

Specification

Title of the Invention: Orthokeratology Lens

Technical Field

[0001]

The present invention relates to an orthokeratology lens, and more specifically, the present invention relates to an orthokeratology contact lens which has a structure for changing the shape of the cornea surface.

Background Art

[0002]

Orthokeratology is a known therapeutic means for correcting nearsightedness or myopia wherein a contact lens provided with a plurality of radii of curvature is worn overnight to reshape the cornea surface to thereby change focal distance of the cornea itself. Also known is the orthokeratology contact lens used in such therapy (for example, Patent Document 1).

[0003]

The mechanism of correcting the eyesight using an orthokeratology contact lens is explained.

[0004]

First, as shown in FIG. 1, in the case of myopia, the surface of the cornea 2 has a radius of curvature (the nonspherical shape on the left side of FIG. 1) which is higher than (convex in the front direction compared to) the retina. Accordingly, the focus will not be on the retina 6, and the light is converged before reaching the retina 6.

[0005]

On such cornea 2, the orthokeratology contact lens 1 is fitted as shown in FIG. 2 like corset to reshape the cornea surface 7 of FIG. 1.

[0006]

As a consequence of such correction, the flattened shape of the cornea surface 7 will be retained even after removing the orthokeratology contact lens 1 as shown in FIG. 3.

[0007]

The light refraction is thereby adjusted and the focus will be on the retina 6, and this will result in the improved eyesight for a certain period.

[0008]

A typical orthokeratology contact lens is the one wherein the surface

contacting the surface of the cornea has a shape divided into 4 parts, namely, a base region in the center of the orthokeratology contact lens which pushes the cornea surface (a concave spherical surface functioning as the part correcting the surface curve), an annular reverse region outside the periphery of the base region which receives the cornea tissue from the base region, an annular alignment region outside the periphery of the reverse region which fits the orthokeratology contact lens with the cornea and adjusts centering of the orthokeratology contact lens, and an annular peripheral region forming the edge which facilitates the lens removal and flowing of the lacrimal fluid into the interior of the orthokeratology contact lens.

Prior Art Documents

Patent Document

[0009]

Patent Document 1: Japanese Patent No. 3881221

Summary

Problems to Be Solved

[0010]

In the prior art orthokeratology contact lens described in Patent Document 1, the radius of curvature of the base region has been determined on the bases of the average radius of curvature of the cornea before the correction and the intended degree of correction.

[0011]

In addition, the radius of curvature of the alignment region has been formed so that the value would be near the average radius of curvature of the cornea before the correction in view of the fitting with the cornea, and to satisfy the relation:

$$R_R = R_B + 11.00 \text{ D to } 15.00 \text{ D (D: diopter)}$$

when the radius of curvature of the base region was R_B and the radius of curvature of the reverse region was R_R .

[0012]

However, in the case of the shape derived from the conventional design idea based on such relation, the lens depth of the region related to the cornea correction will vary depending on the intended degree of correction since the shape is determined by the medical approach of ensuring the region receiving

the cornea tissue from the base region.

[0013]

As a consequence, in the case of the conventional means based on such relation, the lens depth of the region related to the cornea correction will be deep when intended degree of correction is small, and sufficient pushing of the central part of the cornea may not be accomplished since amount of pushing of the cornea in the axial direction of the eye may be insufficient or the cornea may not be contacted by the lens. In such case, the effect of correction may become inconsistent, and the intended degree of correction may not be achieved or an excessive time may be required to realize the desired correction of the eyesight.

On the other hand, when the depth of the cornea pushed in the axial direction of the eye is deep, there have been the risks of damaging the cornea, increasing probability of suffering from complication because of the reduced intraocular pressure, and roughening of the eye surface due to the forceful pushing of the cornea surface. In other words, the conventional method wherein the value of the radius of curvature of the reverse region is derived solely from the radius of curvature of the base region to be corrected suffered from the risks of inconsistent correction as well as damaging of the cornea.

[0014]

In view of such situation, it has been found in the present disclosure that the radius of curvature of the reverse region is more preferably derived from the radius of curvature of the base region and the radius of curvature of the alignment region.

[0015]

The present disclosure provides an orthokeratology contact lens wherein, even if the intended degree of correction is different, the lens depth of the region related to the cornea correction can be kept constant by changing radius of curvature of the reverse region as long as the radius of curvature of the alignment region is the same.

Means for Solving the Problems

[0016]

In order to solve the problems as described above, the present disclosure has the constitution as described below.

