

Description

Title of Invention

PRODUCTION METHOD FOR POLYCRYSTALLINE
SILICON

5

Technical Field

[0001]

The present invention relates to a method for
producing polycrystalline silicon.

10

Background Art

[0002]

15

A Siemens method is known as a method of
industrially producing polycrystalline silicon that is used
as a raw material of semiconductors or of wafers for solar
power generation. In the Siemens method, raw material gas
containing hydrogen and trichlorosilane is supplied into a
bell-shaped (a bell jar-type) reactor. Core wires for
deposition of polycrystalline silicon (silicon core wires) are
provided inside the reactor so as to stand. Polycrystalline
silicon is deposited and grown on a surface of each of the
silicon core wires by heating the silicon core wires, so that
polycrystalline silicon rods are obtained.

20

[0003]

25

The reactor has recently been made larger so that

productivity is enhanced, and more polycrystalline silicon rods are formed in the reactor. An increase in number of silicon core wires in the reactor makes it difficult for a single power source circuit to control production of all the polycrystalline silicon rods in the reactor. A method has therefore been proposed in which the silicon core wires are divided into groups and the groups are provided with respective power source circuits, which are used to control temperatures of, electric currents of, and voltages of the silicon core wires in the reactor.

[0004]

For example, Patent Literature 1 discloses a control method carried out in a reactor in which 4 pairs, 8 pairs, and 12 pairs of silicon core wires are arranged on concentric circles sequentially from the inner side. According to the invention disclosed in Patent Literature 1, the 4 pairs on the innermost circle are controlled by a first voltage control device. The 8 pairs on the intermediate circle are controlled by a second voltage control device. Out of the 12 pairs on the outermost circle, 4 pairs are controlled by a third voltage control device, and the remaining 8 pairs are controlled by a fourth voltage control device.

[0005]

Furthermore, Patent Literature 2 discloses a control

method carried out in a reactor in which 6 pairs, 12 pairs,
and 18 pairs of silicon core wires are arranged on
concentric circles sequentially from the inner side.
According to the invention disclosed in Patent Literature 2,
5 the silicon core wires arranged on each of the concentric
circles are divided first into groups each including 3 pairs
of silicon core wires. Then, 12 groups obtained by thus
dividing the silicon core wires are divided into a group of 4
pairs-4 pairs-4 pairs or 2 pairs-2 pairs-4 pairs-4 pairs so
10 as to be subjected to voltage control.

Citation List

[Patent Literatures]

[0006]

[Patent Literature 1]

15 Chinese Utility Model Publication No. 202358923
Publication (Registration Date: August 1, 2012)

[Patent Literature 2]

Chinese Utility Model Publication No. 202358926
Publication (Registration Date: August 1, 2012)

Summary of Invention

Technical Problem

[0007]

In such a conventional technique as described earlier,
25 voltage control is carried out such that electric currents

having an identical amount are passed through all the silicon core wires. However, the inventor of the present invention found that production of the polycrystalline silicon rods in accordance with the Siemens method has such a problem as below. Specifically, in the Siemens method, heat loss caused by heat radiation from the polycrystalline silicon rods to a reactor wall occurs during growth of the silicon core wires and formation of the polycrystalline silicon rods. In rods arranged on a plurality of concentric circles, greater heat loss occurs in a rod arranged on a circumference that is closer to the reactor wall. In other words, the rod arranged on the circumference that is closer to the reactor wall has a lower surface temperature during the deposition of polycrystalline silicon. Therefore, in a case where control is carried out such that the same electric current is applied to all the silicon core wires, the rod arranged on the circumference that is closer to the reactor wall is grown at a lower rate than a rod arranged inside that circumference. Such a difference in growth rate causes a variation in thickness of the polycrystalline silicon rods to be formed in the reactor.

[0008]

An object of an aspect of the present invention is to reduce a variation in thickness of polycrystalline silicon

rods to be formed in a reactor.

Solution to Problem

[0009]

5 In order to attain the above object, a method for
producing a polycrystalline silicon rod in accordance with
an aspect of the present invention, the method involving
growing polycrystalline silicon by passing electric currents
through silicon core wires in a bell jar in which the silicon
core wires are arranged on a plurality of concentric circles,
10 is configured such that values of the electric currents to be
passed through the silicon core wires are controlled so that
an electric current to be passed through a silicon core wire
arranged on a first concentric circle of the plurality of
concentric circles has a greater value than an electric
15 current to be passed through a silicon core wire arranged
on a second concentric circle of the plurality of concentric
circles, the second concentric circle being located inward
of the first concentric circle.

Advantageous Effects of Invention

20 [0010]

An aspect of the present invention makes it possible
to reduce a variation in thickness of polycrystalline silicon
rods to be formed in a reactor.

25 Brief Description of Drawings

[0011]

Fig. 1 is a view schematically illustrating a structure of a reactor for production of a polycrystalline silicon rod in accordance with Embodiment 1 of the present invention.

5 Fig. 2 is a view schematically illustrating an arrangement of silicon core wires disposed inside the reactor in accordance with Embodiment 1 of the present invention.

