChromaPix are derived as follows:
 - While startPos[1]+cnt* pickStep[1] < nSY and cnt < 4, the following applies:
 - selectLumaPix[cnt] = pLeftDsY [startPos[1]+cnt* pickStep[1]];
 - selectChromaPix[cnt]= p[-1][startPos[1]+cnt* pickStep[1]];
 - cnt++;
- 20 – If cnt is equal to 2, the following applies:
 - If selectLumaPix[0] > selectLumaPix[1], minY is set equal to selectLumaPix[1], minC is set equal to selectChromaPix[1], maxY is set equal to selectLumaPix[0] and maxC is set equal to selectChromaPix[0]; Otherwise, maxY is set equal to selectLumaPix[1], maxC is set equal to selectChromaPix[1], minY is set equal to selectLumaPix[0] and minC is set equal to selectChromaPix[0]
- 25 – Otherwise, if cnt is equal to 4, the following applies:
 - The variable arrays minGrpIdx and maxGrpIdx are initialized as:
 - minGrpIdx[0] = 0, minGrpIdx[1] = 1, maxGrpIdx[0] = 2, maxGrpIdx[1] = 3;
- 30 – The following applies
 - If selectLumaPix[minGrpIdx[0]] > selectLumaPix[minGrpIdx[1]], swap minGrpIdx[0] and minGrpIdx[1];
 - If selectLumaPix[maxGrpIdx[0]] > selectLumaPix[maxGrpIdx[1]], swap maxGrpIdx[0] and maxGrpIdx[1];

- If $\text{selectLumaPix}[\text{minGrpIdx}[0]] > \text{selectLumaPix}[\text{maxGrpIdx}[1]]$, swap minGrpIdx and maxGrpIdx ;
- If $\text{selectLumaPix}[\text{minGrpIdx}[1]] > \text{selectLumaPix}[\text{maxGrpIdx}[0]]$, swap $\text{minGrpIdx}[1]$ and $\text{maxGrpIdx}[0]$;
- 5 – maxY , maxC , minY and minC are derived as follows:
 - $\text{maxY} = (\text{selectLumaPix}[\text{maxGrpIdx}[0]] + \text{selectLumaPix}[\text{maxGrpIdx}[1]] + 1) \gg 1$;
 - $\text{maxC} = (\text{selectChromaPix}[\text{maxGrpIdx}[0]] + \text{selectChromaPix}[\text{maxGrpIdx}[1]] + 1) \gg 1$;
 - 10 – $\text{maxY} = (\text{selectLumaPix}[\text{minGrpIdx}[0]] + \text{selectLumaPix}[\text{minGrpIdx}[1]] + 1) \gg 1$;
 - $\text{maxC} = (\text{selectChromaPix}[\text{minGrpIdx}[0]] + \text{selectChromaPix}[\text{minGrpIdx}[1]] + 1) \gg 1$;
 - 15 –

8. The variables a , b , and k are derived as follows:

[00292] [end of changes]

[00293] **3.6 Another exemplary working draft on proposed CCLM prediction**

[00294] In this section, another exemplary embodiment that shows modifications that can be made to the current working draft of the VVC standard is described. The equation numbers here refer to the corresponding equation numbers in the VVC standard.

[00295] Specification of INTRA_LT_CCLM, INTRA_L_CCLM and INTRA_T_CCLM intra prediction mode.

[00296] [add to the current VVC working draft as below]

25 The number of available neighbouring chroma samples on the top and top-right numTopSamp and the number of available neighbouring chroma samples on the left and left-below nLeftSamp are derived as follows:

- If predModeIntra is equal to INTRA_LT_CCLM, the following applies:

$$\text{numSampT} = \text{availT} ? \text{nTbW} : 0 \quad (8-157)$$

$$\text{numSampL} = \text{availL} ? \text{nTbH} : 0 \quad (8-158)$$

- Otherwise, the following applies:

$$\begin{aligned} \text{numSampT} = & (\text{availT} \ \&\& \ \text{predModeIntra} == \text{INTRA_T_CCLM}) ? \\ & (\text{nTbW} + \text{Min}(\text{numTopRight}, \text{nTbH})) : 0 \end{aligned} \quad (8-159)$$

$$\text{numSampL} = (\text{availL} \ \&\& \ \text{predModeIntra} == \text{INTRA_L_CCLM}) ?$$

$$(\text{nTbH} + \text{Min}(\text{numLeftBelow}, \text{nTbW})) : 0 \quad (8-160)$$

The variable bCTUboundary is derived as follows:

$$\text{bCTUboundary} = (\text{yTbC} \ \& \ (1 \ll (\text{CtbLog2SizeY} - 1) - 1) == 0) ? \text{TRUE} : \text{FALSE}. \quad (8-161)$$

- 5 The variable cntN and array pickPosN[] with N being replaced by L and T, are derived as follows:
- The variable numIs4N is set equal to $((\text{availN} \ \&\& \ \text{predModeIntra} == \text{INTRA_LT_CCLM}) ? 0 : 1)$.
 - The variable startPosN is set equal to $\text{numSampN} \gg (2 + \text{numIs4N})$.
- 10 – The variable pickStepN is set equal to $\text{Max}(1, \text{numSampN} \gg (1 + \text{numIs4N}))$.
- If availN is equal to TRUE and predModeIntra is equal to INTRA_LT_CCLM or INTRA_N_CCLM, cntN is set equal to $(1 + \text{numIs4N}) \ll 1$, and pickPosN[pos] is set equal to $(\text{startPosN} + \text{pos} * \text{pickStepN})$, with $\text{pos} = 0..(\text{cntN} - 1)$.
 - Otherwise, cntN is set equal to 0.
- 15 The prediction samples predSamples[x][y] with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:
- If both numSampL and numSampT are equal to 0, the following applies:
$$\text{predSamples}[x][y] = 1 \ll (\text{BitDepth}_c - 1) \quad (8-162)$$
 - Otherwise, the following ordered steps apply:
 - 20 1. The collocated luma samples pY[x][y] with $x = 0..nTbW * 2 - 1$, $y = 0..nTbH * 2 - 1$ are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 2. The neighbouring luma samples samples pY[x][y] are derived as follows:
 - 25 – When numSampL is greater than 0, the neighbouring left luma samples pY[x][y] with $x = -1..-3$, $y = 0..2 * \text{numSampL} - 1$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 - When numSampT is greater than 0, the neighbouring top luma samples pY[x][y] with $x = 0..2 * \text{numSampT} - 1$, $y = -1, -2$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 - 30 – When availTL is equal to TRUE, the neighbouring top-left luma samples pY[x][y] with $x = -1$, $y = -1, -2$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 3. The down-sampled collocated luma samples pDsY[x][y] with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:
 - 35 – If sps_cclm_collocated_chroma_flag is equal to 1, the following applies:

- $pDsY[x][y]$ with $x = 1..nTbW - 1$, $y = 1..nTbH - 1$ is derived as follows:

$$pDsY[x][y] = (pY[2 * x][2 * y - 1] + pY[2 * x - 1][2 * y] + 4 * pY[2 * x][2 * y] + pY[2 * x + 1][2 * y] + pY[2 * x][2 * y + 1] + 4) >> 3 \quad (8-163)$$

- 5 – If `availL` is equal to `TRUE`, $pDsY[0][y]$ with $y = 1..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[0][2 * y - 1] + pY[-1][2 * y] + 4 * pY[0][2 * y] + pY[1][2 * y] + pY[0][2 * y + 1] + 4) >> 3 \quad (8-164)$$

- 10 – Otherwise, $pDsY[0][y]$ with $y = 1..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[0][2 * y - 1] + 2 * pY[0][2 * y] + pY[0][2 * y + 1] + 2) >> 2 \quad (8-165)$$

- If `availT` is equal to `TRUE`, $pDsY[x][0]$ with $x = 1..nTbW - 1$ is derived as follows:

$$15 \quad pDsY[x][0] = (pY[2 * x][-1] + pY[2 * x - 1][0] + 4 * pY[2 * x][0] + pY[2 * x + 1][0] + pY[2 * x][1] + 4) >> 3 \quad (8-166)$$

- Otherwise, $pDsY[x][0]$ with $x = 1..nTbW - 1$ is derived as follows:

$$20 \quad pDsY[x][0] = (pY[2 * x - 1][0] + 2 * pY[2 * x][0] + pY[2 * x + 1][0] + 2) >> 2 \quad (8-167)$$

- If `availL` is equal to `TRUE` and `availT` is equal to `TRUE`, $pDsY[0][0]$ is derived as follows:

$$25 \quad pDsY[0][0] = (pY[0][-1] + pY[-1][0] + 4 * pY[0][0] + pY[1][0] + pY[0][1] + 4) >> 3 \quad (8-168)$$

- Otherwise if `availL` is equal to `TRUE` and `availT` is equal to `FALSE`, $pDsY[0][0]$ is derived as follows:

$$pDsY[0][0] = (pY[-1][0] + 2 * pY[0][0] + pY[1][0] + 2) >> 2 \quad (8-169)$$

- 30 – Otherwise if `availL` is equal to `FALSE` and `availT` is equal to `TRUE`, $pDsY[0][0]$ is derived as follows:

$$pDsY[0][0] = (pY[0][-1] + 2 * pY[0][0] + pY[0][1] + 2) >> 2 \quad (8-170)$$

- Otherwise (`availL` is equal to `FALSE` and `availT` is equal to `FALSE`), $pDsY[0][0]$ is derived as follows:

$$pDsY[0][0] = pY[0][0] \quad (8-171)$$

- 35 – Otherwise, the following applies:

- $pDsY[x][y]$ with $x = 1..nTbW - 1$, $y = 0..nTbH - 1$ is derived as follows:

$$pDsY[x][y] = (pY[2 * x - 1][2 * y] + pY[2 * x - 1][2 * y + 1] + 2 * pY[2 * x][2 * y] + 2 * pY[2 * x][2 * y + 1] + pY[2 * x + 1][2 * y] + pY[2 * x + 1][2 * y + 1] + 4) >> 3 \quad (8-172)$$

- 5 – If `availL` is equal to `TRUE`, $pDsY[0][y]$ with $y = 0..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[-1][2 * y] + pY[-1][2 * y + 1] + 2 * pY[0][2 * y] + 2 * pY[0][2 * y + 1] + pY[1][2 * y] + pY[1][2 * y + 1] + 4) >> 3 \quad (8-173)$$

- 10 – Otherwise, $pDsY[0][y]$ with $y = 0..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[0][2 * y] + pY[0][2 * y + 1] + 1) >> 1 \quad (8-174)$$

- 4. When `numSampL` is greater than 0, the selected neighbouring left chroma samples $pSelC[idx]$ are set equal to $p[-1][pickPosL[idx]]$ with $idx = 0..(cntL - 1)$, and the selected down-sampled neighbouring left luma samples $pSelDsY[idx]$ with $idx = 0..(cntL - 1)$ are derived as follows:

- 15 – The variable y is set equal to $pickPosL[idx]$.
- If `sps_cclm_collocated_chroma_flag` is equal to 1, the following applies:
- If $y > 0 \parallel availTL = TRUE$,

$$pSelDsY[idx] = (pY[-2][2 * y - 1] + pY[-3][2 * y] + 4 * pY[-2][2 * y] + pY[-1][2 * y] + pY[-2][2 * y + 1] + 4) >> 3 \quad (8-175)$$

- Otherwise,

$$pSelDsY[idx] = (pY[-3][0] + 2 * pY[-2][0] + pY[-1][0] + 2) >> 2 \quad (8-177)$$

- Otherwise, the following applies:

$$pSelDsY[idx] = (pY[-1][2 * y] + pY[-1][2 * y + 1] + 2 * pY[-2][2 * y] + 2 * pY[-2][2 * y + 1] + pY[-3][2 * y] + pY[-3][2 * y + 1] + 4) >> 3 \quad (8-178)$$

- 5. When `numSampT` is greater than 0, the selected neighbouring top chroma samples $pSelC[idx]$ are set equal to $p[pickPosT[idx]][-1]$ with $idx = 0..(cntT - 1)$, and the down-sampled neighbouring top luma samples $pSelDsY[idx]$ with $idx = cntL..(cntL + cntT - 1)$ are specified as follows:

- 30 – The variable x is set equal to $pickPosT[idx - cntL]$.
- If `sps_cclm_collocated_chroma_flag` is equal to 1, the following applies:
- If $x > 0$:
- 35 – If `bCTUboundary` is equal to `FALSE`, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x][-3] + \\ & \text{pY}[2 * x - 1][-2] + 4 * \text{pY}[2 * x][-2] + \text{pY}[2 * x + 1][-2] + \\ & \text{pY}[2 * x][-1] + 4) >> 3 \end{aligned} \quad (8-179)$$

- 5 – Otherwise (bCTUboundary is equal to TRUE), the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][-1] + \\ & 2 * \text{pY}[2 * x][-1] + \\ & \text{pY}[2 * x + 1][-1] + 2) >> 2 \end{aligned} \quad (8-180)$$