[0016a]

In an aspect, there is provided an orthokeratology contact lens for correcting eyesight by changing shape of the cornea wherein lens surface contacting the cornea comprises

- central area called base region at the center of the lens which pushes the cornea,
- an annular area called reverse region outside the periphery of the base region,
- an annular area called alignment region outside the periphery of the reverse region, and
- an annular area called peripheral region outside the periphery of the alignment region, and characterized in that

lens depth (S_K) related to the correction of the cornea is kept constant by changing the radius of curvature of the reverse region even when radius of curvature and width of the base region, width of the reverse region, radius of curvature and width of the alignment region, and radius of curvature and width of the peripheral region, and intended degree of eyesight after the correction are changed, wherein, when the width of the base region is W_B , the width of the reverse region is W_R , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the radius of curvature of the alignment region is R_A , lens depth of the base region is T_B , lens depth of the reverse region is T_R , and linear distance between point where the curve of the base region intersects the central axis of the contact lens and point where the extension of the curve of the alignment region intersects the central axis of the contact lens is S_P ,

the lens depth T_R of the reverse region is derived from the following equation (1):

$$T_R = R_A - \sqrt{R_A^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_P$$

... (1)

wherein in equation (1), E represents $W_B/2$ and F represents $W_B/2 + W_R$, and

the radius of curvature R_R of the reverse region is derived by using T_R

from the following equation (2):

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots (2)$$

wherein in equation (2), E represents $W_B/2$ and F represents $W_B/2 + W_R$.

[0017]

(1) An orthokeratology contact lens for correcting eyesight by changing shape of the cornea wherein lens surface contacting the cornea comprises central area called base region at the center of the lens which pushes the cornea, an annular area called reverse region outside the periphery of the base region, an annular area called alignment region outside the periphery of the reverse region, and an annular area called peripheral region outside the periphery of the alignment region; and lens depth necessary for the correction of the cornea is kept constant by changing the radius of curvature of the reverse region even when radius of curvature and width of the base region, width of the reverse region, radius of curvature and width of the alignment region, and radius of curvature and width of the peripheral region, and intended degree of eyesight after the correction are changed.

(2) An orthokeratology contact lens according to (1) wherein the lens depth necessary for correcting the cornea is constant as long as the radius of curvature of the alignment region is the same.

(3) An orthokeratology contact lens according to (1) or (2) wherein the radius of curvature of the reverse region is derived from the radius of curvature and the width of the base region, the width of the reverse region, the radius of curvature and the width of the alignment region, and the radius of curvature and the width of the peripheral region.

(4) An orthokeratology contact lens according to (3) wherein, when the width of the base region is W_B , the width of the reverse region is W_R , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the radius of curvature of the alignment region is R_A , the lens depth of the base region is T_B , the lens depth of the reverse region is T_R , and linear distance between point where the curve of the base region intersects the central axis of the contact lens and point where the extension of the curve of the alignment region intersects the central axis of the contact lens is S_P , the lens depth T_R of the reverse region is derived from the following equation (1):

[0018]

[Mathematical formula 1]

$$T_R = R_A - \sqrt{R_A^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_P$$

... (1)

[0019]

(in equation (1), E represents $W_B/2$ and F represents $W_B/2+W_R$), and the radius of curvature R_R of the reverse region is derived by using T_R from the following equation (2):

[0020]

[Mathematical formula 2]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots (2)$$

[0021]

(in equation (2), E represents $W_B/2$ and F represents $W_B/2+W_R$).

(5) An orthokeratology contact lens according to (4) wherein the lens depth T_R and the radius of curvature R_R are respectively within $\pm 10\%$ of the derived lens depth T_R and radius of curvature R_R .

(6) An orthokeratology contact lens according to (1) wherein the radius of curvature and the width of the alignment region are different in longitudinal direction and transverse direction when seen in the direction of the central axis of the contact lens.

(7) An orthokeratology contact lens according to (6) wherein the lens depth necessary for the correction of the cornea is constant as long as the maximum radius of curvature of the alignment region is the same.

(8) An orthokeratology contact lens according to (6) or (7) wherein the radius of curvature of the reverse region is derived from the radius of curvature and the width of the base region, the width of the reverse region, the maximum radius of curvature and the maximum width of the alignment region, and the radius of curvature and width of the peripheral region.

(9) An orthokeratology contact lens according to any one of (6) to (8) wherein, when the width of the base region is W_B , the width of the reverse region is W_R , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the maximum radius of curvature of the alignment region is R_{AV} , the lens depth of the base region is T_B , the lens depth of the reverse region is T_R , and linear distance between point where the curve of the base region intersects the central axis of the contact lens and point where the extension of the curve with maximum radius of curvature of the alignment region intersects

the central axis of the contact lens is S_P the lens depth T_R of the reverse region is derived from the following equation (3):

[0022]

[Mathematical formula 3]

$$T_R = R_{AV} - \sqrt{R_{AV}^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_{PT} \quad \dots(3)$$

[0023]

(in equation (3), E represents $W_B/2$ and F represents $W_B/2+W_R$), and the radius of curvature R_R of the reverse region is derived by using T_R from the following equation (2):

[0024]

[Mathematical formula 4]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

[0025]

(in equation (2), E represents $W_B/2$ and F represents $W_B/2+W_R$).

(10) An orthokeratology contact lens according to (9) wherein the lens depth T_R and the radius of curvature R_R are respectively within $\pm 10\%$ of the derived lens depth T_R and radius of curvature R_R .

Advantageous Effects

[0026]

The present disclosure provides an orthokeratology contact lens wherein the lens depth of the region related to the cornea correction can be kept constant by changing radius of curvature of the reverse region even if the intended degree of correction is different as long as the radius of curvature of the alignment region is the same.