10 Description of Embodiments

[0012]

Embodiment 1

(Apparatus for producing polycrystalline silicon)

15 An embodiment of the present invention will be described below in detail. A production apparatus used in a method for producing a polycrystalline silicon rod in accordance with an embodiment of the present invention will be described first with reference to Figs. 1 and 2.

[0013]

20 Fig. 1 is a view schematically illustrating a structure of a reactor 1 that is used to produce a polycrystalline silicon rod. The reactor 1 includes a bottom plate 3, a bell jar 5, electrodes 6, a silicon core wire 7, a raw material gas supply port 8, a waste gas pipe 9, a power source 20, a control device 21, and an input part 22. The bell jar 5 is

25

- 7 -

mounted on the bottom plate 3 by bolting or the like so as to be openable and closable. Furthermore, the bell jar 5 is a structure that forms a reaction chamber 2 as its internal space, and includes an inner wall 51 that is an inner side wall surface of the bell jar 5. The silicon core wire 7 includes two columnar parts 71 and 72.

[0014]

In the reaction chamber 2 inside the bell jar 5, the silicon core wire 7 is provided so as to stand via the electrodes 6 that are disposed on the bottom plate 3. The electrodes 6 can be made of carbon, stainless steel (SUS), Cu, or the like.

[0015]

The temperature inside the reaction chamber 2 becomes high. The bell jar 5 is therefore preferably made of a material that is excellent in heat resistance and in lightweight property, that does not adversely affect a reaction, and that allows the bell jar 5 to be easily cooled. From this viewpoint, the bell jar 5 is preferably made of SUS. The bell jar 5 can have an outer surface that is covered by a cooling jacket.

[0016]

Furthermore, the bottom plate 3 is provided with the raw material gas supply port 8 through which raw material gas is to be supplied into the reaction chamber 2.

Furthermore, the bottom plate 3 is provided with the waste gas pipe 9 through which waste gas is to be discharged.

[0017]

Fig. 2 is a view illustrating an arrangement of silicon core wires 7 (silicon core wires 7A to 7C) disposed inside the reactor 1. In Embodiment 1, the silicon core wires 7 are arranged on a plurality of concentric circles that share a center of the bottom plate 3 and that have different radii (see Fig. 2). Fig. 2 illustrates a case where the number of concentric circles is 3. A circle A that is the innermost concentric circle is provided with 3 pairs of electrodes 6A, and each silicon core wire 7A is provided so as to stand while being connected to a corresponding pair of electrodes 6A. The 3 pairs of electrodes are connected in series, and both ends of a wire by which those pairs of electrodes are connected in series are connected to a power source 20A. This makes it possible to pass an electric current from the power source 20A to the silicon core wire 7A. A circle B that is located outward of the circle A is provided with 6 pairs of electrodes, and a circle C that is located outermost is provided with 9 pairs of electrodes. The silicon core wire 7B and the silicon core wire 7C are provided so as to stand on the circles B and C, respectively, as in the case of the circle A. The 6 pairs of electrodes of the circle B are connected to a power source 20B, and the 9 pairs of

electrodes of the circle C are connected to a power source 20C.

[0018]

Fig. 2 illustrates a case where the number of concentric circles on which the silicon core wires 7 are arranged is 3. Note, however, that the number of the concentric circles is not limited to 3. The number of the concentric circles is normally 2 to 10, preferably 3 to 8, and more preferably 3 to 5. Furthermore, the number of electrodes arranged on each of the circles is not limited to the number illustrated in Fig. 2. However, in view of a take-out of a rod after the end of the deposition, a number M_k of electrodes arranged on a circle k is preferably an integer that satisfies Inequality (1) below where R_{max} represents a diameter of a polycrystalline silicon rod 13 at the end of the deposition and r_k represents a radius of the circle k.

$$M_k \leq 1.5 \times \pi \times r_k / R_{max} \quad (1)$$

(Method for producing polycrystalline silicon)

In Embodiment 1, a Siemens method is used to produce polycrystalline silicon. A polycrystalline silicon deposition process carried out in the Siemens method will schematically be described below with reference to Fig. 1. Electric currents that are supplied from respective power

- 10 -

sources 20 (power sources 20A to 20C) are passed through the silicon core wires 7 via the electrodes 6 so that the silicon core wires 7 are heated to a temperature equal to or higher than the deposition temperature of polycrystalline silicon. In this case, the deposition temperature of polycrystalline silicon is not particularly limited. Note, however, that the deposition temperature is preferably maintained at a temperature of 1000°C to 1100°C so that polycrystalline silicon is quickly deposited on the silicon core wires 7.

[0019]

The raw material gas is supplied through the raw material gas supply port 8 into the reactor 1. This allows the raw material gas to be supplied to the silicon core wires 7 through which the electric currents are passed and that are heated. Examples of the raw material gas include a mixed gas that contains gas of a silane compound and hydrogen. The polycrystalline silicon rod 13 is formed by a reaction of this raw material gas, that is, a reduction reaction of the silane compound.

[0020]

Examples of the gas of the silane compound include gases of a silane compound(s) such as monosilane, trichlorosilane, silicon tetrachloride, monochlorosilane, and/or dichlorosilane. In general, a trichlorosilane gas is

suitably used. Trichlorosilane that is used in the polycrystalline silicon deposition process preferably has a purity of not less than 99.9% in order to obtain highly pure polycrystalline silicon.