- Otherwise:

- 10 – If availTL is equal to TRUE and bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[0][-3] + \\ & \text{pY}[-1][-2] + 4 * \text{pY}[0][-2] + \text{pY}[1][-2] + \\ & \text{pY}[0][-1] + 4) >> 3 \end{aligned} \quad (8-181)$$

- 15 – Otherwise if availTL is equal to TRUE and bCTUboundary is equal to TRUE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][-1] + \\ & 2 * \text{pY}[0][-1] + \\ & \text{pY}[1][-1] + 2) >> 2 \end{aligned} \quad (8-182)$$

- 20 – Otherwise if availTL is equal to FALSE and bCTUboundary is equal to FALSE, the following applies:

$$\text{pSelDsY}[\text{idx}] = (\text{pY}[0][-3] + 2 * \text{pY}[0][-2] + \text{pY}[0][-1] + 2) >> 2 \quad (8-183)$$

- Otherwise (availTL is equal to FALSE and bCTUboundary is equal to TRUE), the following applies:

$$\text{pSelDsY}[\text{idx}] = \text{pY}[0][-1] \quad (8-184)$$

- Otherwise, the following applies:

- If $x > 0$:

- If bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][-2] + \text{pY}[2 * x - 1][-1] + \\ & 2 * \text{pY}[2 * x][-2] + 2 * \text{pY}[2 * x][-1] + \\ & \text{pY}[2 * x + 1][-2] + \text{pY}[2 * x + 1][-1] + 4) >> 3 \end{aligned} \quad (8-185)$$

- Otherwise (bCTUboundary is equal to TRUE), the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][-1] + \\ & 2 * \text{pY}[2 * x][-1] + \\ & \text{pY}[2 * x + 1][-1] + 2) >> 2 \end{aligned} \quad (8-186)$$

- Otherwise:

- If availTL is equal to TRUE and bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][[-2]] + \text{pY}[-1][[-1]] + \\ & 2 * \text{pY}[0][[-2]] + 2 * \text{pY}[0][[-1]] + \\ & \text{pY}[1][[-2]] + \text{pY}[1][[-1]] + 4) \gg 3 \end{aligned} \quad (8-187)$$

- Otherwise if availTL is equal to TRUE and bCTUboundary is equal to TRUE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][[-1]] + \\ & 2 * \text{pY}[0][[-1]] + \\ & \text{pY}[1][[-1]] + 2) \gg 2 \end{aligned} \quad (8-188)$$

- Otherwise if availTL is equal to FALSE and bCTUboundary is equal to FALSE, the following applies:

$$\text{pSelDsY}[\text{idx}] = (\text{pY}[0][[-2]] + \text{pY}[0][[-1]] + 1) \gg 1 \quad (8-189)$$

- Otherwise (availTL is equal to FALSE and bCTUboundary is equal to TRUE), the following applies:

$$\text{pSelDsY}[\text{idx}] = \text{pY}[0][[-1]] \quad (8-190)$$

6. The variables minY, maxY, minC and maxC are derived as follows:

-
- When cntT+cntL is equal to 2, set pSelC[idx + 2] = pSelC[idx] and pSelDsY[idx + 2] = pSelDsY[idx], with idx = 0 and 1.
- The arrays minGrpIdx[] and maxGrpIdx[] are set as: minGrpIdx[0] = 0, minGrpIdx[1] = 1, maxGrpIdx[0] = 2, maxGrpIdx[1] = 3.
- If pSelDsY[minGrpIdx[0]] > pSelDsY[minGrpIdx[1]], Swap(minGrpIdx[0], minGrpIdx[1]).
- If pSelDsY[maxGrpIdx[0]] > pSelDsY[maxGrpIdx[1]], Swap(maxGrpIdx[0], maxGrpIdx[1]).
- If pSelDsY[minGrpIdx[0]] > pSelDsY[maxGrpIdx[1]], Swap(minGrpIdx, maxGrpIdx).
- If pSelDsY[minGrpIdx[1]] > pSelDsY[maxGrpIdx[0]], Swap(minGrpIdx[1], maxGrpIdx[0]).
- $\text{maxY} = (\text{pSelDsY}[\text{maxGrpIdx}[0]] + \text{pSelDsY}[\text{maxGrpIdx}[1]] + 1) \gg 1.$
- $\text{maxC} = (\text{pSelC}[\text{maxGrpIdx}[0]] + \text{pSelC}[\text{maxGrpIdx}[1]] + 1) \gg 1.$
- $\text{minY} = (\text{pSelDsY}[\text{minGrpIdx}[0]] + \text{pSelDsY}[\text{minGrpIdx}[1]] + 1) \gg 1.$
- $\text{minC} = (\text{pSelC}[\text{minGrpIdx}[0]] + \text{pSelC}[\text{minGrpIdx}[1]] + 1) \gg 1.$

7. The variables a, b, and k are derived as follows:

- If numSampL is equal to 0, and numSampT is equal to 0, the following applies:
 - $k = 0$ (8-208)
 - $a = 0$ (8-209)
 - $b = 1 \ll (\text{BitDepth}_C - 1)$ (8-210)
- 5 – Otherwise, the following applies:
 - $\text{diff} = \text{maxY} - \text{minY}$ (8-211)
 - If diff is not equal to 0, the following applies:
 - $\text{diffC} = \text{maxC} - \text{minC}$ (8-212)
 - $x = \text{Floor}(\text{Log2}(\text{diff}))$ (8-213)
 - 10 $\text{normDiff} = ((\text{diff} \ll 4) \gg x) \& 15$ (8-214)
 - $x += (\text{normDiff} \neq 0) ? 1 : 0$ (8-215)
 - $y = \text{Floor}(\text{Log2}(\text{Abs}(\text{diffC}))) + 1$ (8-216)
 - $a = (\text{diffC} * (\text{divSigTable}[\text{normDiff}] | 8) + 2^{y-1}) \gg y$ (8-217)
 - $k = ((3 + x - y) < 1) ? 1 : 3 + x - y$ (8-218)
 - 15 $a = ((3 + x - y) < 1) ? \text{Sign}(a) * 15 : a$ (8-219)
 - $b = \text{minC} - ((a * \text{minY}) \gg k)$ (8-220)
 - where $\text{divSigTable}[]$ is specified as follows:
 - $\text{divSigTable}[] = \{ 0, 7, 6, 5, 5, 4, 4, 3, 3, 2, 2, 1, 1, 1, 1, 0 \}$ (8-221)
 - Otherwise (diff is equal to 0), the following applies:
 - 20 $k = 0$ (8-222)
 - $a = 0$ (8-223)
 - $b = \text{minC}$ (8-224)
 - 8. The prediction samples $\text{predSamples}[x][y]$ with $x = 0..n\text{TbW} - 1$, $y = 0..n\text{TbH} - 1$ are derived as follows:
 - 25 $\text{predSamples}[x][y] = \text{Clip1C}(((\text{pDsY}[x][y] * a) \gg k) + b)$ (8-225)

[00297] [End of the embodiment example]

[00298] 3.7 Another exemplary working draft on proposed CCLM prediction

[00299] In this section, another exemplary embodiment that shows modifications that can be

made to the current working draft of the VVC standard is described. The equation numbers here refer to the corresponding equation numbers in the VVC standard.

[00300] Specification of INTRA_LT_CCLM, INTRA_L_CCLM and INTRA_T_CCLM intra prediction mode

5 ...

The number of available neighbouring chroma samples on the top and top-right numTopSamp and the number of available neighbouring chroma samples on the left and left-below nLeftSamp are derived as follows:

– If predModeIntra is equal to INTRA_LT_CCLM, the following applies:

$$10 \quad \text{numSampT} = \text{availT} ? \text{nTbW} : 0 \quad (8-157)$$

$$\text{numSampL} = \text{availL} ? \text{nTbH} : 0 \quad (8-158)$$

– Otherwise, the following applies:

$$\text{numSampT} = (\text{availT} \ \&\& \ \text{predModeIntra} == \text{INTRA_T_CCLM}) ? \\ (\text{nTbW} + \text{Min}(\text{numTopRight}, \text{nTbH})) : 0 \quad (8-159)$$

$$15 \quad \text{numSampL} = (\text{availL} \ \&\& \ \text{predModeIntra} == \text{INTRA_L_CCLM}) ? \\ (\text{nTbH} + \text{Min}(\text{numLeftBelow}, \text{nTbW})) : 0 \quad (8-160)$$

The variable bCTUboundary is derived as follows:

$$\text{bCTUboundary} = (\text{yTbC} \ \& \ (1 \ll (\text{CtbLog2SizeY} - 1) - 1) == 0) ? \text{TRUE} : \text{FALSE}. \quad (8-161)$$

20 The variable cntN and array pickPosN[] with N being replaced by L and T, are derived as follows:

– The variable numIs4N is set equal to $((\text{availN} \ \&\& \ \text{predModeIntra} == \text{INTRA_LT_CCLM}) ? 0 : 1)$.

– The variable startPosN is set equal to $\text{numSampN} \gg (2 + \text{numIs4N})$.

– The variable pickStepN is set equal to $\text{Max}(1, \text{numSampN} \gg (1 + \text{numIs4N}))$.

25 – If availN is equal to TRUE and predModeIntra is equal to INTRA_LT_CCLM or INTRA_N_CCLM, cntN is set equal to $\text{Min}(\text{numSampN}, (1 + \text{numIs4N}) \ll 1)$, and pickPosN[pos] is set equal to $(\text{startPosN} + \text{pos} * \text{pickStepN})$, with $\text{pos} = 0..(\text{cntN} - 1)$.

– Otherwise, cntN is set equal to 0.

30 The prediction samples predSamples[x][y] with $x = 0.. \text{nTbW} - 1$, $y = 0.. \text{nTbH} - 1$ are derived as follows:

– If both numSampL and numSampT are equal to 0, the following applies:

$$\text{predSamples}[x][y] = 1 \ll (\text{BitDepth}_c - 1) \quad (8-162)$$

- Otherwise, the following ordered steps apply:
1. The collocated luma samples $pY[x][y]$ with $x = 0..nTbW * 2 - 1$, $y = 0..nTbH * 2 - 1$ are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 2. The neighbouring luma samples $pY[x][y]$ are derived as follows:
 - When numSampL is greater than 0, the neighbouring left luma samples $pY[x][y]$ with $x = -1..-3$, $y = 0..2 * numSampL - 1$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 - When numSampT is greater than 0, the neighbouring top luma samples $pY[x][y]$ with $x = 0..2 * numSampT - 1$, $y = -1, -2$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 - When availTL is equal to TRUE, the neighbouring top-left luma samples $pY[x][y]$ with $x = -1$, $y = -1, -2$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 3. The down-sampled collocated luma samples $pDsY[x][y]$ with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:
 - If sps_cclm_collocated_chroma_flag is equal to 1, the following applies:
 - $pDsY[x][y]$ with $x = 1..nTbW - 1$, $y = 1..nTbH - 1$ is derived as follows:

$$pDsY[x][y] = (pY[2 * x][2 * y - 1] + pY[2 * x - 1][2 * y] + 4 * pY[2 * x][2 * y] + pY[2 * x + 1][2 * y] + pY[2 * x][2 * y + 1] + 4) >> 3 \quad (8-163)$$
 - If availL is equal to TRUE, $pDsY[0][y]$ with $y = 1..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[0][2 * y - 1] + pY[-1][2 * y] + 4 * pY[0][2 * y] + pY[1][2 * y] + pY[0][2 * y + 1] + 4) >> 3 \quad (8-164)$$
 - Otherwise, $pDsY[0][y]$ with $y = 1..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[0][2 * y - 1] + 2 * pY[0][2 * y] + pY[0][2 * y + 1] + 2) >> 2 \quad (8-165)$$
 - If availT is equal to TRUE, $pDsY[x][0]$ with $x = 1..nTbW - 1$ is derived as follows:

$$pDsY[x][0] = (pY[2 * x][-1] + pY[2 * x - 1][0] + 4 * pY[2 * x][0] + pY[2 * x + 1][0] + pY[2 * x][1] + 4) >> 3 \quad (8-166)$$
 - Otherwise, $pDsY[x][0]$ with $x = 1..nTbW - 1$ is derived as follows:

$$pDsY[x][0] = (pY[2 * x - 1][0] + 2 * pY[2 * x][0] + pY[2 * x + 1][0] + 2) >> 2 \quad (8-167)$$

- If availL is equal to TRUE and availT is equal to TRUE, pDsY[0][0] is derived as follows:

$$\text{pDsY}[0][0] = (\text{pY}[0][-1] + \text{pY}[-1][0] + 4 * \text{pY}[0][0] + \text{pY}[1][0] + \text{pY}[0][1] + 4) >> 3 \quad (8-168)$$

- Otherwise if availL is equal to TRUE and availT is equal to FALSE, pDsY[0][0] is derived as follows:

$$\text{pDsY}[0][0] = (\text{pY}[-1][0] + 2 * \text{pY}[0][0] + \text{pY}[1][0] + 2) >> 2 \quad (8-169)$$