Brief Description of the Drawings

[0027]

[FIG. 1] A schematic view showing an eyeball wherein the cornea is in myopia state.

[FIG. 2] A schematic view showing an eyeball wearing an orthokeratology

contact lens.

[FIG. 3] A schematic view showing an eyeball after removing the orthokeratology contact lens.

[FIG. 4] A schematic view showing the orthokeratology contact lens of the present invention.

[FIG. 5] A schematic view for explaining the shape of the orthokeratology contact lens of the present invention.

[FIG. 6] A schematic view showing the toric orthokeratology contact lens of the present invention.

[FIG. 7] A schematic view for explaining the shape of the toric orthokeratology contact lens of the present invention.

Description of Preferred Embodiments

[0028]

The present invention relates to an orthokeratology contact lens for correcting eyesight by changing shape of the cornea wherein lens surface contacting the cornea comprises central area called base region at the center of the lens which pushes the cornea, an annular area called reverse region outside the periphery of the base region, an annular area called alignment region outside the periphery of the reverse area, and an annular area called peripheral region outside the periphery of the alignment area, and the lens depth necessary for the correction of the cornea is kept constant by changing the radius of curvature of the reverse region even when the radius of curvature and the width of the base region, the width of the reverse region, the radius of curvature and the width of the alignment region, and the radius of curvature and the width of the peripheral region, and intended degree of eyesight after the correction are changed. More specifically, the present invention relates to an orthokeratology contact lens wherein the lens depth necessary for the correction of the cornea is constant as long as the radius of curvature of the alignment region is the same.

[0029]

Next, a preferred embodiment of the present invention is described.

[0030]

First, the orthokeratology contact lens of the present invention is preferably a hard contact lens having a high oxygen permeation, and as shown in FIG. 4, the surface of the orthokeratology contact lens of the present invention which contact cornea 2 of FIG. 1 is divided into 4 parts.

[0031]

The 4 parts are:

the central spherical area called base region B which is in contact with the cornea 2 of FIG. 1 and which pushes the surface 7 of the cornea to accomplish the function of correcting the radius of curvature of the cornea surface,

an annular area called reverse region R outside the periphery of the base region B which receives cornea tissue from the base region B,

an annular area called alignment region A outside the periphery of the reverse area R which adjusts fitting between the orthokeratology contact lens 1 and the cornea 2 and centering of the orthokeratology contact lens 1, and

an edge-forming area called peripheral region P which facilitates removal of the lens and inflow of the lacrimal fluid into the interior of the orthokeratology contact lens 1.

[0032]

In the cross-sectional shape including the central axis M of the contact lens, the central point C_B of the radius of curvature R_B of the base region B is located on the central axis M of the contact lens, and the radius of curvature is determined so that the cornea surface 7 will reach the intended degree of correction. The myopia can be corrected since the shape of the cornea surface 7 will be reshaped depending on the radius of curvature.

[0033]

In the reverse region R, a space is formed between the orthokeratology contact lens 1 and the cornea 2, and this space functions as a space receiving the cornea tissue resulting from the correction in the base region B.

[0034]

The alignment region A contributes for precise centering of the orthokeratology contact lens 1 by the contact with the cornea 2 or by the state resembling such contact but at a distance of several microns. With regard to the radius of curvature R_A of the alignment region A, the central point C_A is preferably located on the central axis M of the contact lens, and the value is preferably near the radius of curvature of the cornea surface before the correction in order to improve the fitting to the cornea 2.

[0035]

The peripheral region P preferably has a rounded conical cross-sectional shape to facilitate flowing of the lacrimal fluid from the edge of the orthokeratology contact lens 1 to the cornea 2 and to reduce the unconformable

feeling during the wearing.

[0036]

As shown in FIG. 4, all curved surfaces have a radius of curvature surrounding the central axis M of the contact lens, and have a shape resembling a bowl with the recessed side facing the cornea 2 as shown in FIG. 1.

[0037]

Furthermore, transition point J1 between the base region and the reverse region, transition point J2 between the reverse region and the alignment region, and transition point J3 between the alignment region and the peripheral region which are continuous with each other are preferably rounded so that the cornea 2 is not injured by these transition points upon wearing of the lens, and their radius of curvature is preferably 0.02 to 4.00 mm.

[0038]

An embodiment of the present invention is described in detail by referring to FIG. 5, which is a schematic view of the orthokeratology contact lens 1 of the present invention.

[0039]

In FIG. 5, the width of the base region is W_B , the width of the reverse region is W_R , the width of the alignment region is W_A , the width of the peripheral region is W_P , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the radius of curvature of the alignment region is R_A , the radius of curvature of the peripheral region is R_P , the lens depth of the base region is T_B , the lens depth of the reverse region is T_R , the lens depth related to the correction of the cornea is $S_K (=T_B+T_R)$, and the linear distance between point K1 where the curve of the base region intersects the central axis of the contact lens and point K2 where the extension of the curve of the alignment region intersects the central axis M of the contact lens is S_P .