5 [0021]

In the polycrystalline silicon deposition process, a large part of hydrogen contained in the raw material gas can be supplemented by hydrogen gas that is refined from waste gas and circulated, whereas a hydrogen shortage can
10 be compensated for with hydrogen obtained by a known production method. For example, such hydrogen can be produced by electrolysis of water. Hydrogen that is used in the polycrystalline silicon deposition process preferably has a purity of not less than 99.99% by volume in order to
15 obtain highly pure polycrystalline silicon. Use of such highly pure trichlorosilane and such highly pure hydrogen makes it possible to obtain highly pure polycrystalline silicon having a purity of not less than 11 N.

[0022]

20 (Control of electric current)

As illustrated in Fig. 1, the power source 20 is connected to the control device 21 and the input part 22. In Embodiment 1, the control device 21 which has received via the input part 22 an input by a user of a value of an
25 electric current to be passed through a silicon core wire

controls a value of an electric current of the power source
20 that is provided for each of the concentric circles.
Specifically, as illustrated in Fig. 2, an electric current for
the circle A is supplied from the power source 20A, an
5 electric current for the circle B is supplied from the power
source 20B, and an electric current for the circle C is
supplied from the power source 20C. The power sources
20A to 20C are each individually controlled by the control
device 21.

10 [0023]

In Embodiment 1, the control device 21 controls the
power sources 20A to 20C so that an electric current to be
passed through a silicon core wire arranged on a first
concentric circle of the plurality of concentric circles has a
15 greater value than an electric current to be passed through
a silicon core wire arranged on a second concentric circle
of the plurality of concentric circles, the second concentric
circle being located inward of the first concentric circle.

[0024]

20 In order to determine at what ratio to apply the
electric currents to the respective concentric circles, the
inventor found a method of determining, in accordance
with a radiation heat quantity ratio for each of the circles,
an electric current ratio at which to pass an electric
25 current through polycrystalline silicon rods 13 of each of

the circles. The radiation heat quantity ratio is obtained by deriving, for each of the circles by a simple method, an amount of heat radiation of the polycrystalline silicon rods 13 arranged on the plurality of concentric circles.

5 [0025]

Specifically, first, determined are (i) a number n of the concentric circles, (ii) a total number M of columnar parts that extend vertically and that form the silicon core wires arranged on each of the concentric circles, and (iii) a
10 diameter R of the polycrystalline silicon rods 13 at a time point during a process in which polycrystalline silicon is grown (hereinafter simply referred to as a "growth process"). The inventor found that it is possible to derive respective radiation heat quantities of the circles by determining the
15 above (i) to (iii) and that it is possible to determine, in accordance with the obtained radiation heat quantity ratio for each of the circles, an electric current value ratio at which to pass an electric current through the polycrystalline silicon rods 13 of each of the circles. How
20 to find the electric current value ratio will be described below in detail.

[0026]

(How to find electric current value ratio)

The following description will discuss the reactor 1 in
25 which the number of the concentric circles is n . First, the

following description will discuss the silicon core wires 7 (or the polycrystalline silicon rods 13 formed by deposition on the silicon core wires 7) (parts extending vertically and serving as the columnar parts) arranged on a k-th concentric circle from the innermost circle. A heat blocking ratio S_k that is a ratio at which radiation heat of the silicon core wires 7 arranged on the k-th concentric circle is blocked by the silicon core wires 7 arranged on the other concentric circles and the k-th concentric circle is expressed by the following Equation (2):

$$S_k = R \times M_k / (2 \times r_k \times \pi) \quad (2)$$

where R is the diameter of the polycrystalline silicon rods 13 at a time point during the growth process. Assuming that $R_{\max}$ represents the diameter of the polycrystalline silicon rods 13 at the end of the deposition, R is preferably set to approximately 50% to 65% of $R_{\max}$. For example, in a case where the diameter of the polycrystalline silicon rods 13 at the end of the deposition is 150 mm, R is set to 80 mm to 130, preferably 90 mm to 110 mm, and more preferably 95 mm to 105 mm. M_k is the total number of columnar parts 71 and 72 extending in the vertical direction of the silicon core wires 7 arranged on the k-th (k being an integer that satisfies $1 \leq k \leq n$) concentric circle. For example, in a case where 3 pairs of

electrodes 6 are arranged on a concentric circle, the total number of columnar parts 71 and 72 of the silicon core wires 7 arranged on the concentric circle is 6. r_k is a radius of the k -th concentric circle, and r_k preferably satisfies $r_k + (4/3) \times R_{\max} \leq r_{k+1}$. This is because, in a case where r_{k+1} is smaller than $r_k + (4/3) \times R_{\max}$, a distance between adjacent polycrystalline silicon rods 13 is less than one third of $R_{\max}$ at the end of the deposition and it is difficult to take out the rods after the end of the deposition.