- Otherwise if availL is equal to FALSE and availT is equal to TRUE, pDsY[0][0] is derived as follows:

$$\text{pDsY}[0][0] = (\text{pY}[0][-1] + 2 * \text{pY}[0][0] + \text{pY}[0][1] + 2) >> 2 \quad (8-170)$$

- Otherwise (availL is equal to FALSE and availT is equal to FALSE), pDsY[0][0] is derived as follows:

$$\text{pDsY}[0][0] = \text{pY}[0][0] \quad (8-171)$$

- Otherwise, the following applies:

- pDsY[x][y] with $x = 1..nTbW - 1$, $y = 0..nTbH - 1$ is derived as follows:

$$\begin{aligned} \text{pDsY}[x][y] = & (\text{pY}[2 * x - 1][2 * y] + \text{pY}[2 * x - 1][2 * y + 1] + \\ & 2 * \text{pY}[2 * x][2 * y] + 2 * \text{pY}[2 * x][2 * y + 1] + \\ & \text{pY}[2 * x + 1][2 * y] + \text{pY}[2 * x + 1][2 * y + 1] + 4) >> 3 \end{aligned} \quad (8-172)$$

- If availL is equal to TRUE, pDsY[0][y] with $y = 0..nTbH - 1$ is derived as follows:

$$\begin{aligned} \text{pDsY}[0][y] = & (\text{pY}[-1][2 * y] + \text{pY}[-1][2 * y + 1] + \\ & 2 * \text{pY}[0][2 * y] + 2 * \text{pY}[0][2 * y + 1] + \\ & \text{pY}[1][2 * y] + \text{pY}[1][2 * y + 1] + 4) >> 3 \end{aligned} \quad (8-173)$$

- Otherwise, pDsY[0][y] with $y = 0..nTbH - 1$ is derived as follows:

$$\text{pDsY}[0][y] = (\text{pY}[0][2 * y] + \text{pY}[0][2 * y + 1] + 1) >> 1 \quad (8-174)$$

- When numSampL is greater than 0, the selected neighbouring left chroma samples pSelC[idx] are set equal to p[-1][pickPosL[idx]] with $\text{idx} = 0..(\text{cntL} - 1)$, and the selected down-sampled neighbouring left luma samples pSelDsY[idx] with $\text{idx} = 0..(\text{cntL} - 1)$ are derived as follows:

- The variable y is set equal to pickPosL[idx].
- If sps_cclm_colocated_chroma_flag is equal to 1, the following applies:
 - If $y > 0 \parallel \text{availTL} = \text{TRUE}$,

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-2][2 * y - 1] + \\ & \text{pY}[-3][2 * y] + 4 * \text{pY}[-2][2 * y] + \text{pY}[-1][2 * y] + \\ & \text{pY}[-2][2 * y + 1] + 4) >> 3 \end{aligned} \quad (8-175)$$

– Otherwise,

$$5 \quad \text{pSelDsY}[\text{idx}] = (\text{pY}[-3][0] + 2 * \text{pY}[-2][0] + \text{pY}[-1][0] + 2) >> 2 \quad (8-177)$$

– Otherwise, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][2 * y] + \text{pY}[-1][2 * y + 1] + \\ & 2 * \text{pY}[-2][2 * y] + 2 * \text{pY}[-2][2 * y + 1] + \\ & \text{pY}[-3][2 * y] + \text{pY}[-3][2 * y + 1] + 4) >> 3 \end{aligned} \quad (8-178)$$

10 5. When numSampT is greater than 0, the selected neighbouring top chroma samples pSelC[idx] are set equal to p[pickPosT[idx]][-1] with idx = 0..(cntT - 1), and the down-sampled neighbouring top luma samples pSelDsY[idx] with idx = cntL..(cntL + cntT - 1) are specified as follows:

– The variable x is set equal to pickPosT[idx - cntL].

15 – If sps_cclm_colocated_chroma_flag is equal to 1, the following applies:

– If x > 0:

– If bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x][-3] + \\ & \text{pY}[2 * x - 1][-2] + 4 * \text{pY}[2 * x][-2] + \text{pY}[2 * x + 1][-2] + \\ & \text{pY}[2 * x][-1] + 4) >> 3 \end{aligned} \quad (8-179)$$

– Otherwise (bCTUboundary is equal to TRUE), the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][-1] + \\ & 2 * \text{pY}[2 * x][-1] + \\ & \text{pY}[2 * x + 1][-1] + 2) >> 2 \end{aligned} \quad (8-180)$$

– Otherwise:

– If availTL is equal to TRUE and bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[0][-3] + \\ & \text{pY}[-1][-2] + 4 * \text{pY}[0][-2] + \text{pY}[1][-2] + \\ & \text{pY}[0][-1] + 4) >> 3 \end{aligned} \quad (8-181)$$

– Otherwise if availTL is equal to TRUE and bCTUboundary is equal to TRUE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][-1] + \\ & 2 * \text{pY}[0][-1] + \\ & \text{pY}[1][-1] + 2) >> 2 \end{aligned} \quad (8-182)$$

- Otherwise if availTL is equal to FALSE and bCTUboundary is equal to FALSE, the following applies:

$$pSelDsY[idx] = (pY[0][[-3]] + 2 * pY[0][[-2]] + pY[0][[-1]] + 2) >> 2 \quad (8-183)$$

- Otherwise (availTL is equal to FALSE and bCTUboundary is equal to TRUE), the following applies:

$$pSelDsY[idx] = pY[0][[-1]] \quad (8-184)$$

- Otherwise, the following applies:

- If $x > 0$:

- If bCTUboundary is equal to FALSE, the following applies:

$$pSelDsY[idx] = (pY[2 * x - 1][[-2]] + pY[2 * x - 1][[-1]] + 2 * pY[2 * x][[-2]] + 2 * pY[2 * x][[-1]] + pY[2 * x + 1][[-2]] + pY[2 * x + 1][[-1]] + 4) >> 3 \quad (8-185)$$

- Otherwise (bCTUboundary is equal to TRUE), the following applies:

$$pSelDsY[idx] = (pY[2 * x - 1][[-1]] + 2 * pY[2 * x][[-1]] + pY[2 * x + 1][[-1]] + 2) >> 2 \quad (8-186)$$

- Otherwise:

- If availTL is equal to TRUE and bCTUboundary is equal to FALSE, the following applies:

$$pSelDsY[idx] = (pY[-1][[-2]] + pY[-1][[-1]] + 2 * pY[0][[-2]] + 2 * pY[0][[-1]] + pY[1][[-2]] + pY[1][[-1]] + 4) >> 3 \quad (8-187)$$

- Otherwise if availTL is equal to TRUE and bCTUboundary is equal to TRUE, the following applies:

$$pSelDsY[idx] = (pY[-1][[-1]] + 2 * pY[0][[-1]] + pY[1][[-1]] + 2) >> 2 \quad (8-188)$$

- Otherwise if availTL is equal to FALSE and bCTUboundary is equal to FALSE, the following applies:

$$pSelDsY[idx] = (pY[0][[-2]] + pY[0][[-1]] + 1) >> 1 \quad (8-189)$$

- Otherwise (availTL is equal to FALSE and bCTUboundary is equal to TRUE), the following applies:

$$pSelDsY[idx] = pY[0][[-1]] \quad (8-190)$$

6. When $\text{cntT} + \text{cntL}$ is not equal to 0, the variables minY , maxY , minC and maxC are derived as follows:
- - When $\text{cntT} + \text{cntL}$ is equal to 2, set $\text{pSelComp}[3]$ equal to $\text{pSelComp}[0]$, $\text{pSelComp}[2]$ equal to $\text{pSelComp}[1]$, $\text{pSelComp}[0]$ equal to $\text{pSelComp}[1]$, and $\text{pSelComp}[1]$ equal to $\text{pSelComp}[3]$, with Comp being replaced by DsY and C .
 - The arrays $\text{minGrpIdx}[]$ and $\text{maxGrpIdx}[]$ are set as: $\text{minGrpIdx}[0] = 0$, $\text{minGrpIdx}[1] = 1$, $\text{maxGrpIdx}[0] = 2$, $\text{maxGrpIdx}[1] = 3$.
 - If $\text{pSelDsY}[\text{minGrpIdx}[0]] > \text{pSelDsY}[\text{minGrpIdx}[1]]$, $\text{Swap}(\text{minGrpIdx}[0], \text{minGrpIdx}[1])$.
 - If $\text{pSelDsY}[\text{maxGrpIdx}[0]] > \text{pSelDsY}[\text{maxGrpIdx}[1]]$, $\text{Swap}(\text{maxGrpIdx}[0], \text{maxGrpIdx}[1])$.
 - If $\text{pSelDsY}[\text{minGrpIdx}[0]] > \text{pSelDsY}[\text{maxGrpIdx}[1]]$, $\text{Swap}(\text{minGrpIdx}, \text{maxGrpIdx})$.
 - If $\text{pSelDsY}[\text{minGrpIdx}[1]] > \text{pSelDsY}[\text{maxGrpIdx}[0]]$, $\text{Swap}(\text{minGrpIdx}[1], \text{maxGrpIdx}[0])$.
 - $\text{maxY} = (\text{pSelDsY}[\text{maxGrpIdx}[0]] + \text{pSelDsY}[\text{maxGrpIdx}[1]] + 1) \gg 1$.
 - $\text{maxC} = (\text{pSelC}[\text{maxGrpIdx}[0]] + \text{pSelC}[\text{maxGrpIdx}[1]] + 1) \gg 1$.
 - $\text{minY} = (\text{pSelDsY}[\text{minGrpIdx}[0]] + \text{pSelDsY}[\text{minGrpIdx}[1]] + 1) \gg 1$.
 - $\text{minC} = (\text{pSelC}[\text{minGrpIdx}[0]] + \text{pSelC}[\text{minGrpIdx}[1]] + 1) \gg 1$.
7. The variables a , b , and k are derived as follows:
- If numSampL is equal to 0, and numSampT is equal to 0, the following applies:

$$k = 0 \quad (8-208)$$

$$a = 0 \quad (8-209)$$

$$b = 1 \ll (\text{BitDepth}_c - 1) \quad (8-210)$$
 - Otherwise, the following applies:

$$\text{diff} = \text{maxY} - \text{minY} \quad (8-211)$$
 - If diff is not equal to 0, the following applies:

$$\text{diffC} = \text{maxC} - \text{minC} \quad (8-212)$$

$$x = \text{Floor}(\text{Log2}(\text{diff})) \quad (8-213)$$

$$\text{normDiff} = ((\text{diff} \ll 4) \gg x) \& 15 \quad (8-214)$$

$$x += (\text{normDiff} \neq 0) ? 1 : 0 \quad (8-215)$$

$$y = \text{Floor}(\text{Log2}(\text{Abs}(\text{diffC})) + 1) \quad (8-216)$$

$$a = (\text{diffC} * (\text{divSigTable}[\text{normDiff}] | 8) + 2^{y-1}) >> y \quad (8-217)$$

$$k = ((3 + x - y) < 1) ? 1 : 3 + x - y \quad (8-218)$$

$$a = ((3 + x - y) < 1) ? \text{Sign}(a) * 15 : a \quad (8-219)$$

$$5 \quad b = \text{minC} - ((a * \text{minY}) >> k) \quad (8-220)$$

where $\text{divSigTable}[]$ is specified as follows:

$$\text{divSigTable}[] = \{ 0, 7, 6, 5, 5, 4, 4, 3, 3, 2, 2, 1, 1, 1, 1, 0 \} \quad (8-221)$$

– Otherwise (diff is equal to 0), the following applies:

$$k = 0 \quad (8-222)$$

$$10 \quad a = 0 \quad (8-223)$$

$$b = \text{minC} \quad (8-224)$$

8. The prediction samples $\text{predSamples}[x][y]$ with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:

$$\text{predSamples}[x][y] = \text{Clip1C}((\text{pDsY}[x][y] * a) >> k) + b \quad (8-225)$$

15 [00301] 3.8 An alternative working draft on proposed CCLM prediction

[00302] In this section, an alternative exemplary embodiment that shows another modifications that can be made to the current working draft of the VVC standard is described.

The equation numbers here refer to the corresponding equation numbers in the VVC standard.

[00303] Specification of INTRA_LT_CCLM, INTRA_L_CCLM and INTRA_T_CCLM intra
20 prediction mode.

...