[0040]

Since the radius of curvature of the base region R_B is determined to realize the correction to the intended degree of eyesight, the lens depth T_B of the base region is calculated from the width W_B of the base region by the following formula (4):

[0041]

[Mathematical formula 5]

$$T_B = R_B - \sqrt{R_B^2 - \frac{W_B^2}{4}} \quad \cdots (4)$$

[0042]

The value of the radius of curvature R_A of the alignment region is preferably near the value of average radius of curvature R_K of the cornea before the correction in order to improve fitting with the cornea 2.

[0043]

A characteristic feature of the present invention is that, in the cross-section including the central axis M of the orthokeratology contact lens, the lens depth necessary for the correction of the cornea is kept constant by changing the radius of curvature R_R of the reverse region even if the R_B , W_B , W_R , R_A , W_A , R_P , W_P , and the intended degree of correction are changed, and that the lens depth S_K related to the correction of the cornea is kept constant as long as the radius of curvature R_A of the alignment region is the same.

[0044]

More specifically, in the cross-section including the central axis M of the orthokeratology contact lens of the present invention, the lens depth S_K related to the correction of the cornea can be kept constant by calculating the lens depth of the reverse region T_R by identifying the value of the lens depth S_K related to the correction of the cornea and then determining the radius of curvature R_R of the reverse region so that the value of the lens depth of the reverse region T_R is satisfied.

[0045]

In other words, in the cross-section including the central axis M of the orthokeratology contact lens of the present invention, the lens depth of the reverse region T_R is determined by $T_R = S_K - T_B$ from the R_B , W_B , S_K , and T_B as described above. As a consequence, the transition point J1 between the base region and the reverse region and the transition point J2 between the reverse region and the alignment region can be determined from the T_B , R_B , W_B , T_R , W_R , R_A , W_A , R_P , and W_P .

[0046]

With regard to the curve of the reverse region R, the lens depth S_K related to the correction of the cornea can be retained at a constant value even if

the intended degree of the correction is changed as long as the curve of the reverse region R passes the transition point J1 between the base region and the reverse region and the transition point J2 between the reverse region and the alignment region while retaining the same radius of curvature R_A of the alignment region.

[0047]

With regard to the radius of curvature R_R of the reverse region, its central point C_R is preferably located on the central axis M of the contact lens in view of the adequate space formed for receiving the cornea tissue moved in the eyesight correction.

[0048]

Furthermore, the lens depth S_K relating to the correction of the cornea may be kept constant by calculating the lens depth of the reverse region T_R from the linear distance S_P between point K1 where the curve of the base region intersects the central axis M of the contact lens and point K2 where the extension of the curve of the alignment region intersects the central axis M of the contact lens, and determining the radius of curvature R_R of the reverse region to satisfy such value.

[0049]

In the cross-section including the central axis M of the orthokeratology contact lens, when R_B , W_B , W_R , R_A , W_A , R_P , W_P , T_B , and T_R are as described above, the linear distance between the K1 and K2 is S_P , and $E = W_B/2$ and $F = W_B/2 + W_R$ for simplification of the equation, the lens depth of the reverse region T_R is calculated by the following equation (1):

[0050]

[Mathematical formula 6]

$$T_R = R_A - \sqrt{R_A^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_P$$

... (1)

[0051]

The central point C_R of the radius of curvature R_R of the reverse region calculated by this lens depth of the reverse region T_R is located on the central axis M of the contact lens, and the R_R satisfied the following equation (2):

[0052]

[Mathematical formula 7]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots (2)$$

[0053]

The surface then passes the transition point J1 between the base region and the reverse region and the transition point J2 between the reverse region and the alignment region and the lens depth S_K of the region related to the correction of the cornea is kept constant, and this is the orthokeratology contact lens of the present invention.

[0054]

Furthermore, in the present invention, when it is assumed that the average radius of curvature R_K of the cornea is the same curved surface as the radius of curvature R_A of the alignment region, the linear distance S_P between the point K1 where the curve of the base region intersects the central axis M of the contact lens and the point K2 where the extension of the curve of the radius of curvature of the alignment region intersects the central axis M of the contact lens can be regarded as the design value of the pushing of the cornea in the axial direction of the eye.

[0055]

Accordingly, the orthokeratology contact lens of the present invention shares common feature with the design idea based on the values determined by assuming an adequate amount of pushing of the cornea corresponding to the intended degree of correction. However, the present invention has enabled determination of the shape capable of sufficiently pushing the central part of the cornea compared to the conventional orthokeratology contact lens.

[0056]

It is to be noted that the curved surface does not necessarily correspond to the equations (1), (2), and (4), and practically acceptable effects are achieved as long as the curved surface passes the points within $\pm 10\%$ of the values of equations (1), (2), and (4).

[0057]

Another type of the orthokeratology contact lens is toric orthokeratology contact lens. As shown in FIG. 6, in the case of the toric orthokeratology contact lens, the radius of curvature R_A and the width W_A of the alignment region

are different in the longitudinal direction and the transverse direction when the orthokeratology contact lens is seen from the direction of the central axis.