[0027]

Next, regarding the silicon core wires 7 arranged on the k -th concentric circle, the following description will discuss a radiation heat ratio H_{k0} of heat radiated to outside the concentric circle. The silicon core wires 7 arranged on the k -th concentric circle are heat-blocked at a heat blocking ratio S_{k+1} by the polycrystalline silicon rods 13 of a $(k+1)$ -th concentric circle. Subsequently, the silicon core wires 7 arranged on the k -th concentric circle are heat-blocked at a heat blocking ratio S_{k+2} by the polycrystalline silicon rods 13 of a $(k+2)$ -th concentric circle. Thereafter, the silicon core wires 7 arranged on the k -th concentric circle are heat-blocked similarly and then are finally heat-blocked at a heat blocking ratio S_n by the polycrystalline silicon rods 13 arranged on an n -th concentric circle that is the outermost circle. Thus, in a

case where $1 \leq k \leq n-1$, the radiation heat ratio H_{ko} is expressed by Equation (3) below in heat radiation to outside the k-th concentric circle from the silicon core wires 7 arranged on the k-th concentric circle. The radiation heat ratio H_{ko} is a ratio of (a) a quantity of radiation heat arriving at the inner wall 51 without being blocked by the silicon core wires 7 arranged on the other concentric circles to (b) a quantity of all the radiation heat arriving at the inner wall 51 without presence of any heat-blocking object.

$$H_{ko} = (1 - S_{k+1}) \times (1 - S_{k+2}) \times \cdots \times (1 - S_n) \quad (3)$$

Similarly, regarding the silicon core wires 7 arranged on the k-th concentric circle, the following description will discuss a radiation heat ratio H_{ki} of heat radiated to the inner wall 51 through a center of the k-th concentric circle. The silicon core wires 7 arranged on the k-th concentric circle are heat-blocked at a heat blocking ratio S_{k-1} by the polycrystalline silicon rods 13 of a (k-1)-th concentric circle. Subsequently, the silicon core wires 7 arranged on the k-th concentric circle are heat-blocked by the polycrystalline silicon rods 13 of (k-2)-th, (k-3)-th, ... , second, first, the first, the second, ... , the k-th, ... , and the n-th concentric circles. Thus, the radiation heat ratio H_{ki} is expressed by Equation (4) below in heat radiation

from the silicon core wires 7 arranged on the k-th concentric circle to the inner wall 51 through the center of the k-th concentric circle. The radiation heat ratio H_{ki} is a ratio of (a) the quantity of radiation heat arriving at the inner wall 51 without being blocked by the silicon core wires 7 arranged on the other concentric circles and the k-th concentric circle to (b) the quantity of all the radiation heat arriving at the inner wall 51 without presence of any heat-blocking object.

$$H_{ki} = \{ (1 - S_1) \times \cdots \times (1 - S_{k-1}) \}^2 \times (1 - S_k) \times (1 - S_{k+1}) \times \cdots \times (1 - S_n) \quad (4)$$

Note here that, as publicly known, a quantity Q of heat that an object having an absolute temperature T_s , a surface area A_2 , and an emissivity ε_2 releases, by heat emission, to a surrounding wall surface (having a surface area A_1 , an emissivity ε_1 , and a temperature T_a) is expressed by Equation (5) below.

$$Q = \sigma \varepsilon_2 A_2 \times (T_s^4 - T_a^4) \quad (5)$$

From Equation (5) above, a total radiation heat quantity Q_k of the silicon core wires 7 arranged on the k-th concentric circle can be said to be proportional to a surface area A_k of the polycrystalline silicon rods 13 and a total radiation heat ratio H_k , and the total radiation heat

quantity Q_k can be expressed by Equation (6) below.

$$Q_k = \beta \times H_k \times A_k \quad (6)$$

where the total radiation heat ratio H_k is a ratio of
(ii) below to (i) below measured in heat radiation to the
inner wall 51 from the silicon core wires 7 arranged on the
k-th concentric circle.

[0028]

(i) the quantity of all the radiation heat arriving at
the inner wall 51 without presence of any heat-blocking
object

(ii) the quantity of radiation heat arriving at the
inner wall 51 without being blocked by the silicon core
wires 7 arranged on the other concentric circles and the k-
th concentric circle

Furthermore, the total radiation heat quantity Q_k ,
which is a sum of a quantity Q_{ko} of heat radiated to outside
a concentric circle and a quantity Q_{ki} of heat radiated to a
center of the concentric circle, can therefore be expressed
by Equation (7) below.

$$Q_k = Q_{ko} + Q_{ki} = (\beta \times H_{ko} \times A_{ko}) + (\beta \times H_{ki} \times A_{ki}) \quad (7)$$

In a case where A_k is divided into A_{ko} in the outward
direction of the concentric circle and A_{ki} in the central

direction of the concentric circle, $A_k = A_{ko} + A_{ki}$, and, assuming that $A_{ko} = A_{ki} = (1/2) \times A_k$, Q_k is expressed by Equation (8) below.

$$Q_k = \{\beta \times H_{ko} \times (1/2) \times A_k\} + \{\beta \times H_{ki} \times (1/2) \times A_k\} = \beta \times (1/2) \times A_k \times (H_{ko} + H_{ki}) \quad (8)$$

5 This makes it possible to say that $H_k = (1/2) \times H_{ki} + (1/2) \times H_{ko}$.

[0029]