The number of available neighbouring chroma samples on the top and top-right numTopSamp and the number of available neighbouring chroma samples on the left and left-below nLeftSamp are derived as follows:

25 – If predModeIntra is equal to INTRA_LT_CCLM, the following applies:

$$\text{numSampT} = \text{availT} ? nTbW : 0 \quad (8-157)$$

$$\text{numSampL} = \text{availL} ? nTbH : 0 \quad (8-158)$$

– Otherwise, the following applies:

$$\text{numSampT} = (\text{availT} \&\& \text{predModeIntra} == \text{INTRA_T_CCLM}) ?$$

$$(nTbW + \text{Min}(\text{numTopRight}, nTbH)) : 0 \quad (8-159)$$

$$\text{numSampL} = (\text{availL} \ \&\& \ \text{predModeIntra} == \text{INTRA_L_CCLM}) ?$$

$$(nTbH + \text{Min}(\text{numLeftBelow}, nTbW)) : 0 \quad (8-160)$$

The variable bCTUboundary is derived as follows:

$$5 \quad \text{bCTUboundary} = (yTbC \ \& \ (1 \ll (\text{CtbLog2SizeY} - 1) - 1) == 0) ? \text{TRUE} : \text{FALSE}. \quad (8-161)$$

The variable cntN and array pickPosN[] with N being replaced by L and T, are derived as follows:

- The variable numIs4N is set equal to $((\text{availT} \ \&\& \ \text{availL} \ \&\& \ \text{predModeIntra} == \text{INTRA_LT_CCLM}) ? 0 : 1)$.
- 10 – The variable startPosN is set equal to $\text{numSampN} \gg (2 + \text{numIs4N})$.
- The variable pickStepN is set equal to $\text{Max}(1, \text{numSampN} \gg (1 + \text{numIs4N}))$.
- If availN is equal to TRUE and predModeIntra is equal to INTRA_LT_CCLM or INTRA_N_CCLM, cntN is set equal to $\text{Min}(\text{numSampN}, (1 + \text{numIs4N}) \ll 1)$, and pickPosN[pos] is set equal to $(\text{startPosN} + \text{pos} * \text{pickStepN})$, with $\text{pos} = 0..(\text{cntN} - 1)$.
- 15 – Otherwise, cntN is set equal to 0.

The prediction samples predSamples[x][y] with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:

- If both numSampL and numSampT are equal to 0, the following applies:

$$\text{predSamples}[x][y] = 1 \ll (\text{BitDepth}_c - 1) \quad (8-162)$$

- 20 – Otherwise, the following ordered steps apply:
 1. The collocated luma samples $pY[x][y]$ with $x = 0..nTbW * 2 - 1$, $y = 0..nTbH * 2 - 1$ are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 2. The neighbouring luma samples $pY[x][y]$ are derived as follows:
 - 25 – When numSampL is greater than 0, the neighbouring left luma samples $pY[x][y]$ with $x = -1..-3$, $y = 0..2 * \text{numSampL} - 1$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 - When numSampT is greater than 0, the neighbouring top luma samples $pY[x][y]$ with $x = 0..2 * \text{numSampT} - 1$, $y = -1, -2$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 - 30 – When availTL is equal to TRUE, the neighbouring top-left luma samples $pY[x][y]$ with $x = -1$, $y = -1, -2$, are set equal to the reconstructed luma samples prior to the deblocking filter process at the locations $(xTbY + x, yTbY + y)$.
 3. The down-sampled collocated luma samples $pDsY[x][y]$ with $x = 0..nTbW - 1$, $y = 0..nTbH - 1$ are derived as follows:

- If `sps_cclm_colocated_chroma_flag` is equal to 1, the following applies:

- $\text{pDsY}[x][y]$ with $x = 1..nTbW - 1$, $y = 1..nTbH - 1$ is derived as follows:

$$\text{pDsY}[x][y] = (\text{pY}[2 * x][2 * y - 1] + \text{pY}[2 * x - 1][2 * y] + 4 * \text{pY}[2 * x][2 * y] + \text{pY}[2 * x + 1][2 * y] + \text{pY}[2 * x][2 * y + 1] + 4) >> 3 \quad (8-163)$$

- If `availL` is equal to `TRUE`, $\text{pDsY}[0][y]$ with $y = 1..nTbH - 1$ is derived as follows:

$$\text{pDsY}[0][y] = (\text{pY}[0][2 * y - 1] + \text{pY}[-1][2 * y] + 4 * \text{pY}[0][2 * y] + \text{pY}[1][2 * y] + \text{pY}[0][2 * y + 1] + 4) >> 3 \quad (8-164)$$

- Otherwise, $\text{pDsY}[0][y]$ with $y = 1..nTbH - 1$ is derived as follows:

$$\text{pDsY}[0][y] = (\text{pY}[0][2 * y - 1] + 2 * \text{pY}[0][2 * y] + \text{pY}[0][2 * y + 1] + 2) >> 2 \quad (8-165)$$

- If `availT` is equal to `TRUE`, $\text{pDsY}[x][0]$ with $x = 1..nTbW - 1$ is derived as follows:

$$\text{pDsY}[x][0] = (\text{pY}[2 * x][-1] + \text{pY}[2 * x - 1][0] + 4 * \text{pY}[2 * x][0] + \text{pY}[2 * x + 1][0] + \text{pY}[2 * x][1] + 4) >> 3 \quad (8-166)$$

- Otherwise, $\text{pDsY}[x][0]$ with $x = 1..nTbW - 1$ is derived as follows:

$$\text{pDsY}[x][0] = (\text{pY}[2 * x - 1][0] + 2 * \text{pY}[2 * x][0] + \text{pY}[2 * x + 1][0] + 2) >> 2 \quad (8-167)$$

- If `availL` is equal to `TRUE` and `availT` is equal to `TRUE`, $\text{pDsY}[0][0]$ is derived as follows:

$$\text{pDsY}[0][0] = (\text{pY}[0][-1] + \text{pY}[-1][0] + 4 * \text{pY}[0][0] + \text{pY}[1][0] + \text{pY}[0][1] + 4) >> 3 \quad (8-168)$$

- Otherwise if `availL` is equal to `TRUE` and `availT` is equal to `FALSE`, $\text{pDsY}[0][0]$ is derived as follows:

$$\text{pDsY}[0][0] = (\text{pY}[-1][0] + 2 * \text{pY}[0][0] + \text{pY}[1][0] + 2) >> 2 \quad (8-169)$$

- Otherwise if `availL` is equal to `FALSE` and `availT` is equal to `TRUE`, $\text{pDsY}[0][0]$ is derived as follows:

$$\text{pDsY}[0][0] = (\text{pY}[0][-1] + 2 * \text{pY}[0][0] + \text{pY}[0][1] + 2) >> 2 \quad (8-170)$$

- Otherwise (`availL` is equal to `FALSE` and `availT` is equal to `FALSE`), $\text{pDsY}[0][0]$ is derived as follows:

$$\text{pDsY}[0][0] = \text{pY}[0][0] \quad (8-171)$$

– Otherwise, the following applies:

– $pDsY[x][y]$ with $x = 1..nTbW - 1$, $y = 0..nTbH - 1$ is derived as follows:

$$pDsY[x][y] = (pY[2 * x - 1][2 * y] + pY[2 * x - 1][2 * y + 1] + 2 * pY[2 * x][2 * y] + 2 * pY[2 * x][2 * y + 1] + pY[2 * x + 1][2 * y] + pY[2 * x + 1][2 * y + 1] + 4) >> 3 \quad (8-172)$$

– If `availL` is equal to `TRUE`, $pDsY[0][y]$ with $y = 0..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[-1][2 * y] + pY[-1][2 * y + 1] + 2 * pY[0][2 * y] + 2 * pY[0][2 * y + 1] + pY[1][2 * y] + pY[1][2 * y + 1] + 4) >> 3 \quad (8-173)$$

– Otherwise, $pDsY[0][y]$ with $y = 0..nTbH - 1$ is derived as follows:

$$pDsY[0][y] = (pY[0][2 * y] + pY[0][2 * y + 1] + 1) >> 1 \quad (8-174)$$

4. When `numSampL` is greater than 0, the selected neighbouring left chroma samples $pSelC[idx]$ are set equal to $p[-1][pickPosL[idx]]$ with $idx = 0..(cntL - 1)$, and the selected down-sampled neighbouring left luma samples $pSelDsY[idx]$ with $idx = 0..(cntL - 1)$ are derived as follows:

– The variable `y` is set equal to `pickPosL[idx]`.

– If `sps_cclm_colocated_chroma_flag` is equal to 1, the following applies:

– If $y > 0$ || `availTL` == `TRUE`,

$$pSelDsY[idx] = (pY[-2][2 * y - 1] + pY[-3][2 * y] + 4 * pY[-2][2 * y] + pY[-1][2 * y] + pY[-2][2 * y + 1] + 4) >> 3 \quad (8-175)$$

– Otherwise,

$$pSelDsY[idx] = (pY[-3][0] + 2 * pY[-2][0] + pY[-1][0] + 2) >> 2 \quad (8-177)$$

25 – Otherwise, the following applies:

$$pSelDsY[idx] = (pY[-1][2 * y] + pY[-1][2 * y + 1] + 2 * pY[-2][2 * y] + 2 * pY[-2][2 * y + 1] + pY[-3][2 * y] + pY[-3][2 * y + 1] + 4) >> 3 \quad (8-178)$$

30 5. When `numSampT` is greater than 0, the selected neighbouring top chroma samples $pSelC[idx]$ are set equal to $p[pickPosT[idx - cntL]][-1]$ with $idx = cntL..(cntL + cntT - 1)$, and the down-sampled neighbouring top luma samples $pSelDsY[idx]$ with $idx = cntL..(cntL + cntT - 1)$ are specified as follows:

– The variable `x` is set equal to `pickPosT[idx - cntL]`.

– If `sps_cclm_colocated_chroma_flag` is equal to 1, the following applies:

35 – If $x > 0$:

- If bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x][[-3]] + \\ & \text{pY}[2 * x - 1][[-2]] + 4 * \text{pY}[2 * x][[-2]] + \text{pY}[2 * x + 1][[-2]] + \\ & \text{pY}[2 * x][[-1]] + 4) >> 3 \end{aligned} \quad (8-179)$$

- Otherwise (bCTUboundary is equal to TRUE), the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][[-1]] + \\ & 2 * \text{pY}[2 * x][[-1]] + \\ & \text{pY}[2 * x + 1][[-1]] + 2) >> 2 \end{aligned} \quad (8-180)$$

- Otherwise:

- If availTL is equal to TRUE and bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[0][[-3]] + \\ & \text{pY}[-1][[-2]] + 4 * \text{pY}[0][[-2]] + \text{pY}[1][[-2]] + \\ & \text{pY}[0][[-1]] + 4) >> 3 \end{aligned} \quad (8-181)$$

- Otherwise if availTL is equal to TRUE and bCTUboundary is equal to TRUE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][[-1]] + \\ & 2 * \text{pY}[0][[-1]] + \\ & \text{pY}[1][[-1]] + 2) >> 2 \end{aligned} \quad (8-182)$$

- Otherwise if availTL is equal to FALSE and bCTUboundary is equal to FALSE, the following applies:

$$\text{pSelDsY}[\text{idx}] = (\text{pY}[0][[-3]] + 2 * \text{pY}[0][[-2]] + \text{pY}[0][[-1]] + 2) >> 2 \quad (8-183)$$

- Otherwise (availTL is equal to FALSE and bCTUboundary is equal to TRUE), the following applies:

$$\text{pSelDsY}[\text{idx}] = \text{pY}[0][[-1]] \quad (8-184)$$

- Otherwise, the following applies:

- If $x > 0$:

- If bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][[-2]] + \text{pY}[2 * x - 1][[-1]] + \\ & 2 * \text{pY}[2 * x][[-2]] + 2 * \text{pY}[2 * x][[-1]] + \\ & \text{pY}[2 * x + 1][[-2]] + \text{pY}[2 * x + 1][[-1]] + 4) >> 3 \end{aligned} \quad (8-185)$$

- Otherwise (bCTUboundary is equal to TRUE), the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[2 * x - 1][[-1]] + \\ & 2 * \text{pY}[2 * x][[-1]] + \\ & \text{pY}[2 * x + 1][[-1]] + 2) >> 2 \end{aligned} \quad (8-186)$$

– Otherwise:

– If availTL is equal to TRUE and bCTUboundary is equal to FALSE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][-2] + \text{pY}[-1][-1] + \\ & 2 * \text{pY}[0][-2] + 2 * \text{pY}[0][-1] + \\ & \text{pY}[1][-2] + \text{pY}[1][-1] + 4) >> 3 \end{aligned} \quad (8-187)$$

– Otherwise if availTL is equal to TRUE and bCTUboundary is equal to TRUE, the following applies:

$$\begin{aligned} \text{pSelDsY}[\text{idx}] = & (\text{pY}[-1][-1] + \\ & 2 * \text{pY}[0][-1] + \\ & \text{pY}[1][-1] + 2) >> 2 \end{aligned} \quad (8-188)$$

– Otherwise if availTL is equal to FALSE and bCTUboundary is equal to FALSE, the following applies:

$$\text{pSelDsY}[\text{idx}] = (\text{pY}[0][-2] + \text{pY}[0][-1] + 1) >> 1 \quad (8-189)$$

– Otherwise (availTL is equal to FALSE and bCTUboundary is equal to TRUE), the following applies:

$$\text{pSelDsY}[\text{idx}] = \text{pY}[0][-1] \quad (8-190)$$

6. When cntT+cntL is not equal to 0, the variables minY, maxY, minC and maxC are derived as follows:

- 20 –
- When cntT+cntL is equal to 2, set pSelComp[3] equal to pSelComp[0], pSelComp[2] equal to pSelComp[1], pSelComp[0] equal to pSelComp[1], and pSelComp[1] equal to pSelComp[3], with Comp being replaced by DsY and C.
- 25 – The arrays minGrpIdx[] and maxGrpIdx[] are set as: minGrpIdx[0] = 0, minGrpIdx[1] = 2, maxGrpIdx[0] = 1, maxGrpIdx[1] = 3.
- If pSelDsY[minGrpIdx[0]] > pSelDsY[minGrpIdx[1]], Swap(minGrpIdx[0], minGrpIdx[1]).
- If pSelDsY[maxGrpIdx[0]] > pSelDsY[maxGrpIdx[1]], Swap(maxGrpIdx[0], maxGrpIdx[1]).
- 30 – If pSelDsY[minGrpIdx[0]] > pSelDsY[maxGrpIdx[1]], Swap(minGrpIdx, maxGrpIdx).
- If pSelDsY[minGrpIdx[1]] > pSelDsY[maxGrpIdx[0]], Swap(minGrpIdx[1], maxGrpIdx[0]).
- maxY = (pSelDsY[maxGrpIdx[0]] + pSelDsY[maxGrpIdx[1]] + 1) >> 1.
- 35 – maxC = (pSelC[maxGrpIdx[0]] + pSelC[maxGrpIdx[1]] + 1) >> 1.