[0058]

The toric orthokeratology contact lens is formed to satisfy the relation: $R_{AV} = R_{AH} + 0.50D$ to $6.00D$ (D: diopter) when the radius of curvature in the transverse direction of FIG. 6 where the value of the radius of curvature of the alignment region is in its maximum is R_{AV} and the radius of curvature in the transverse direction of FIG. 6 where the value of the radius of curvature of the alignment region is in its minimum is R_{AH} .

[0059]

The width W_{AV} of the radius of curvature R_{AV} of the alignment region is calculated to satisfy the relation:

$$W_{AV} = (\text{contact lens diameter } D - (W_B + 2 \cdot W_R + 2 \cdot W_P)) / 2$$

and the shape of the alignment region will be an oblong shape with the aspect ratio in excess of 0.90 and less than 1.00 when the orthokeratology contact lens is seen from the direction of the central axis.

[0060]

Next, an embodiment of the toric orthokeratology contact lens of the present invention is described in detail by referring to FIG. 7.

[0061]

FIG. 7 is a schematic view of the toric orthokeratology contact lens 1 of the present invention, which is a cross-section along the central axis M of the orthokeratology contact lens in the transverse direction of FIG. 6 where the value of the radius of curvature of the alignment region is in its maximum.

[0062]

In FIG. 7, the width of the base region is W_B , the width of the reverse region is W_R , the width of the alignment region is W_{AV} , the width of the peripheral region is W_P , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the radius of curvature of the alignment region where it reaches the maximum is R_{AV} , the radius of curvature of the peripheral region is R_P , the lens depth of the base region is T_B , the lens depth of the reverse region is T_R , the lens depth related to the correction of the cornea is $S_K (= T_B + T_R)$, and the linear distance between point K1 where the curve of the base region intersects the central axis of the contact lens and point K3 where the extension of the curve of the radius of curvature of the alignment region where it reaches the maximum intersects the central axis M of the contact lens is S_{PT} .

[0063]

Since the radius of curvature R_B of the base region is determined to realize the intended degree of correction, the lens depth of the base region T_B is calculated by the width of the base region W_B from the following equation (4):

[0064]

[Mathematical formula 8]

$$T_B = R_B - \sqrt{R_B^2 - \frac{W_B^2}{4}} \quad \dots (4)$$

[0065]

The radius of curvature R_{AV} of the alignment region where it reaches the maximum is preferably at a value near the maximum radius of curvature R_{KT} of the cornea before the correction in view of improving the fitting to the cornea 2.

[0066]

The characteristic feature of the present invention is that, the lens depth related to correcting the cornea can be kept constant by changing the radius of curvature R_R of the reverse region even if the R_B , W_B , W_R , R_{AV} , W_{AV} , R_{AH} , W_{AH} , R_P , W_P , or the intended degree of correction were changed in the cross-section of the orthokeratology contact lens which includes the central axis M and where the radius of curvature of the alignment region reaches its maximum, and that the lens depth S_K related to the correction of the cornea is constant as long as the maximum radius of curvature R_{AV} of the alignment region is the same.

[0067]

More specifically, in the cross-section of the orthokeratology contact lens of the present invention which includes the central axis M and where the radius of curvature of the alignment region reaches its maximum, the lens depth S_K necessary for correcting the cornea can be kept constant by calculating the lens depth of the reverse region T_R by identifying the value of the lens depth S_K related to the correction of the cornea and then determining the radius of curvature R_R of the reverse region so that the value of the lens depth of the reverse region T_R is satisfied.

[0068]

With regard to the radius of curvature R_R of the reverse region, its central point C_R is preferably located on the central axis M of the contact lens in view of the adequate space formed for receiving the cornea tissue moved in the

eyesight correction.

[0069]

Furthermore, the lens depth S_K related to the correction of the cornea may be kept constant by calculating the lens depth of the reverse region T_R from the linear distance S_{PT} between the point K1 where the curve of the base region intersects the central axis M of the contact lens and the point K3 where the extension of the curve of the radius of curvature of the alignment region where it reaches the maximum intersects the central axis M of the contact lens, and determining the radius of curvature R_R of the reverse region to satisfy the value T_R .

[0070]

In the cross-section of the orthokeratology contact lens which includes the central axis M and where the radius of curvature of the alignment region reaches its maximum, when the R_B , W_B , W_R , R_{AV} , W_{AV} , R_P , W_P , T_B , and T_R are as described above, the linear distance between K1 and K3 is S_{PT} , and $E = W_B/2$ and $F = W_B/2 + W_R$ for simplification of the equation, the lens depth of the reverse region T_R is calculated by the following equation (3):

[0071]

[Mathematical formula 9]

$$T_R = R_{AV} - \sqrt{R_{AV}^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_{PT} \quad \dots(3)$$

[0072]

The central point C_R of the radius of curvature R_R of the reverse region calculated by this lens depth of the reverse region T_R is located on the central axis M of the contact lens, and the R_R satisfied the following equation (2):

[0073]

[Mathematical formula 10]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

[0074]

The surface then passes the transition point J1 between the base region and the reverse region and the transition point J2 between the reverse region and the alignment region and the lens depth S_K of the region related to the correction of the cornea is kept constant, and this is the toric orthokeratology contact lens of the present invention.