10 The total radiation heat ratio H_k of heat radiated to the inner wall 51 from the silicon core wires 7 arranged on the k-th concentric circle is therefore expressed by Equation (9) below.

$$H_k = (1/2) \times H_{ki} + (1/2) H_{ko} = (1/2) \times [(1 - S_{k+1}) \times \dots \times (1 - S_n) + \{ (1 - S_1) \times \dots \times (1 - S_{k-1}) \}^2 \times (1 - S_k) \times (1 - S_{k+1}) \times \dots \times (1 - S_n)] \quad (9)$$

15 Next, regarding the silicon core wires 7 arranged on the outermost concentric circle (the n-th concentric circle), the heat blocking ratio S_n is expressed by Equation (10) below as in the case of Equation (2) above. The heat blocking ratio S_n is a ratio at which radiation heat of the silicon core wires 7 arranged on the n-th concentric circle is blocked by the silicon core wires 7 arranged on the other concentric circles and the n-th concentric circle.

20

$$S_n = R \times M_n / (2 \times r_n \times \pi) \quad (10)$$

The following description will discuss a radiation heat ratio H_{no} measured in heat radiation to outside the concentric circle from the silicon core wires 7 arranged on the n-th concentric circle. The radiation heat ratio H_{no} is a ratio of (a) the quantity of radiation heat arriving at the inner wall 51 without being blocked by the silicon core wires 7 arranged on the other concentric circles to (b) the quantity of all the radiation heat arriving at the inner wall 51 without presence of any heat-blocking object. Since the n-th concentric circle is the outermost circle, radiation heat is not blocked by the polycrystalline silicon rods 13 of the other circles, and $H_{no} = 1.0$.

[0030]

A radiation heat ratio H_{ni} measured in heat radiation to the inner wall 51 through a center of the n-th concentric circle from the silicon core wires 7 arranged on the n-th concentric circle is expressed by Equation (11) below as in the case of Equation (4) above. The radiation heat ratio H_{ni} is a ratio of (a) a quantity of radiation heat arriving at the inner wall 51 without being blocked by the silicon core wires 7 arranged on the other concentric circles and the n-th concentric circle to (b) the quantity of all the radiation heat arriving at the inner wall 51 without presence of any

heat-blocking object.

$$H_{n_i} = \{ (1 - S_1) \times \cdots \times (1 - S_{n-1}) \}^2 \times (1 - S_n) \quad (11)$$

Thus, a total radiation heat ratio H_n measured in heat radiation to the inner wall 51 from the silicon core wires 7 arranged on the n -th concentric circle is expressed by Equation (12) below as in the case of Equation (9) above. The total radiation heat ratio H_n is a ratio of (a) the quantity of radiation heat arriving at the inner wall 51 without being blocked by the silicon core wires 7 arranged on the other concentric circles and the n -th concentric circle to (b) the quantity of all the radiation heat arriving at the inner wall 51 without presence of any heat-blocking object.

$$H_n = (1/2) \times H_{n_i} + (1/2) \times H_{n_o} = (1/2) \times \{ 1 + \{ (1 - S_1) \times \cdots \times (1 - S_{n-1}) \}^2 \times (1 - S_n) \} \quad (12)$$

Assuming that Q_k represents a total radiation heat quantity of heat radiated to the inner wall 51 from the silicon core wires 7 arranged on the k -th concentric circle, the total radiation heat ratio H_k of the silicon core wires 7 arranged on the k -th concentric circle is proportional to the total radiation heat quantity Q_k . In a case where

compensation for heat loss caused by the total radiation heat quantity Q_k is regulated by a value I_k of an electric current to be supplied to the silicon core wires 7 arranged on the k-th concentric circle, I_k depends on H_k and Q_k .

5 [0031]

However, a heat supply by an electric current supply is used also to heat raw material gas. Furthermore, though the rods are substantially identical in quantity of heat used to heat gas, heat supplied by the electric current supply is used, at a complicated ratio, to compensate for heat loss caused by heat radiation. In view of this, the inventor empirically found a supplement to the total radiation heat quantity Q_k by heat radiation by actually carrying out a deposition reaction regulated by the value I_k of the electric current. As a result, the inventor found that application of an electric current under a condition satisfying Equation (13) below allows the formed polycrystalline silicon rods 13 to have substantially the same diameter.

$$I_k = I_n \times (Q_k / Q_n)^\alpha \quad (0 < \alpha \leq 0.3) \quad (13)$$

20

Specifically, Equation (13) above can be used to determine, as a linear function of a value of an electric current to be passed through the polycrystalline silicon rods 13 of the outermost concentric circle, a value of an

electric current to be passed through the polycrystalline silicon rods 13 of each of the concentric circles. Thus, I_k that corresponds to a specific I_n can be found by finding a ratio (Q_k/Q_n) between the total radiation heat quantity Q_k and a total radiation heat quantity Q_n . The total radiation heat ratio H_k of the silicon core wires 7 arranged on the k -th concentric circle is proportional to the total radiation heat quantity Q_k , and the total radiation heat ratio H_n of the silicon core wires 7 arranged on the n -th concentric circle is proportional to the total radiation heat quantity Q_n . In view of this, the ratio between the total radiation heat quantity Q_k and the total radiation heat quantity Q_n is expressed by Equation (14) below.