- $\text{minY} = (\text{pSelDsY}[\text{minGrpIdx}[0]] + \text{pSelDsY}[\text{minGrpIdx}[1]] + 1) \gg 1.$
- $\text{minC} = (\text{pSelC}[\text{minGrpIdx}[0]] + \text{pSelC}[\text{minGrpIdx}[1]] + 1) \gg 1.$

7. The variables a, b, and k are derived as follows:

- If numSampL is equal to 0, and numSampT is equal to 0, the following applies:

$$5 \quad k = 0 \quad (8-208)$$

$$a = 0 \quad (8-209)$$

$$b = 1 \ll (\text{BitDepth}_C - 1) \quad (8-210)$$

- Otherwise, the following applies:

$$\text{diff} = \text{maxY} - \text{minY} \quad (8-211)$$

- 10 – If diff is not equal to 0, the following applies:

$$\text{diffC} = \text{maxC} - \text{minC} \quad (8-212)$$

$$x = \text{Floor}(\text{Log2}(\text{diff})) \quad (8-213)$$

$$\text{normDiff} = ((\text{diff} \ll 4) \gg x) \& 15 \quad (8-214)$$

$$x += (\text{normDiff} \neq 0) ? 1 : 0 \quad (8-215)$$

$$15 \quad y = \text{Floor}(\text{Log2}(\text{Abs}(\text{diffC}))) + 1 \quad (8-216)$$

$$a = (\text{diffC} * (\text{divSigTable}[\text{normDiff}] | 8) + 2^{y-1}) \gg y \quad (8-217)$$

$$k = ((3 + x - y) < 1) ? 1 : 3 + x - y \quad (8-218)$$

$$a = ((3 + x - y) < 1) ? \text{Sign}(a) * 15 : a \quad (8-219)$$

$$b = \text{minC} - ((a * \text{minY}) \gg k) \quad (8-220)$$

20 where divSigTable[] is specified as follows:

$$\text{divSigTable}[] = \{ 0, 7, 6, 5, 5, 4, 4, 3, 3, 2, 2, 1, 1, 1, 1, 0 \} \quad (8-221)$$

- Otherwise (diff is equal to 0), the following applies:

$$k = 0 \quad (8-222)$$

$$a = 0 \quad (8-223)$$

$$25 \quad b = \text{minC} \quad (8-224)$$

8. The prediction samples predSamples[x][y] with $x = 0..n\text{TbW} - 1$, $y = 0..n\text{TbH} - 1$ are derived as follows:

$$\text{predSamples}[x][y] = \text{Clip1C}((\text{pDsY}[x][y] * a) \gg k + b) \quad (8-225)$$

[00304] The examples described above may be incorporated in the context of the methods

described below, e.g., methods 1800, 1900 and 2000, which may be implemented at a video encoder and/or decoder.

[00305] FIG. 18A shows a flowchart of an exemplary method for video processing. The method 1810 includes, at step 1812, determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, parameters of cross-component linear model (CCLM) based on chroma samples that are selected based on W available above-neighboring samples, W being an integer. The method 1810 further includes, at step 1814, performing the conversion based on the determining.

[00306] FIG. 18B shows a flowchart of an exemplary method for video processing. The method 1820 includes, at step 1822, determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, parameters of cross-component linear model (CCLM) prediction mode based on chroma samples that are selected based on H available left-neighboring samples of the current video block. The method 1820 further includes, at step 1824, performing the conversion based on the determining.

[00307] FIG. 19A shows a flowchart of an exemplary method for video processing. The method 1910 includes, at step 1912, determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, parameters of a cross-component linear model (CCLM) based on two or four chroma samples and/or corresponding luma samples. The method 1910 further includes, at step 1914, performing the conversion based on the determining.

[00308] FIG. 19B shows a flowchart of an exemplary method for video processing. The method 1920 includes, at step 1922, selecting, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, chroma samples based on a position rule, the chroma samples used to derive parameters of a cross-component linear model (CCLM). The method 1920 further includes, at step 1924, performing the conversion based on the determining. In the example, the position rule specifies to select the chroma samples that are located within an above row and/or a left column of the current video block.

[00309] FIG. 20A shows a flowchart of an exemplary method for video processing. The method 2010 includes, at step 2012, determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, positions at which luma samples are downsampled, wherein the downsampled luma samples are used to determine parameters of a

cross-component linear model (CCLM) based on chroma samples and downsampled luma samples, wherein the downsampled luma samples are at positions corresponding to positions of the chroma samples that are used to derive the parameters of the CCLM. The method 2010 further includes, at step 2014, performing the conversion based on the determining.

5 [00310] FIG. 20B shows a flowchart of an exemplary method for video processing. The method 2020 includes, at step 2022, determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, a method to derive parameters of a cross-component linear model (CCLM) using chroma samples and luma samples based on a coding condition associated with the current video block. The method 2020 further includes, at
10 step 2024, performing the conversion based on the determining.

[00311] FIG. 20C shows a flowchart of an exemplary method for video processing. The method 2030 includes, at step 2032, determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, whether to derive maximum values and/or minimum values of a luma component and a chroma component that are used to derive
15 parameters of a cross-component linear model (CCLM) based on availability of a left-neighboring block and an above-neighboring block of the current video block. The method 2030 further includes, at step 2034, performing the conversion based on the determining.

4 Example implementations of the disclosed technology

[00312] FIG. 21A is a block diagram of a video processing apparatus 3000. The apparatus
20 3000 may be used to implement one or more of the methods described herein. The apparatus 3000 may be embodied in a smartphone, tablet, computer, Internet of Things (IoT) receiver, and so on. The apparatus 3000 may include one or more processors 3002, one or more memories 3004 and video processing hardware 3006. The processor(s) 3002 may be configured to implement one or more methods (including, but not limited to, methods as shown FIGS. 18 to
25 29C) described in the present document. The memory (memories) 3004 may be used for storing data and code used for implementing the methods and techniques described herein. The video processing hardware 3006 may be used to implement, in hardware circuitry, some techniques described in the present document.

[00313] FIG. 21B is another example of a block diagram of a video processing system in which
30 disclosed techniques may be implemented. FIG. 21B is a block diagram showing an example video processing system 3100 in which various techniques disclosed herein may be implemented.

Various implementations may include some or all of the components of the system 3100. The system 3100 may include input 3102 for receiving video content. The video content may be received in a raw or uncompressed format, e.g., 8 or 10 bit multi-component pixel values, or may be in a compressed or encoded format. The input 3102 may represent a network interface, a peripheral bus interface, or a storage interface. Examples of network interface include wired interfaces such as Ethernet, passive optical network (PON), etc. and wireless interfaces such as Wi-Fi or cellular interfaces.

[00314] The system 3100 may include a coding component 3104 that may implement the various coding or encoding methods described in the present document. The coding component 3104 may reduce the average bitrate of video from the input 3102 to the output of the coding component 3104 to produce a coded representation of the video. The coding techniques are therefore sometimes called video compression or video transcoding techniques. The output of the coding component 3104 may be either stored, or transmitted via a communication connected, as represented by the component 3106. The stored or communicated bitstream (or coded) representation of the video received at the input 3102 may be used by the component 3108 for generating pixel values or displayable video that is sent to a display interface 3110. The process of generating user-viewable video from the bitstream representation is sometimes called video decompression. Furthermore, while certain video processing operations are referred to as “coding” operations or tools, it will be appreciated that the coding tools or operations are used at an encoder and corresponding decoding tools or operations that reverse the results of the coding will be performed by a decoder.

[00315] Examples of a peripheral bus interface or a display interface may include universal serial bus (USB) or high definition multimedia interface (HDMI) or Displayport, and so on. Examples of storage interfaces include SATA (serial advanced technology attachment), PCI, IDE interface, and the like. The techniques described in the present document may be embodied in various electronic devices such as mobile phones, laptops, smartphones or other devices that are capable of performing digital data processing and/or video display.

[00316] In some embodiments, the video coding methods may be implemented using an apparatus that is implemented on a hardware platform as described with respect to FIG. 21A or 21B.

[00317] Various techniques preferably incorporated within some embodiments may be

described using the following clause-based format.

[00318] The first set of clauses describes certain features and aspects of the disclosed techniques listed in the previous section, including, for example, Examples 16 and 17.

[00319] 1. A method for video processing, comprising: determining, for a conversion between
5 a current video block of a video that is a chroma block and a coded representation of the video, parameters of cross-component linear model (CCLM) prediction mode based on chroma samples that are selected based on W available above-neighboring samples, W being an integer; and performing the conversion based on the determining.

[00320] 2. The method of clause 1, wherein the CCLM prediction mode uses a linear mode to
10 derive prediction values of a chroma component from another component.

[00321] 3. The method of clause 1, wherein W is set to i) a width of the current video block, ii) L times the width of the current video block, L being an integer, iii) a sum of a height of the current video block and a width of the current video block, or iv) a sum of the width of the current video block and the number of available top-right neighboring samples.

[00322] 4. The method of clause 1, wherein W depends on an availability of at least one of an
15 above-neighboring block or a left-neighboring block of the current video block.

[00323] 5. The method of clause 1, wherein W depends on a coding mode of the current video block.

[00324] 6. The method of clause 3, wherein L has a value depending on an availability of a
20 top-right block or a top left sample that is located adjacent to the current video block.

[00325] 7. The method of clause 1, wherein the chroma samples are selected based on a first position offset value (F) and a step value (S) that depend on W.

[00326] 8. The method of clause 7, wherein a top left sample has a coordinate (x0, y0) and the selected chroma samples have coordinates (x0+F+K×S, y0-1), K being an integer between 0 and
25 kMax.

[00327] 9. The method of clause 7, wherein $F = W/P$ or $F = W/P + \text{offset}$, P being an integer.

[00328] 10. The method of clause 9, wherein $F = W \gg (2 + \text{numIs4T})$, wherein numIs4T is equal to 1 in a case that there are four neighboring samples selected within an above neighboring row and otherwise numIs4T is equal to 0, wherein symbol $\gg$ is defined as an arithmetic right shift
30 symbol.

[00329] 11. The method of clause 7, wherein $S = W/Q$, Q being an integer.

- [00330] 12. The method of clause 7, wherein S is not less than 1.
- [00331] 13. The method of clause 11 or 12, wherein $S = \text{Max}(1, W \gg (1 + \text{numIs4T}))$, wherein numIs4T is equal to 1 in a case that there are four neighboring samples selected within an above neighboring row and otherwise numIs4T is equal to 0, wherein symbol $\gg$ is defined as an arithmetic right shift symbol.
- [00332] 14. The method of clause 10 or 13, wherein numIs4T is equal to 1 in a case that above neighboring samples are available, left neighboring samples are available, and the current video block is coded with a normal CCLM that is different from a first CCLM using only left-neighboring samples, and different from a second CCLM using only above-neighboring samples.
- 10 [00333] 15. The method of clause 7, wherein $F = S/R$, R being an integer.
- [00334] 16. The method of clause 7, wherein $S = F/Z$, Z being an integer.
- [00335] 17. The method of any of clauses 8-16, wherein at least one of K_{max} , F , S , or offset depends on a prediction mode of the current video block that is one of a first CCLM using only left-neighboring samples, a second CCLM using only above-neighboring samples, a normal
- 15 CCLM using both left-neighboring and above-neighboring samples, or other modes that are different from the first CCLM, the second CCLM, and the normal CCLM.
- [00336] 18. The method of any of clauses 8-16, wherein at least one of K_{max} , F , S , or offset depends on a width and/or a height of the current video block.
- [00337] 19. The method of any of clauses 8-16, wherein at least one of K_{max} , F , S , or offset
- 20 depends on availabilities of neighboring samples.
- [00338] 20. The method of any of clauses 8-16, wherein at least one of K_{max} , F , S , or offset depends on W .
- [00339] 21. A method for video processing, comprising: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video,
- 25 parameters of cross-component linear model (CCLM) prediction mode based on chroma samples that are selected based on H available left-neighboring samples of the current video block; and performing the conversion based on the determining.
- [00340] 22. The method of clause 21, wherein the CCLM prediction mode uses a linear mode to derive prediction values of a chroma component from another component.
- 30 [00341] 23. The method of clause 21, wherein H is set to one of i) a height of the current video block, ii) L times the height of the current video block, L being an integer, iii) a sum of a height

of the current video block and a width of the current video block, or iv) a sum of the height of the current video block and the number of available left-bottom neighboring samples.