[0075]

Furthermore, in the present invention, when it is assumed that the maximum radius of curvature R_{KT} of the cornea is the same as the maximum radius of curvature R_{AV} of the alignment region, the linear distance S_{PT} between the point K1 where the curve of the base region intersects the central axis M of the contact lens and the point K3 where the extension of the curve of the radius of curvature of the alignment region where it reaches the maximum intersects the central axis M of the contact lens can be regarded as the design value of pushing of the cornea in the axial direction of the eye.

[0076]

Accordingly, the toric orthokeratology contact lens of the present invention shares common feature with the design idea based on the values determined by assuming an adequate amount of pushing of the cornea corresponding to the intended degree of correction. However, the present invention has enabled the shape capable of sufficiently pushing the central part of the cornea compared to the conventional orthokeratology contact lens.

[0077]

It is to be noted that the curved surface does not necessarily correspond to the equations (2) to (4), and practically acceptable effects are achieved as long as the curved surface passes the points within $\pm 10\%$ of the central values of equations (2) to (4).

Examples

[0078]

Next, the present invention is described in detail by referring to Examples. It is to be noted that the values of the radius of curvature and the height in the Examples were measured by contact-type contour measuring machine (manufactured by Mitutoyo Corporation).

[0079]

[Example 1]

With regard to sample A, an orthokeratology contact lens was prepared by assuming an eye with the refractive power of the cornea of 42.00 diopter, the

radius of curvature of the cornea of 8.04 mm, and the ametropia of -2.50. Since the target degree of correction was +0.75 diopter, the radius of curvature R_B of the base region of the orthokeratology contact lens was 8.71 mm. The diameter D of the orthokeratology contact lens was 10.6 mm, the width of the base region W_B was 6.20 mm, the width of the reverse region W_R was 0.40 mm, the radius of curvature R_A of the alignment region was 8.04 mm, and the linear distance S_P between the point where the curve of the base region intersects the central axis of the contact lens and the point where the extension of the curve of the alignment region intersects the central axis of the contact lens was 0.03 mm, and the lens depth T_R of the reverse region was calculated by the following equation (1) wherein $E = W_B/2$ and $F = W_B/2 + W_R$ were used for simplification of the equation.

[0080]

[Mathematical formula 11]

$$T_R = R_A - \sqrt{R_A^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_P \quad \dots(1)$$

[0081]

By using the lens depth T_R of the reverse region, the radius of curvature R_R of the reverse region was calculated by the following equation (2):

[0082]

[Mathematical formula 12]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

[0083]

For the orthokeratology contact lens of sample A, the lens depth T_R of the reverse region and the radius of curvature R_R of the reverse region were respectively 0.20 mm and 7.34 mm, and the lens depth S_K related to the cornea correction was 0.77 mm.

[0084]

[Example 2]

With regard to sample B, an orthokeratology contact lens was prepared by assuming an eye with the refractive power of the cornea of 42.00 diopter, the radius of curvature of the cornea of 8.04 mm, and the ametropia of -5.00. Since the target degree of correction was +0.75 diopter as in the case of sample C, the radius of curvature R_B of the base region of the orthokeratology contact lens was 9.31 mm. The diameter D of the orthokeratology contact lens was 10.6 mm, the width of the base region W_B was 6.20 mm, the width of the reverse region W_R was 0.40 mm, the radius of curvature R_A of the alignment region was 8.04 mm, and the linear distance S_P between the point where the curve of the base region intersects the central axis of the contact lens and the point where the extension of the curve of the alignment region intersects the central axis of the contact lens was 0.03 mm, and the lens depth T_R of the reverse region was calculated by the following equation (1) wherein $E = W_B/2$ and $F = W_B/2 + W_R$ were used for simplification of the equation.

[0085]

[Mathematical formula 13]

$$T_R = R_A - \sqrt{R_A^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_P \quad \dots(1)$$

[0086]

By using the lens depth T_R of the reverse region, the radius of curvature R_R of the reverse region was calculated by the following equation (2):

[0087]

[Mathematical formula 14]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

[0088]

For the orthokeratology contact lens of sample B, the lens depth T_R of the reverse region and the radius of curvature R_R of the reverse region were respectively 0.24 mm and 6.41 mm, and the lens depth S_K related to the cornea

correction was 0.77 mm.

[0089]

[Example 3]

With regard to sample C, a toric orthokeratology contact lens was prepared by assuming an eye with the refractive power of the cornea of 42.00 diopter, the radius of curvature in transverse direction of the cornea of 8.04 mm, the radius of curvature in longitudinal direction of the cornea of 7.76 mm, and the ametropia of -2.50. Since the target degree of correction was +0.75 diopter, the radius of curvature R_B of the base region of the orthokeratology contact lens was 8.71 mm. The diameter D of the orthokeratology contact lens was 10.6 mm, the width of the base region W_B was 6.20 mm, and the width of the reverse region W_R was 0.40 mm. The radius of curvature R_{AV} of the alignment region where the value of the radius of curvature of was maximum was 8.04 mm, and the linear distance S_{PT} between the point where the curve of the base region intersects the central axis of the contact lens and the point where the extension of the curve of the alignment region intersects the central axis of the contact lens was 0.03 mm, and the lens depth T_R of the reverse region was calculated by the following equation (3) wherein $E = W_B/2$ and $F = W_B/2 + W_R$ were used for simplification of the equation.