$$Q_k/Q_n = H_k/H_n \quad (14)$$

H_k in Equation (14) above can be substituted by Equation (9), and H_n in Equation (14) above can be substituted by Equation (12). The heat blocking ratio S_k in the equations by which H_k and H_n are thus substituted can be found by Equation (2), and the heat blocking ratio S_n in those equations by which H_k and H_n are thus substituted can be found by Equation (10). In this manner, Q_k/Q_n can be found. In other words, a value (I_k) of an electric current to be applied to the silicon core wires 7 on the k -th concentric circle, the value corresponding to a specific

value (I_n) of an electric current to be applied to the silicon core wires 7 located outermost, can be derived from (i) the diameter (R) of the polycrystalline silicon rods 13 at a time point during the growth process, (ii) radii (r_k and r_n) of concentric circles, and (iii) total numbers (M_k and M_n) of the columnar parts of the silicon core wires 7 arranged on the concentric circles.

[0032]

(Effects of invention)

According to an aspect of the present invention, a variation in thickness of the polycrystalline silicon rods to be formed in one batch in the reactor 1 can be reduced by passing the electric currents at the electric current ratio determined by the method (described earlier). This makes it possible to obtain the polycrystalline silicon rods 13 having a uniform thickness. A variation in thickness of resultant polycrystalline silicon rods 13 leads to a reduction in production of the polycrystalline silicon rods 13 in one batch. Furthermore, non-uniformity in thickness of the polycrystalline silicon rods 13 formed requires non-routine work such as regulation of a lift-up force applied to detach the polycrystalline silicon rods 13 from the bottom plate and/or regulation of a force during a rough-crushing step carried out before the formed rods are subjected to a crushing step. This reduces work efficiency. By obtaining

the polycrystalline silicon rods 13 having a more uniform thickness, an aspect of the present invention makes it possible to (i) solve such problems as described above and (ii) improve productivity.

5 [0033]

Results of tests that demonstrated the effects of the present invention will be described below.

[0034]

(Demonstration test result 1)

10 The reactor 1 was used which included (i) 4 silicon core wires 7 arranged on a circumference of a concentric circle A having a radius r_A of 300 mm, (ii) 8 silicon core wires 7 arranged on a circumference of a concentric circle B having a radius r_B of 600 mm, and (iii) 16 silicon core
15 wires 7 arranged on a circumference of a concentric circle C having a radius r_C of 900 mm, and the total radiation heat ratio H_k of each of the circles measured when $R = 100$ (mm) was calculated based on the equation expressing the heat blocking ratio S_k . Table 1 shows a result of the
20 calculation.

[0035]

[Table 1]

Total heat radiation ratio of rods of circle A	0.505
Total heat radiation ratio of rods of circle B	0.534
Total heat radiation ratio of rods of circle C	0.638

In accordance with the result shown in Table 1, the value of the electric current to be passed through the silicon core wires 7 of each of the circles was calculated based on Equation (13) above. Table 2 shows a result of the calculation. In Table 2, IA/IC represents the ratio of the value of the electric current for the circle A to the value of the electric current for the circle C.

[0036]

[Table 2]

	$(Q_k/Q_n)^a$						
	$\alpha=0.1$	$\alpha=0.15$	$\alpha=0.18$	$\alpha=0.2$	$\alpha=0.22$	$\alpha=0.25$	$\alpha=0.3$
IA/IC	0.98	0.97	0.96	0.95	0.95	0.94	0.93
IB/IC	0.98	0.97	0.97	0.96	0.96	0.96	0.95
IC/IC	1.00	1.00	1.00	1.00	1.00	1.00	1.00

Table 3 shows a variation in diameter of the resultant polycrystalline silicon rods 13 in a case where the electric currents were applied to the circle A, the circle B, and the circle C at the electric current ratios obtained from the calculation result shown in Table 2.

[0037]

For example, in a case where α was 0.3, control was carried out so that (i) the value of the electric current to be

applied to the silicon core wires 7 of the circle A was 93% of the value of the electric current for the circle C and (ii) the value of the electric current to be applied to the silicon core wires 7 of the circle B was 95% of the value of the electric current for the circle C, and deposition was conducted until the polycrystalline silicon rods 13 of the circle C each had a diameter of 150 mm. In this case, among all the polycrystalline silicon rods 13 obtained in the reactor 1, a value (variation) of 8% was observed, the value being obtained by dividing a difference between a maximum value and a minimum value of the rod diameter by the maximum value.

[0038]

[Table 3]

IA/IC	0.98	0.97	0.96	0.95	0.95	0.94	0.93
IB/IC	0.98	0.97	0.97	0.96	0.96	0.96	0.95
IC/IC	1.00	1.00	1.00	1.00	1.00	1.00	1.00
Variation	8%	7%	3%	2%	3%	6%	8%

The above result shows that it was possible to obtain 28 polycrystalline silicon rods 13 having a variation of less than 10% at any value in the range of $0 < \alpha \leq 0.3$.