[00342] 24. The method of clause 21, wherein H depends on an availability of at least one of an above-neighboring block or a left-neighboring block of the current video block.

5 [00343] 25. The method of clause 21, wherein H depends on a coding mode of the current video block.

[00344] 26. The method of clause 23, wherein L has a value depending on an availability of a below-left block or a below-left sample that is located adjacent to the current video block.

10 [00345] 27. The method of clause 21, wherein the chroma samples are selected based on a first position offset value (F) and a step value (S) that depend on H.

[00346] 28. The method of clause 27, wherein a top-left sample has a coordinate (x0, y0) and the selected chroma samples have coordinates (x0-1, y0+F+K×S), K being an integer between 0 and kMax.

[00347] 29. The method of clause 27, wherein $F = H/P$ or $F = H/P + \text{offset}$, P being an integer.

15 [00348] 30. The method of clause 29, wherein $F = H \gg (2 + \text{numIs4L})$, wherein numIs4L is equal to 1 in a case that there is four neighboring samples selected within the left neighboring column; otherwise it is equal to 0.

[00349] 31. The method of clause 27, wherein $S = H/Q$, Q being an integer.

[00350] 32. The method of clause 27, wherein S is not less than 1.

20 [00351] 33. The method of clause 31 or 32, wherein $S = \text{Max}(1, H \gg (1 + \text{numIs4L}))$, wherein numIs4L is equal to 1 in a case that there are four neighboring samples selected within a left neighboring column and otherwise numIs4L is equal to 0.

[00352] 34. The method of clause 30 or 33, wherein numIs4L is equal to 1 in a case that above neighboring samples are available, left neighboring samples are available, and the current video block is coded with a normal CCLM that is different from a first CCLM using only left-neighboring samples, and different from a second CCLM using only above-neighboring samples.

[00353] 35. The method of clause 27, wherein $F = S/R$, R being an integer.

[00354] 36. The method of clause 27, wherein $S = F/Z$, Z being an integer.

30 [00355] 37. The method of any of clauses 28-36, wherein at least one of Kmax, F, S, or offset depends on a prediction mode of the current video block that is one of a first CCLM using only left-neighboring samples, a second CCLM using only above-neighboring samples, a normal

CCLM using both left-neighboring and above-neighboring samples, or other modes that are different from the first CCLM, the second CCLM, and the normal CCLM.

[00356] 38. The method of any of clauses 28-36, wherein at least one of Kmax, F, S, or offset depends on a width and/or a height of the current video block.

5 [00357] 39. The method of any of clauses 28-36, wherein at least one of Kmax, F, S, or offset depends on H.

[00358] 40. The method of any of clauses 28-36, wherein at least one of Kmax, F, S, or offset depends on availabilities of neighboring samples.

10 [00359] 41. The method of clause 21, wherein H is set to a sum of the height of the current video block and a width of the current video block in a case that an above-right neighboring block of the current video block is available.

[00360] 42. The method of clause 21, wherein in a case that left neighboring samples are unavailable, the selected chroma samples have the height H regardless of whether the current video block has a first CCLM using only above-neighboring samples or not.

15 [00361] 43. The method of clause 1, wherein W is set to a sum of the height of the current video block and a width of the current video block in a case that a below-left neighboring block of the current video block is available.

[00362] 44. The method of clause 1, wherein in a case that above neighboring samples are unavailable, the selected chroma samples have the number of W regardless of whether the current
20 video block has a first CCLM using only left-neighboring samples or not.

[00363] 45. The method of any of clauses 1-44, wherein the performing of the conversion includes generating the coded representation from the current block.

[00364] 46. The method of any of clauses 1-44, wherein the performing of the conversion includes generating the current block from the coded representation.

25 [00365] 47. An apparatus in a video system comprising a processor and a non-transitory memory with instructions thereon, wherein the instructions upon execution by the processor, cause the processor to implement the method in any one of clauses 1 to 46.

[00366] 48. A computer program product stored on a non-transitory computer readable media, the computer program product including program code for carrying out the method in any one of
30 clauses 1 to 46.

[00367] The second set of clauses describes certain features and aspects of the disclosed

techniques listed in the previous section, including, for example, Examples 18 and 19.

- [00368] 1. A method for video processing, comprising: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, parameters of a cross-component linear model (CCLM) based on two or four chroma samples and/or corresponding luma samples; and performing the conversion based on the determining.
- [00369] 2. The method of clause 1, wherein the corresponding luma samples are obtained by down-sampling.
- [00370] 3. The method of clause 1, wherein a maxY, a maxC, a minY, and a minC are derived firstly and are used to derive the parameters.
- 10 [00371] 4. The method of clause 3, wherein the parameters are derived based on 2-point approach.
- [00372] 5. The method of clause 3, wherein the two chroma samples are selected to derive the maxY, the maxC, the minY and the minC, and wherein the minY is set to be the smaller luma sample value, the minC is its corresponding chroma sample value, the maxY is set to be the larger
- 15 luma sample value, and the maxC is its corresponding chroma sample value.
- [00373] 6. The method of clause 3, wherein the four chroma samples are selected to derive the maxY, the maxC, the minY and the minC, and wherein the four chroma samples and the corresponding luma samples are divided into two arrays G0 and G1, each array including two chroma samples and their corresponding luma samples.
- 20 [00374] 7. The method of clause 6, wherein the two arrays G0 and G1 include one of following sets:
- [00375] i) $G0=\{S0, S1\}$, $G1=\{S2, S3\}$,
- [00376] ii) $G0=\{S1, S0\}$, $G1=\{S3, S2\}$,
- [00377] iii) $G0=\{S0, S2\}$, $G1=\{S1, S3\}$,
- 25 [00378] iv) $G0=\{S2, S0\}$, $G1=\{S3, S1\}$,
- [00379] v) $G0=\{S1, S2\}$, $G1=\{S0, S3\}$,
- [00380] vi) $G0=\{S2, S1\}$, $G1=\{S3, S0\}$,
- [00381] vii) $G0=\{S0, S3\}$, $G1=\{S1, S2\}$,
- [00382] viii) $G0=\{S3, S0\}$, $G1=\{S2, S1\}$,
- 30 [00383] ix) $G0=\{S1, S3\}$, $G1=\{S0, S2\}$,
- [00384] x) $G0=\{S3, S1\}$, $G1=\{S2, S0\}$,

- [00385] xi) $G0=\{S3, S2\}$, $G1=\{S0, S1\}$, or
- [00386] xii) $G0=\{S2, S3\}$, $G1=\{S1, S0\}$, and
- [00387] wherein $S0, S1, S2, S3$ include the four chroma samples, respectively, and further includes corresponding luma samples, respectively.
- 5 [00388] 8. The method of clause 7, wherein upon a comparison of two luma sample values of $G0[0]$ and $G0[1]$, a chroma sample and its corresponding luma sample of $G0[0]$ are swamped with those of $G0[1]$.
- [00389] 9. The method of clause 8, wherein the chroma sample and its corresponding luma sample of $G0[0]$ are swamped with those of $G0[1]$ in a case that a luma sample value of $G0[0]$ is
- 10 greater than a luma sample value of $G0[1]$.
- [00390] 10. The method of clause 7, wherein upon a comparison of two luma sample values of $G1[0]$ and $G1[1]$, a chroma sample and its corresponding luma sample of $G1[0]$ are swamped with those of $G1[1]$.
- [00391] 11. The method of clause 10, wherein the chroma sample and its corresponding luma
- 15 sample of $G1[0]$ are swamped with those of $G1[1]$ in a case that a luma sample value of $G1[0]$ is greater than a luma sample value of $G1[1]$.
- [00392] 12. The method of clause 6, wherein upon a comparison of two luma sample values of $G0[0]$ and $G1[1]$, chroma samples and its corresponding luma samples of $G0$ are swamped with those of $G1$.
- 20 [00393] 13. The method of clause 12, wherein the chroma samples and its corresponding luma samples of $G0$ are swamped with those of $G1$ in a case that a luma sample value of $G0[0]$ is greater than a luma sample value of $G1[1]$.
- [00394] 14. The method of clause 7, wherein upon a comparison of two luma sample values of $G0[1]$ and $G1[0]$, a chroma sample and its corresponding luma sample of $G0[1]$ are swamped with
- 25 those of $G1[0]$.
- [00395] 15. The method of clause 14, wherein the chroma sample and its corresponding luma sample of $G0[1]$ are swamped with those of $G1[0]$ in a case that a luma sample value of $G0[1]$ is greater than a luma sample value of $G1[0]$.
- [00396] 16. The method of clause 7, wherein upon a comparison of two luma sample values of
- 30 $G0[0]$, $G0[1]$, $G1[0]$, and $G1[1]$, following swamping operations are selectively conducted in an order: i) a swamping operation of a chroma sample and its corresponding luma sample of $G0[0]$

with those of G0[1], ii) a swamping operation of a chroma sample and its corresponding luma sample of G1[0] with those of G1[1], iii) a swamping operation of chroma samples and its corresponding luma samples of G0 with those of G1, and iv) a swamping operation of a chroma sample and its corresponding luma sample of G0[1] with those of G1[0].

5 [00397] 17. The method of clause 7 or 16, wherein maxY is calculated based on a sum of luma sample values of G1[0] and G1[1], and maxC is calculated based on a sum of chroma sample values of G1[0] and G1[1].

[00398] 18. The method of clause 7 or 16, wherein maxY is calculated based on an average of luma sample values of G1[0] and G1[1], and maxC is calculated based on an average of chroma sample values of G1[0] and G1[1].

10 [00399] 19. The method of clause 7 or 16, wherein minY is calculated based on a sum of luma sample values of G0[0] and G0[1], and minC is calculated based on a sum of chroma sample values of G0[0] and G0[1].

[00400] 20. The method of clause 7 or 16, wherein minY is calculated based on an average of luma sample values of G0[0] and G0[1], and minC is calculated based on an average of chroma sample values of G0[0] and G0[1].

15 [00401] 21. The method of any of clauses 17 to 20, wherein the calculations of maxY and maxC or the calculations of minY and minC are conducted after any one of swamping operations that are performed upon a comparison of two luma sample values of G0[0], G0[1], G1[0] and G1[1], wherein the swamping operations include: i) a swamping operation of a chroma sample and its corresponding luma sample of G1[0] with those of G1[1], ii) a swamping operation of chroma samples and corresponding luma samples of G0 with those of G1, iii) a swamping operation of a chroma sample and its corresponding luma sample of G0[1] with those of G1[0], or iv) a swamping operation of chroma samples and corresponding luma samples of G0[0] with those of G0[1].

20 [00402] 22. The method of clause 1, wherein in a case that there are only two chroma samples are available, a padding is performed on the two available chroma samples to provide the four chroma samples, and also performed on the two corresponding available luma samples to provide the four luma samples.

25 [00403] 23. The method of clause 22, wherein the four chroma samples include the two available chroma samples and two padding chroma samples that are copied from the two available chroma samples, and the four corresponding luma samples include the two available luma samples

and two padding luma samples that are copied from the two available luma samples.

[00404] 24. The method of clause 7, wherein S0, S1, S2, S3 are chroma samples and corresponding luma samples are selected in a given order within an above row and/or a left column of the current video block.

5 [00405] 25. A method for video processing, comprising: selecting, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, chroma samples based on a position rule, the chroma samples used to derive parameters of a cross-component linear model (CCLM); and performing the conversion based on the determining, wherein the position rule specifies to select the chroma samples that are located within an above
10 row and/or a left column of the current video block.

[00406] 26. The method of clause 25, wherein the above row and the left column have W samples and H samples, respectively, W and H being a width and a height of the current video block, respectively.

[00407] 27. The method of clause 26, wherein the position rule is applied for the current video
15 block coded with a normal CCLM mode that is different from a first CCLM mode that uses only above-neighboring samples to derive the parameters of the cross-component linear model and from a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model.