[0090]

[Mathematical formula 15]

$$T_R = R_{AV} - \sqrt{R_{AV}^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_{PT}$$

... (3)

[0091]

By using the lens depth T_R of the reverse region, the radius of curvature R_R of the reverse region was calculated by the following equation (2):

[0092]

[Mathematical formula 16]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

[0093]

For the orthokeratology contact lens of sample C, the lens depth T_R of the reverse region and the radius of curvature R_R of the reverse region were respectively 0.20 mm and 7.34 mm, and the lens depth S_K related to the cornea correction was 0.77 mm.

[0094]

[Example 4]

With regard to sample D, a toric orthokeratology contact lens was prepared by assuming an eye with the refractive power of the cornea of 42.00 diopter, the radius of curvature in transverse direction of the cornea of 8.04 mm, the radius of curvature in longitudinal direction of the cornea of 7.76 mm, and the ametropia of -5.00. Since the target degree of correction was +0.75 diopter as in the case of sample C, the radius of curvature R_B of the base region of the orthokeratology contact lens was 9.31 mm. The diameter D of the orthokeratology contact lens was 10.6 mm, the width of the base region W_B was 6.20 mm, and the width of the reverse region W_R was 0.40 mm. The radius of curvature R_{AV} of the alignment region where the value of the radius of curvature of was maximum was 8.04 mm, and the linear distance S_{PT} between the point where the curve of the base region intersects the central axis of the contact lens and the point where the extension of the curve of the alignment region intersects the central axis of the contact lens was 0.03 mm, and the lens depth T_R of the reverse region was calculated by the following equation (3) wherein $E = W_B/2$ and $F = W_B/2 + W_R$ were used for simplification of the equation.

[0095]

[Mathematical formula 17]

$$T_R = R_{AV} - \sqrt{R_{AV}^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_{PT} \quad \dots(3)$$

[0096]

By using the lens depth T_R of the reverse region, the radius of curvature R_R of the reverse region was calculated by the following equation (2):

[0097]

[Mathematical formula 18]

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots (2)$$

[0098]

For the orthokeratology contact lens of sample D, the lens depth T_R of the reverse region and the radius of curvature R_R of the reverse region were respectively 0.24 mm and 6.41 mm, and the lens depth S_K related to the cornea correction was 0.77 mm.

[0099]

As described above, the present invention provides an orthokeratology contact lens wherein the lens depth of the region related to the cornea correction can be kept constant by changing radius of curvature of the reverse region even if the intended degree of correction is different as long as the radius of curvature of the alignment region is the same or as long as the radius of curvature of the alignment region where it reaches the maximum is the same in the case of the toric orthokeratology contact lens.

Industrial Applicability

[0100]

The present invention is adapted for use as an orthokeratology contact lens.

Explanation of Numerals

[0101]

1: orthokeratology contact lens

2: cornea

3: axis of eye

4: iris

5: crystalline lens

6: retina

7: surface of cornea

D: diameter of the orthokeratology contact lens
 B: base region
 R: reverse region
 A: alignment region
 P: peripheral region
 J1: transition point where the base region encounters the reverse region
 J2: transition point where the reverse region encounters the alignment region
 J3: transition point where the alignment region encounters the peripheral region
 K1: point where the curve of the base region intersects the central axis of the contact lens
 K2: point where the extension of the curve of the alignment region intersects the central axis of the contact lens
 K3: point where the extension of the curve with the maximum radius of curvature of the alignment region intersects the central axis M of the contact lens
 M: central axis of the contact lens
 C_B: central point of the radius of curvature of the base region
 C_R: central point of the radius of curvature of the reverse region
 C_A: central point of the radius of curvature of the alignment region
 C_{AV}: central point of the maximum radius of curvature of the alignment region
 C_P: central point of the radius of curvature of the peripheral region
 R_K: average radius of curvature of the cornea
 R_{KT}: maximum radius of curvature of the cornea
 R_B: radius of curvature of the base region
 R_R: radius of curvature of the reverse region
 R_A: radius of curvature of the alignment region
 R_{AH}: minimum radius of curvature of the alignment region in the toric orthokeratology contact lens
 R_{AV}: maximum radius of curvature of the alignment region in the toric orthokeratology contact lens
 R_P: radius of curvature of the peripheral region
 R_{PH}: radius of curvature of the peripheral region in the direction of the minimum radius of curvature of the alignment region in the toric orthokeratology contact lens
 T_B: lens depth of the base region
 T_R: lens depth of the reverse region
 S_K: lens depth of the region related to cornea correction