[0039]

(Demonstration test result 2)

The reactor 1 was used which included (i) 4 silicon core wires 7 arranged on a circumference of a concentric circle A having a radius r_A of 400 mm, (ii) 8 silicon core wires 7 arranged on a circumference of a concentric circle

B having a radius r_B of 800 mm, (iii) 16 silicon core wires 7 arranged on a circumference of a concentric circle C having a radius r_C of 1200 mm, (iv) 32 silicon core wires 7 arranged on a circumference of a concentric circle D having a radius r_D of 1600 mm, and (v) 48 silicon core wires 7 arranged on a circumference of a concentric circle E having a radius r_E of 2000 mm, and the total radiation heat ratio H_k of each of the circles measured when $R = 100$ (mm) was calculated based on the equation expressing the heat blocking ratio S_k . Table 4 shows a result of the calculation.

[0040]

[Table 4]

Total heat radiation ratio of rods of circle A	0.257
Total heat radiation ratio of rods of circle B	0.265
Total heat radiation ratio of rods of circle C	0.294
Total heat radiation ratio of rods of circle D	0.374
Total heat radiation ratio of rods of circle E	0.545

In accordance with the result shown in Table 4, the value of the electric current to be passed through the silicon core wires 7 of each of the circles was calculated based on Equation (13) above. Table 5 shows a result of the calculation.

[0041]

[Table 5]

	$(Q_k/Q_n)^a$						
	$\alpha=0.1$	$\alpha=0.15$	$\alpha=0.18$	$\alpha=0.2$	$\alpha=0.22$	$\alpha=0.25$	$\alpha=0.3$
IA/IE	0.93	0.89	0.87	0.86	0.85	0.83	0.80
IB/IE	0.93	0.90	0.88	0.87	0.85	0.83	0.81
IC/IE	0.94	0.91	0.89	0.88	0.87	0.86	0.83
ID/IE	0.96	0.95	0.93	0.93	0.92	0.91	0.89
IE/IE	1.00	1.00	1.00	1.00	1.00	1.00	1.00

Table 6 shows a variation in diameter of the resultant polycrystalline silicon rods 13 in a case where the electric currents were applied to the circle A, the circle B, the circle C, the circle D, and the circle E at the electric current ratios obtained from the calculation result shown in Table 5.

[0042]

For example, in a case where α was 0.3, control was carried out so that (i) the value of the electric current to be applied to the silicon core wires 7 of the circle A was 80% of the value of the electric current for the circle E, (ii) the value of the electric current to be applied to the silicon core wires 7 of the circle B was 81% of the value of the electric current for the circle E, (iii) the value of the electric current to be applied to the silicon core wires 7 of the circle C was 83% of the value of the electric current for the circle E, and (iv) the value of the electric current to be applied to the silicon core wires 7 of the circle D was 89% of the value of the electric current for the circle E, and deposition was conducted until the polycrystalline silicon rods 13 of the circle E each had a diameter of 150

mm. In this case, among all the polycrystalline silicon rods 13 obtained in the reactor 1, a value (variation) of 8% was observed, the value being obtained by dividing a difference between a maximum value and a minimum value of the rod diameter by the maximum value.

[0043]

[Table 6]

IA/IE	0.93	0.89	0.87	0.86	0.85	0.83	0.80
IB/IE	0.93	0.90	0.88	0.87	0.85	0.83	0.81
IC/IE	0.94	0.91	0.89	0.88	0.87	0.86	0.83
ID/IE	0.96	0.95	0.93	0.93	0.92	0.91	0.89
IE/IE	1.00	1.00	1.00	1.00	1.00	1.00	1.00
Variation	9%	7%	3%	2%	3%	6%	8%

The above result shows that it was possible to obtain 108 polycrystalline silicon rods 13 having a variation of less than 10% at any value in the range of $0 < \alpha \leq 0.3$.

[0044]

(Comparative Example)

As a comparative example the reactor 1 was used which included (i) 4 silicon core wires 7 arranged on a circumference of a concentric circle A having a radius r_A of 300 mm, (ii) 8 silicon core wires 7 arranged on a circumference of a concentric circle B having a radius r_B of 600 mm, and (iii) 16 silicon core wires 7 arranged on a circumference of a concentric circle C having a radius r_C of 900 mm, and the same electric current was applied to each of the circles. Deposition was conducted until the polycrystalline silicon rods 13 of the circle C each had a

diameter of 150 mm. In this case, among all the polycrystalline silicon rods 13 obtained in the reactor 1, a value (variation) of 13% was observed, the value being obtained by dividing a difference between a maximum value and a minimum value of the rod diameter by the maximum value.

[0045]

(Embodiment 2)

Regarding the value of R , Embodiment 1 uses a predetermined constant as the diameter of the polycrystalline silicon rods 13 at a time point during the growth process to derive the electric current value ratio between I_n and I_k . The electric current value ratio that is constant throughout the production process is used to produce the polycrystalline silicon rods 13.

[0046]

However, in an actual production process, the diameter of the polycrystalline silicon rods 13 changes over time in accordance with their growth. Thus, a process for producing the polycrystalline silicon rods 13 can be divided into a plurality of steps, and the electric current value ratio to be used in each of the steps can also be individually calculated. In this case, the control device 21 controls the electric current values of the power sources 20A to 20C so as to achieve the electric current value ratio

that is determined in advance for each of the plurality of steps. This configuration makes it possible to obtain the polycrystalline silicon rods 13 having a smaller variation in thickness.