[00408] 28. The method of clause 26, wherein the position rule specifies to select the chroma
20 samples that are located within the above row and an above-right row of the current video block.

[00409] 29. The method of clause 28, wherein the above row and the above-right row have W samples and H samples, respectively, W and H being a width and a height of the current video block, respectively.

[00410] 30. The method of clause 28, wherein only available samples within the above row and
25 the above-right row are selected.

[00411] 31. The method of clause 28, wherein the position rule is applied for the current video block coded with a first CCLM mode that uses only above-neighboring samples to derive the parameters of the cross-component linear model.

[00412] 32. The method of clause 28, wherein the position rule is applied to a case that the
30 above-row is available and the left column is unavailable and that the current video block is coded with a normal CCLM mode that is different from a first CCLM mode that uses only above-

neighboring samples to derive the parameters of the CCLM and from a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model.

[00413] 33. The method of any of clauses 26-32, wherein numSampT is set based on a rule specifying that numSampT is set equal to nTbW in a case that above neighboring samples are available and numSampT is set equal to 0 in a case that the above neighboring samples are not available, and wherein numSampT represents the number of chroma samples within an above neighboring row used to derive the parameters of the cross-component linear model and nTbW represents an width of the current video block.

[00414] 34. The method of clause 33, wherein the rule is applied for the current video block coded with a normal CCLM mode that is different from a first CCLM mode that uses only above-neighboring samples to derive the CCLM and from a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model.

[00415] 35. The method of any of clauses 26-32, wherein numSampT is set based on a rule specifying that numSampT is set equal to $nTbW + \text{Min}(numTopRight, nTbH)$ in a case that above neighboring samples are available and the current video block is coded with a first CCLM mode that uses only above-neighboring samples to derive the parameters of the cross-component linear model, and that otherwise the numSampT is set equal to 0, and wherein numSampT represents the number of chroma samples within an above neighboring row used to derive the parameters of the cross-component linear model, nTbW and nTbH represent a width and a height of the current block, respectively, and numTopRight represents the number of available top right neighboring samples.

[00416] 36. The method of clause 25, wherein the position rule specifies to select the chroma samples that are located within the left column and a below-left column of the current video block.

[00417] 37. The method of clause 36, wherein the left column and the below-left column have H samples and W samples, respectively, W and H being a width and a height of the current video block, respectively.

[00418] 38. The method of clause 36, wherein only available samples within the left column and the below-left column are selected.

[00419] 39. The method of clause 36, wherein the position rule is applied for the current video block coded with a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model.

- [00420] 40. The method of clause 36, wherein the position rule is applied to a case that the above-row is unavailable and the left-column is available and that the current video block is coded with a normal CCLM mode that is different from a first CCLM mode that uses only above-neighboring samples to derive the parameters of the CCLM and from a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model.
- [00421] 41. The method of any of clauses 36-40, wherein numSampL is set based on a rule specifying that numSampL is set equal to nTbH in a case that left neighboring samples are available and otherwise numSampL is set equal to 0, and wherein numSampL represents the number of chroma samples within a left neighboring column used to derive the parameters of the cross-component linear model and nTbH represents a height of the current video block.
- [00422] 42. The method of clause 41, wherein the rule is applied for the current video block coded with a normal CCLM mode that is different from a first CCLM mode that uses only above-neighboring samples to derive the parameters of the cross-component linear model and from a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model.
- [00423] 43. The method of any of clauses 36-40, wherein numSampL is set based on a rule specifying that numSampL is set equal to $nTbH + \text{Min}(\text{numLeftBelow}, nTbW)$ in a case that left neighboring samples are available and the current video block is coded with a second CCLM mode that uses only left-neighboring samples to derive the parameters of the cross-component linear model and that otherwise numSampL is set equal to 0, and wherein numSampL represents the number of chroma samples within a left neighboring column used to derive the parameters of the cross-component linear model, nTbW and nTbH represent a width and a height of the current block, respectively, and numLeftBelow represents the number of available below-left neighboring samples.
- [00424] 44. The method of any of clauses 25-43, wherein luma samples corresponding to selected chroma samples are used to derive the parameters of the cross-component linear model.
- [00425] 45. The method of clause 44, wherein the luma samples are derived by downsampling.
- [00426] 46. The method of any of clauses 1-45, wherein the performing of the conversion includes generating the coded representation from the current block.
- [00427] 47. The method of any of clauses 1-45, wherein the performing of the conversion includes generating the current block from the coded representation.

- [00428] 48. The method of any of clauses 1-47, wherein the CCLM used down-sampled collocated luma component samples to derive prediction values of chroma component samples of the current block based on a linear model including the parameters of the cross-component linear model.
- 5 [00429] 49. An apparatus in a video system comprising a processor and a non-transitory memory with instructions thereon, wherein the instructions upon execution by the processor, cause the processor to implement the method in any one of clauses 1 to 48.
- [00430] 50. A computer program product stored on a non-transitory computer readable media, the computer program product including program code for carrying out the method in any one of
- 10 clauses 1 to 48.
- [00431] The third set of clauses describe certain features and aspects of the disclosed techniques listed in the previous section, including, for example, Examples 20, 21, 22.
- [00432] 1. A method for video processing, comprising: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, positions at which luma samples are downsampled, wherein the downsampled luma samples
- 15 are used to determine parameters of a cross-component linear model (CCLM) based on chroma samples and downsampled luma samples, wherein the downsampled luma samples are at positions corresponding to positions of the chroma samples that are used to derive the parameters of the CCLM; and performing the conversion based on the determining.
- 20 [00433] 2. A method of clause 1, wherein luma samples are not downsampled at a position which is out of the current video block and is not used to determine the parameters of the CCLM.
- [00434] 3. A method for video processing, comprising: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, a method to derive parameters of a cross-component linear model (CCLM) using chroma samples
- 25 and luma samples based on a coding condition associated with the current video block; and performing the conversion based on the determining.
- [00435] 4. The method of clause 3, wherein the coding condition corresponds to a color format of the current video block.
- [00436] 5. The method of clause 4, wherein the color format is 4:2:0 or 4:4:4.
- 30 [00437] 6. The method of clause 3, wherein coding condition corresponds to a color representation method of the current video block.

- [00438] 7. The method of clause 6, wherein the color representation method is a RGB or YCbCr.
- [00439] 8. The method of clause 3, wherein the chroma samples are downsampled and the determining depends on locations of downsampled chroma samples.
- 5 [00440] 9. The method of clause 3, wherein the method to derive parameters comprises determining the parameters of the CCLM based on the chroma samples and the luma samples that are selected from a group of neighboring chroma samples based on a position rule.
- [00441] 10. The method of clause 3, wherein the method to derive parameters comprises determining the parameters of the CCLM based on maximum and minimum values of the chroma
10 samples and the luma samples.
- [00442] 11. The method of clause 3, wherein the method to derive parameters comprises determining the parameters of the CCLM that are completely determinable by two chroma samples and corresponding two luma samples.
- [00443] 12. The method of clause 3, wherein the method to derive parameters comprises
15 determining the parameters of the CCLM using a parameter table whose entries are retrieved according to two chroma sample values and two luma sample values.
- [00444] 13. A method for video processing, comprising: determining, for a conversion between a current video block of a video that is a chroma block and a coded representation of the video, whether to derive maximum values and/or minimum values of a luma component and a chroma
20 component that are used to derive parameters of a cross-component linear model (CCLM) based on availability of a left-neighboring block and an above-neighboring block of the current video block; and performing the conversion based on the determining.
- [00445] 14. The method of clause 13, wherein the maximum values and/or the minimum values are not derived in a case that the left-neighboring block and the above-neighboring block are
25 unavailable.
- [00446] 15. The method of clause 13, wherein the determining determines based on a number of available neighboring samples of the current video block, and wherein the available neighboring samples are used to derive the parameters of the cross-component linear model.
- [00447] 16. The method of clause 15, wherein the maximum values and/or the minimum values
30 are not derived in a case of $\text{numSampL} == 0$ and $\text{numSampT} == 0$, the numSampL and the numSampT indicating a number of available neighboring samples from the left-neighboring block

and a number of available neighboring samples from the above-neighboring block, respectively, and wherein the available neighboring samples from the left-neighboring block and the available neighboring samples from the above-neighboring block are used to derive the parameters of the cross-component linear model.

- 5 [00448] 17. The method of clause 15, wherein the maximum values and/or the minimum values are not derived in a case of $\text{numSampL} + \text{numSampT} == 0$, the numSampL and the numSampT indicating a number of available neighboring samples from the left-neighboring block and a number of available neighboring samples from the above-neighboring block, respectively, and wherein the available neighboring samples from the left-neighboring block and the available neighboring samples from the above-neighboring block are used to derive the parameters of the cross-component linear model.

[00449] 18. The method of any of clauses 1-17, wherein the performing of the conversion includes generating the coded representation from the current block.

- 15 [00450] 19. The method of any of clauses 1-17, wherein the performing of the conversion includes generating the current block from the coded representation.

[00451] 20. An apparatus in a video system comprising a processor and a non-transitory memory with instructions thereon, wherein the instructions upon execution by the processor, cause the processor to implement the method in any one of clauses 1 to 19.

- 20 [00452] 21. A computer program product stored on a non-transitory computer readable media, the computer program product including program code for carrying out the method in any one of clauses 1 to 19.

[00453] The fourth set of clauses describe certain features and aspects of the disclosed techniques listed in the previous section.

- 25 [00454] 1. A method for video processing, comprising: determining, for a current video block that comprises a chroma block and based on two or more chroma samples, a set of values for parameters of a linear model, wherein the two or more chroma samples are selected from a group of neighboring chroma samples to the chroma block; and reconstructing, based on the linear model, the current video block.

- 30 [00455] 2. The method of clause 1, wherein a top-left sample of the chroma block is (x, y) , wherein a width and a height of the chroma block is W and H , respectively, and wherein the group of neighboring chroma samples comprises:

- [00456] sample A with coordinates ($x - 1$, y),
- [00457] sample D with coordinates ($x - 1$, $y + H - 1$),
- [00458] sample J with coordinates (x , $y - 1$), and
- [00459] sample M with coordinates ($x + W - 1$, $y - 1$).
- 5 [00460] 3. The method of clause 2, wherein a top-left neighboring block and an above neighboring block of the current video block are available, and wherein the two or more chroma samples comprise the samples A, D, J and M.
- [00461] 4. The method of clause 2, wherein a top-left neighboring block of the current video block is available, and wherein the two or more chroma samples comprise the samples A and D.
- 10 [00462] 5. The method of clause 2, wherein an above neighboring block of the current video block is available, and wherein the two or more chroma samples comprise the samples J and M.
- [00463] 6. A method for video processing, comprising: generating, for a current video block that comprises a chroma block, a plurality of groups comprising chroma and luma samples of a neighboring block of the current video block; determining, based on the plurality of groups,
- 15 maximum and minimum values of the chroma and luma samples; determining, based on the maximum and minimum values, a set of values for parameters of a linear model; and reconstructing, based on the linear model, the current video block.
- [00464] 7. The method of clause 6, wherein the generating the plurality of groups is based on an availability of the neighboring block of the current video block.
- 20 [00465] 8. The method of clause 6, wherein the plurality of groups comprise S_0 and S_l , wherein a maximum luma value is calculated as $maxL = f1(maxL_{S0}, maxL_{S1}, \dots, maxL_{Sm})$, wherein $f1$ is a first function and $maxL_{S_i}$ is a maximum luma value of a group S_i of the plurality of groups, wherein a maximum chroma value is calculated as $maxC = f2(maxC_{S0}, maxC_{S1}, \dots, maxC_{Sm})$, wherein $f2$ is a second function and $maxC_{S_i}$ is a maximum chroma value of the group S_i , wherein a minimum
- 25 luma value is calculated as $minL = f3(minL_{S0}, minL_{S1}, \dots, minL_{Sm})$, wherein $f3$ is a third function and $minL_{S_i}$ is a minimum luma value of the group S_i , wherein a minimum chroma value is calculated as $minC = f4(minC_{S0}, minC_{S1}, \dots, minC_{Sm})$, wherein $f4$ is a fourth function and $minC_{S_i}$ is a maximum chroma value of the group S_i , and wherein the parameters of the linear model comprise α and β that are calculated as $\alpha = (maxC - minC) / (maxL - minL)$ and $\beta = minC - \alpha \times minL$.
- 30 [00466] 9. The method of clause 8, wherein a top-left sample of the chroma block is (x , y), wherein a width and a height of the chroma block is W and H , respectively, and wherein the group

of neighboring chroma samples comprises:

[00467] sample A with coordinates $(x - 1, y)$,

[00468] sample D with coordinates $(x - 1, y + H - 1)$,

[00469] sample J with coordinates $(x, y - 1)$, and

5 [00470] sample M with coordinates $(x + W - 1, y - 1)$.