S_P : linear distance between the point where the curve of the base region intersects central axis of the contact lens and the point where the extension of the curve of the alignment region intersects the central axis of the contact lens

S_{PT} : linear distance between the point where the curve of the base region intersects the central axis of the contact lens and the point where the extension of the curve with the maximum radius of curvature of the alignment region intersects the central axis of the contact lens

W_B : width of the base region

W_R : width of the reverse region

W_A : width of the alignment region

W_{AH} : width in the direction of the minimum radius of curvature of the alignment region in the toric orthokeratology contact lens

W_{AV} : width in the direction of the maximum radius of curvature of the alignment region in the toric orthokeratology contact lens

W_P : width of the peripheral region

W_{PH} : width of the peripheral region in the direction of the minimum radius of curvature of the alignment region in the toric orthokeratology contact lens

Claims:

[Claim 1]

An orthokeratology contact lens for correcting eyesight by changing shape of the cornea wherein

- lens surface contacting the cornea comprises
 - central area called base region at the center of the lens which pushes the cornea,
 - an annular area called reverse region outside the periphery of the base region,
 - an annular area called alignment region outside the periphery of the reverse region, and
 - an annular area called peripheral region outside the periphery of the alignment region, and characterized in that

lens depth (S_K) related to the correction of the cornea is kept constant by changing the radius of curvature of the reverse region even when radius of curvature and width of the base region, width of the reverse region, radius of curvature and width of the alignment region, and radius of curvature and width of the peripheral region, and intended degree of eyesight after the correction are changed, wherein, when the width of the base region is W_B , the width of the reverse region is W_R , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the radius of curvature of the alignment region is R_A , lens depth of the base region is T_B , lens depth of the reverse region is T_R , and linear distance between point where the curve of the base region intersects the central axis of the contact lens and point where the extension of the curve of the alignment region intersects the central axis of the contact lens is S_P ,

the lens depth T_R of the reverse region is derived from the following equation (1):

$$T_R = R_A - \sqrt{R_A^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_P \quad \dots(1)$$

wherein in equation (1), E represents $W_B/2$ and F represents $W_B/2 + W_R$, and the radius of curvature R_R of the reverse region is derived by using T_R from the following equation (2):

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

wherein in equation (2), E represents $W_B/2$ and F represents $W_B/2 + W_R$.

[Claim 2]

An orthokeratology contact lens according to claim 1 wherein the lens depth related to the correction of the cornea is constant as long as the radius of curvature of the alignment region does not change.

[Claim 3]

An orthokeratology contact lens according to claim 1 or 2 wherein the radius of curvature of the reverse region is derived from the radius of curvature and the width of the base region, the width of the reverse region, the radius of curvature and the width of the alignment region, and the radius of curvature and the width of the peripheral region.

[Claim 4]

An orthokeratology contact lens according to claim 1 wherein the lens depth T_R and the radius of curvature R_R are respectively within $\pm 10\%$ of the derived lens depth T_R and radius of curvature R_R .

[Claim 5]

An orthokeratology contact lens according to claim 1 wherein the radius of curvature and the width of the alignment region are different in longitudinal direction and transverse direction when seen in the direction of the central axis of the contact lens.

[Claim 6]

An orthokeratology contact lens according to claim 5 wherein the lens depth related to the correction of the cornea is constant as long as the maximum radius of curvature of the alignment region does not change.

[Claim 7]

An orthokeratology contact lens according to claim 5 or 6 wherein the radius of curvature of the reverse region is derived from the radius of curvature and the width of the base region, the width of the reverse region, the maximum

radius of curvature and the maximum width of the alignment region, and the radius of curvature and width of the peripheral region.

[Claim 8]

An orthokeratology contact lens according to any one of claims 5 to 7 wherein, when the width of the base region is W_B , the width of the reverse region is W_R , the radius of curvature of the base region is R_B , the radius of curvature of the reverse region is R_R , the maximum radius of curvature of the alignment region is R_{AV} , the lens depth of the base region is the T_B , the lens depth of the reverse region is the T_R , and linear distance between point where the curve of the base region intersects the central axis of the contact lens and point where the extension of the curve with maximum radius of curvature of the alignment region intersects the central axis of the contact lens is S_{PT} ,

the lens depth T_R of the reverse region is derived from the following equation (3):

$$T_R = R_{AV} - \sqrt{R_{AV}^2 - F^2} - R_B + \sqrt{R_B^2 - E^2} - S_{PT} \quad \dots(3)$$

wherein in equation (3), E represents $W_B/2$ and F represents $W_B/2 + W_R$, and the radius of curvature R_R of the reverse region is derived by using T_R from the following equation (2):

$$R_R = \sqrt{\left(\frac{F^2 - E^2 - T_R^2}{2 \cdot T_R}\right)^2 + F^2} \quad \dots(2)$$

wherein in equation (2), E represents $W_B/2$ and F represents $W_B/2 + W_R$.

[Claim 9]

An orthokeratology contact lens according to claim 8 wherein the lens depth T_R and the radius of curvature R_R are respectively within $\pm 10\%$ of the derived lens depth T_R and radius of curvature R_R .