5

Reference Signs List

[0047]

	1	Reactor
	2	Reaction chamber
10	3	Bottom plate
	5	Bell jar
	6	Electrode
	7	Silicon core wire
	13	Polycrystalline silicon rod
15	20	Power source
	21	Control device
	22	Input part
	51	Inner wall

Claims

Claim 1

A method for producing a polycrystalline silicon rod,
the method involving growing polycrystalline silicon by
5 passing electric currents through silicon core wires in a
bell jar in which the silicon core wires are arranged on a
plurality of concentric circles, wherein

values of the electric currents to be passed through
the silicon core wires are controlled so that an electric
10 current to be passed through a silicon core wire arranged
on a first concentric circle of the plurality of concentric
circles has a greater value than an electric current to be
passed through a silicon core wire arranged on a second
concentric circle of the plurality of concentric circles, the
15 second concentric circle being located inward of the first
concentric circle.

Claim 2

The method according to claim 1, wherein

20 an electric current to be passed through a silicon
core wire arranged on a k-th concentric circle from an
innermost concentric circle of the plurality of concentric
circles is controlled so as to satisfy the following equation:

$$I_k = I_n \times (Q_k/Q_n)^\alpha \quad (0 < \alpha \leq 0.3)$$

25 where n is an integer that represents the number of

the concentric circles in the bell jar and that is greater than 1,

k is an integer that satisfies $1 \leq k < n$,

I_n is an electric current to be passed through a silicon core wire arranged on an outermost concentric circle of the plurality of concentric circles,

Q_n is a total radiation heat quantity of heat radiated to an inner wall of the bell jar from the silicon core wire arranged on the outermost concentric circle, and

Q_k is a total radiation heat quantity of heat radiated to the inner wall from the silicon core wire arranged on the k -th concentric circle.

Claim 3

The method according to claim 2, wherein:

assuming that

(i) a heat blocking ratio S_k that is a ratio at which the silicon core wire arranged on the k -th concentric circle blocks radiation heat of the silicon core wire arranged on the k -th concentric circle and of a silicon core wire arranged on another concentric circle different from the k -th concentric circle is expressed by the following equation:

$$S_k = R \times M_k / (2 \times r_k \times \pi),$$

(ii) a radiation heat ratio H_{k0} of heat radiated from the k -th concentric circle to outside the k -th concentric

circle is expressed by the following equation:

$$H_{ko} = (1-S_{k+1}) \times \dots \times (1-S_n), \text{ and}$$

(iii) a radiation heat ratio H_{ki} of heat radiated from the k -th concentric circle to the inner wall through a center of the k -th concentric circle is expressed by the following equation:

$$H_{ki} = \{(1-S_1) \times \dots \times (1-S_{k-1})\}^2 \times (1-S_k) \times (1-S_{k+1}) \times \dots \times (1-S_n),$$

a total radiation heat ratio H_k of heat radiated to the inner wall from the silicon core wire arranged on the k -th concentric circle is expressed by the following equation:

$$H_k = (1/2) \times H_{ki} + (1/2) \times H_{ko} = (1/2) \times [(1-S_{k+1}) \times \dots \times (1-S_n) + \{(1-S_1) \times \dots \times (1-S_{k-1})\}^2 \times (1-S_k) \times (1-S_{k+1}) \times \dots \times (1-S_n)];$$

assuming that

(iv) a heat blocking ratio S_n that is a ratio at which the silicon core wire arranged on the outermost concentric circle blocks radiation heat of the silicon core wire arranged on the outermost concentric circle and of a silicon core wire arranged on another concentric circle different from the outermost concentric circle is expressed by the following equation:

$$S_n = (R \times M_n) / (2 \times r_n \times \pi),$$

(v) a radiation heat ratio H_{no} of heat radiated from the outermost concentric circle to outside the outermost concentric circle is expressed by the following equation:

$H_{no} = 1$, and

(vi) a radiation heat ratio H_{ni} of heat radiated from the outermost concentric circle to the inner wall through a center of the outermost concentric circle is expressed by the following equation:

$$H_{ni} = \{(1-S_1) \times \dots \times (1-S_{n-1})\}^2 \times (1-S_n),$$

a total radiation heat ratio H_n of the silicon core wire arranged on the outermost concentric circle is expressed by the following equation:

$$H_n = (1/2) \times H_{ni} + (1/2) \times H_{no} = (1/2) \times \{1 + \{(1-S_1) \times \dots \times (1-S_{n-1})\}^2 \times (1-S_n)\}; \text{ and}$$

assuming that $Q_k / Q_n = H_k / H_n$,

R is a diameter of the polycrystalline silicon rod at a time point during a process in which the polycrystalline silicon is grown,

r_x is a radius of an x -th (x being an integer that satisfies $1 \leq x \leq n$) concentric circle from the innermost concentric circle, and

M_y is the total number of silicon core wires arranged on a y -th (y being an integer that satisfies $1 \leq y \leq n$) concentric circle from the innermost concentric circle.