[00471] 10. The method of clause 9, wherein a top-left neighboring block and an above neighboring block of the current video block are available, wherein the maximum luma and chroma values and the minimum luma and chroma values for the group S_0 ($maxL_{S0}$, $maxC_{S0}$, $minL_{S0}$ and $minC_{S0}$, respectively) are based on the samples A and D, wherein the maximum luma and chroma values and the minimum luma and chroma values for the group S_1 ($maxL_{S1}$, $maxC_{S1}$, $minL_{S1}$ and $minC_{S1}$, respectively) are based on the samples J and M, and wherein

[00472] $maxL = (maxL_{S0} + maxL_{S1}) / 2$, $maxC = (maxC_{S0} + maxC_{S1}) / 2$,

[00473] $minL = (minL_{S0} + minL_{S1}) / 2$ and $minC = (minC_{S0} + minC_{S1}) / 2$.

[00474] 11. The method of clause 9, wherein a top-left neighboring block of the current video block is available, and wherein $maxL$, $maxC$, $minL$ and $minC$ are based on the samples A and D.

[00475] 12. The method of clause 9, wherein an above neighboring block of the current video block is available, and wherein $maxL$, $maxC$, $minL$ and $minC$ are based on the samples J and M.

[00476] 13. The method of clause 6, wherein the parameters of the linear model comprise α and β that are calculated as

20 [00477] $\alpha = 0$ and $\beta = 1 \ll (bitDepth - 1)$,

[00478] wherein $bitDepth$ is a bit depth of the chroma samples.

[00479] 14. The method of clause 6, wherein the generating a plurality of groups is based on a height or a width of the current video block.

[00480] 15. A method for video processing, comprising:

25 [00481] generating downsampled chroma and luma samples by downsampling chroma and luma samples of a neighboring block of a current video block with a height (H) and a width (W);

[00482] determining, based on the downsampled chroma and luma samples, a set of values for parameters of a linear model for the current video block; and

[00483] reconstructing, based on the linear model, the current video block.

30 [00484] 16. The method of clause 15, wherein the downsampling is based on the height or the width.

- [00485] 17. The method of clause 16, wherein $W < H$.
- [00486] 18. The method of clause 16, wherein $W > H$.
- [00487] 19. The method of clause 15, wherein a top-left sample of the current video block is $R[0, 0]$, wherein the downsampled chroma samples comprise samples $R[-1, K \times H/W]$, and wherein
- 5 K is a non-negative integer ranging from 0 to $W-1$.
- [00488] 20. The method of clause 15, wherein a top-left sample of the current video block is $R[0, 0]$, wherein the downsampled chroma samples comprise samples $R[K \times H/W, -1]$, and wherein K is a non-negative integer ranging from 0 to $H-1$.
- [00489] 21. The method of clause 15, wherein a refinement process is performed on the
- 10 downsampled chroma and luma samples prior to being used to determine the set of values for the parameters of the linear model for the current video block.
- [00490] 22. The method of clause 21, wherein the refinement process comprises a filtering process.
- [00491] 23. The method of clause 21, wherein the refinement process comprises a non-linear
- 15 process.
- [00492] 24. The method of clause 15, wherein the parameters of the linear model are α and β , wherein $\alpha = (C1 - C0) / (L1 - L0)$ and $\beta = C0 - \alpha L0$, wherein $C0$ and $C1$ are chroma samples, and wherein $L0$ and $L1$ are luma samples.
- [00493] 25. The method of clause 24, wherein $C0$ and $L0$ are based on S downsampled chroma and luma samples, denoted $\{Lx1, Lx2, \dots, LxS\}$ and $\{Cx1, Cx2, \dots, CxS\}$, respectively, wherein
- 20 $C1$ and $L1$ are based on T downsampled chroma and luma samples, denoted $\{Ly1, Ly2, \dots, LyT\}$ and $\{Cy1, Cy2, \dots, CyT\}$, respectively,
- [00494] wherein $C0 = f0(Cx1, Cx2, \dots, CxS)$, $L0 = f1(Lx1, Lx2, \dots, LxS)$, $C1 = f2(Cy1, Cy2, \dots, CyT)$ and $L1 = f1(Ly1, Ly2, \dots, LyT)$, and
- 25 [00495] wherein $f0, f1, f2$ and $f3$ are functions.
- [00496] 26. The method of clause 25, wherein $f0$ and $f1$ are a first function.
- [00497] 27. The method of clause 25, wherein $f2$ and $f3$ are a second function.
- [00498] 28. The method of clause 25, wherein $f0, f1, f2$ and $f3$ are a third function.
- [00499] 29. The method of clause 28, wherein the third function is an averaging function.
- 30 [00500] 30. The method of clause 25, wherein $S = T$.
- [00501] 31. The method of clause 25, wherein $\{Lx1, Lx2, \dots, LxS\}$ are the smallest samples of

a group of luma samples.

[00502] 32. The method of clause 25, wherein $\{Lx1, Lx2, \dots, LxS\}$ are the largest samples of a group of luma samples.

[00503] 33. The method of clause 31 or 32, wherein the group of luma samples comprises all
5 neighboring samples used in VTM-3.0 to derive the parameters of the linear model.

[00504] 34. The method of clause 31 or 32, wherein the group of luma samples comprises a subset of neighboring samples used in VTM-3.0 to derive the parameters of the linear model, and wherein the subset excludes all the neighboring samples.

[00505] 35. The method of clause 1, wherein the two or more chroma samples are selected from
10 one or more of a left column, an above row, an above-right row or a below-left column relative to the current video block.

[00506] 36. The method of clause 1, where the two or more chroma samples are selected based on a ratio of a height of the current video block to a width of the current video block.

[00507] 37. The method of clause 1, where the two or more chroma samples are selected based
15 on a coding mode of the current video block.

[00508] 38. The method of clause 37, wherein the coding mode of the current video block is a first linear mode that is different from a second linear mode that uses only left-neighboring samples and a third linear mode that uses only above-neighboring samples, wherein coordinates of a top-left sample of the current video block are (x, y) , and wherein a width and a height of the current
20 video block is W and H , respectively.

[00509] 39. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x, y-1)$, $(x-1, y+H-1)$ and $(x+W-1, y-1)$.

[00510] 40. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x, y-1)$, $(x-1, y+H-H/W-1)$ and $(x+W-1, y-1)$, and wherein
25 $H > W$.

[00511] 41. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x, y-1)$, $(x-1, y+H-1)$ and $(x+W-W/H-1, y-1)$, and wherein
 $H < W$.

[00512] 42. The method of clause 38, wherein the two or more chroma samples comprise
30 samples with coordinates $(x-1, y)$, $(x, y-1)$, $(x-1, y+H-\max(1, H/W))$ and $(x+W-\max(1, W/H), y-1)$.

- [00513] 43. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x, y-1)$, $(x + W/4, y-1)$, $(x + 2*W/4, y-1)$ and $(x + 3*W/4, y - 1)$.
- [00514] 44. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x, y-1)$, $(x + W/4, y-1)$, $(x + 3*W/4, y - 1)$ and $(x + W-1, y - 1)$.
- 5 [00515] 45. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x, y-1)$, $(x + (2W)/4, y-1)$, $(x + 2*(2W)/4, y-1)$ and $(x + 3*(2W)/4, y - 1)$.
- [00516] 46. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x, y-1)$, $(x + (2W)/4, y-1)$, $(x + 3*(2W)/4, y - 1)$ and $(x + (2W)-1, y-1)$.
- 10 [00517] 47. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x - 1, y + H/4)$, $(x - 1, y + 2*H/4)$ and $(x - 1, y + 3*H/4)$.
- [00518] 48. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x - 1, y + 2*H/4)$, $(x - 1, y + 3*H/4)$ and $(x - 1, y + H-1)$.
- [00519] 49. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x - 1, y + (2H)/4)$, $(x - 1, y + 2*(2H)/4)$ and $(x - 1, y + 3*(2H)/4)$.
- 15 [00520] 50. The method of clause 38, wherein the two or more chroma samples comprise samples with coordinates $(x-1, y)$, $(x - 1, y + 2*(2H)/4)$, $(x - 1, y + 3*(2H)/4)$ and $(x - 1, y + (2H)-1)$.
- [00521] 51. The method of any of clauses 39 to 50, wherein exactly two of the four samples are selected to determine the set of values for the parameters of the linear model.
- 20 [00522] 52. A video decoding apparatus comprising a processor configured to implement a method recited in one or more of clauses 1 to 51.
- [00523] 53. A video encoding apparatus comprising a processor configured to implement a method recited in one or more of clauses 1 to 51.
- 25 [00524] 54. An apparatus in a video system comprising a processor and a non-transitory memory with instructions thereon, wherein the instructions upon execution by the processor, cause the processor to implement the method in any one of clauses 1 to 51.
- [00525] 55. A computer program product stored on a non-transitory computer readable media, the computer program product including program code for carrying out the method in any one of clauses 1 to 51.
- 30 [00526] From the foregoing, it will be appreciated that specific embodiments of the presently

disclosed technology have been described herein for purposes of illustration, but that various modifications may be made without deviating from the scope of the invention. Accordingly, the presently disclosed technology is not limited except as by the appended claims.

[00527] Implementations of the subject matter and the functional operations described in this patent document can be implemented in various systems, digital electronic circuitry, or in computer software, firmware, or hardware, including the structures disclosed in this specification and their structural equivalents, or in combinations of one or more of them. Implementations of the subject matter described in this specification can be implemented as one or more computer program products, i.e., one or more modules of computer program instructions encoded on a tangible and non-transitory computer readable medium for execution by, or to control the operation of, data processing apparatus. The computer readable medium can be a machine-readable storage device, a machine-readable storage substrate, a memory device, a composition of matter effecting a machine-readable propagated signal, or a combination of one or more of them. The term “data processing unit” or “data processing apparatus” encompasses all apparatus, devices, and machines for processing data, including by way of example a programmable processor, a computer, or multiple processors or computers. The apparatus can include, in addition to hardware, code that creates an execution environment for the computer program in question, e.g., code that constitutes processor firmware, a protocol stack, a database management system, an operating system, or a combination of one or more of them.

[00528] A computer program (also known as a program, software, software application, script, or code) can be written in any form of programming language, including compiled or interpreted languages, and it can be deployed in any form, including as a stand-alone program or as a module, component, subroutine, or other unit suitable for use in a computing environment. A computer program does not necessarily correspond to a file in a file system. A program can be stored in a portion of a file that holds other programs or data (e.g., one or more scripts stored in a markup language document), in a single file dedicated to the program in question, or in multiple coordinated files (e.g., files that store one or more modules, sub programs, or portions of code). A computer program can be deployed to be executed on one computer or on multiple computers that are located at one site or distributed across multiple sites and interconnected by a communication network.

[00529] The processes and logic flows described in this specification can be performed by one

or more programmable processors executing one or more computer programs to perform functions by operating on input data and generating output. The processes and logic flows can also be performed by, and apparatus can also be implemented as, special purpose logic circuitry, e.g., an FPGA (field programmable gate array) or an ASIC (application specific integrated circuit).

[00530] Processors suitable for the execution of a computer program include, by way of example, both general and special purpose microprocessors, and any one or more processors of any kind of digital computer. Generally, a processor will receive instructions and data from a read only memory or a random access memory or both. The essential elements of a computer are a processor for performing instructions and one or more memory devices for storing instructions and data. Generally, a computer will also include, or be operatively coupled to receive data from or transfer data to, or both, one or more mass storage devices for storing data, e.g., magnetic, magneto optical disks, or optical disks. However, a computer need not have such devices. Computer readable media suitable for storing computer program instructions and data include all forms of nonvolatile memory, media and memory devices, including by way of example semiconductor memory devices, e.g., EPROM, EEPROM, and flash memory devices. The processor and the memory can be supplemented by, or incorporated in, special purpose logic circuitry.

[00531] It is intended that the specification, together with the drawings, be considered exemplary only, where exemplary means an example. As used herein, the use of “or” is intended to include “and/or”, unless the context clearly indicates otherwise.

[00532] While this patent document contains many specifics, these should not be construed as limitations on the scope of any invention or of what may be claimed, but rather as descriptions of features that may be specific to particular embodiments of particular inventions. Certain features that are described in this patent document in the context of separate embodiments can also be implemented in combination in a single embodiment. Conversely, various features that are described in the context of a single embodiment can also be implemented in multiple embodiments separately or in any suitable subcombination. Moreover, although features may be described above as acting in certain combinations and even initially claimed as such, one or more features from a claimed combination can in some cases be excised from the combination, and the claimed combination may be directed to a subcombination or variation of a subcombination.

[00533] Similarly, while operations are depicted in the drawings in a particular order, this should not be understood as requiring that such operations be performed in the particular order shown or in sequential order, or that all illustrated operations be performed, to achieve desirable results. Moreover, the separation of various system components in the embodiments described
5 in this patent document should not be understood as requiring such separation in all embodiments.

[00534] Only a few implementations and examples are described and other implementations, enhancements and variations can be made based on what is described and illustrated in this patent document.

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